Strong conformity requires a greater proportion of asocial learning and achieves lower fitness than a payoff-based equivalent

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### Abstract

There is a growing interest in the relative benefits of the different social learning strategies used to transmit information between conspecifics, and in the extent to which they require input from asocial learning. Two strategies in particular, conformist and payoff-based social learning, have been subject to considerable theoretical analysis, yet previous models have tended to examine their efficacy in relation to specific parameters or circumstances. This study employs individual-based simulations to derive the optimal proportion of individual learning that co-exists with conformist and payoff-based strategies in populations experiencing wide-ranging variation in levels of environmental change, reproductive turnover, learning error, and individual learning costs. Results demonstrate that conformity co-exists with a greater proportion of asocial learning under all parameter combinations, and that payoff-based social learning is more adaptive in 97.43% of such combinations. These results are discussed in relation to the conjecture that the most successful social learning strategy will be the one that can persist with the lowest frequency of asocial learning, and the possibility that punishment of non-conformists may be required for conformity to confer adaptive benefits over payoff-based strategies in temporally heterogeneous environments.

# Keywords

Social learning; asocial learning; reproductive rate; environmental change.

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#### 1. Introduction

There is currently considerable interest across a broad range of disciplines in the social learning strategies that facilitate the transmission of information between conspecifics (e.g. Nakahashi et al. 2012; Aplin et al. 2015; Muthukrishna et al. 2016). Such research encompasses the development of theoretical models as well as experimental analyses on numerous species. Of primary current interest are two sets of learning strategies: 'conformist' strategies, which involve positive frequency-dependent copying (e.g. Boyd and Richerson 1985; Muthukrishna et al. 2016), and 'pay-off based' strategies, which involve copying in proportion to some measure of success (e.g. Schlag 1998, 1999).

On a theoretical basis it has been argued (Boyd and Richerson 1985; Henrich and Boyd 1998) that because those variants favoured by natural selection will often exist at the highest frequencies in a pool of potential targets for copying, conformity provides a simple, adaptive social learning rule under a very broad range of conditions. Conversely, conformity may prevent the spread of beneficial innovations (Eriksson et al. 2007; Kandler and Laland 2009), and may even lead to population collapse in fluctuating environments (Whitehead and Richerson 2009). Conformity becomes less adaptive as rates of environmental change increase (Kendal et al. 2009), and in such situations the conformist bias must either be weakened or coupled with higher rates of individual learning (Kandler and Laland 2013; see also Efferson et al. 2008). The empirical evidence for conformity is weak (e.g. Eriksson et al. 2007; Eriksson and Coultas 2009; Claidière et al. 2012), with studies hampered by the need to demonstrate *positive* frequency dependence; where evidence appears robust, a 'copy the majority' rule provides greatest explanatory power (e.g. Pike and Laland 2010; Morgan et al. 2012; Aplin et al. 2015).

Empirical evidence for payoff-based strategies is far more prevalent, with numerous findings supporting a 'copy the best' rule (e.g. Mesoudi 2008; Mesoudi and O'Brien 2008; Henrich and Broesch 2011) as well as subsidiary rules employing relative payoffs (e.g. 'copy if better'); the latter appear particularly adaptive when the likelihood of copying a given individual is proportional to how much better that individual is (Schlag 1998; Pike et al. 2010; Morgan et al. 2012). Payoff-based strategies would appear to have an intuitive benefit; they are the only family of social learning strategies that can be considered Darwinian (Godfrey-Smith 2009), and make an indirect reference to the environment by assessing the success of conspecifics. Unlike conformist strategies, they are likely to increase the frequency of rare, beneficial innovations, suggesting that even in rapidly changing environments payoff-based social learning coupled with very low levels of individual learning could form a highly adaptive mixed strategy.

The theoretical models surveyed above are largely derived from the evolutionary biology literature, and share a number of common assumptions, often relying on incremental changes to pre-existing modelling frameworks. A parallel literature within the fields of evolutionary computation and artificial life has also arisen to interrogate the conditions under which various learning strategies are beneficial. Although the goals of this latter body of research sometimes differ from those of the evolutionary biology literature, artificial life models have contributed a number of innovative

conclusions that have direct bearing on the modelling reported below. Both Jones and Blackwell (2011) and Borg and Channon (2012) show that variable environments promote the evolution of learning capabilities more readily than do static environments. The former paper effectively replicates the initial result of Boyd and Richerson (1985) that static or slowly varying environments can be accommodated through genetic transmission alone, and that rapidly changing environments will promote individual learning; between these two regions exists a third region of moderate environmental change in which social learning is favoured. Jones and Blackwell (2011) also suggest that social learning may play a key role in the aftermath of major environmental changes, allowing solutions to novel adaptive challenges to percolate rapidly through populations. Borg and Channon (2012) also provide an intriguing result suggesting that, against a backdrop on increasingly variable environments, adoption of individual learning is a necessary precursor to the adoption of social learning.

Gonzalez and colleagues (2017) look more broadly at conditions favouring the appearance of 'non-genetic evolutionary systems' including learning and cultural transmission, and demonstrate that such systems do not require the prior existence of cognitive decision making abilities regarding who to copy. In their model, copying of random others can emerge when both the possible solution space is large and the selection pressure on survival is strong relative to that on reproduction. These authors also formalise the useful concept of 'genotype-phenotype disengagement', which provides a minimal definition of what would more broadly be termed plasticity in the evolutionary biology literature. Finally, Bullinaria (2017) has developed a promising series of simulations that examine learning strategies in relation to life-history parameters, in particular a 'protected period' during ontogeny that allows for the learning of skills necessary for independence. Importantly, Bullinaria (2017) also considers the interface between life-history, encephalisation and learning, a focus that is simultaneously emerging in evolutionary anthropology (Grove 2017).

The model introduced below employs individual-based simulations to derive the optimal proportion of individual learning that co-exists with copy the best and copy the majority (henceforth CtB and CtM) strategies in populations experiencing differing levels of environmental change, reproductive turnover, learning error, and individual learning costs. Basic theoretical predictions, garnered from previous research, are that levels of individual learning will be higher for both strategies when the rate of environmental change is higher, and when reproductive turnover, learning error, and individual learning costs are lower (Boyd and Richerson 1985; Efferson et al. 2008; Lewis and Laland 2012; Nakahashi et al. 2012).

Individual learning directly references the environment in the current iteration. CtB references the fitness of individuals in the previous iteration, and leads to copying the fittest individual in that generation. CtM references the behaviour of individuals in the previous iteration, and leads to copying the most common behaviour in that iteration, regardless of the fitness associated with that behaviour. Thus the link between environment and behaviour is weakest in CtM, suggesting that it will be less able to track environmental change than CtB, and therefore that populations employing CtM will have to complement this social learning strategy with a greater proportion of individual learning than those employing CtB. This leads to the expectation that (1) CtM will evolve a greater proportion of individual learning than CtB under all parameter combinations in which environmental change occurs. As individual learning is widely and logically considered to engender higher costs than social learning, the fittest social learning strategy should be that which can persist with the

lowest frequency of asocial learning (Kendal et al. 2009). A second prediction, therefore, is that (2) because CtM is predicted to evolve a greater proportion of individual learning than CtB, CtB will achieve higher fitness under all parameter combinations in which environmental change occurs.

## 2. Methods

The above predictions were tested by developing an evolutionary individual-based model in which a population evolves the optimal proportion of individual learning under a comprehensive set of parameter combinations; the following model description follows the ODD protocol (Grimm et al. 2010).

- Purpose. The main purpose of the model is to examine differences in the proportions of individual learning that evolve in populations whose social learning strategy is either 'copy the majority' (CtM) or 'copy the best' (CtB). Populations using these two social learning strategies are simulated separately. The rationale for simulating the two strategies separately (rather than allowing them to compete directly) is that it provides more accurate results regarding the proportions of individual learning required by each strategy in tracking a changing environment. The optimal proportions of individual learning and the associated fitnesses can then be examined using the model output. Furthermore, in competition scenarios, the fitter social learning strategy often completely displaced the other, and thus the results reverted to those obtained when using a single social learning strategy in each simulation. Simulating the two social learning strategies separately therefore produces a more comprehensive set of results in regard to the research questions outlined in the previous section. Rate of environmental change ( $\delta$ ), learning error (s), reproductive rate (r), and the cost of individual learning (c) are varied systematically to examine their effects on the proportion of individual learning that evolves under the two social learning strategies.
- Entities, state variables, and scales. The environment is simulated as a symmetrical sawtooth wave that varies in amplitude between simulations. The entities of the model are asexually reproducing individuals that socially learn via either CtM or CtB. Each individual is described by three variables: a behavioural phenotype, a proportion of individual learning, and a fitness score. The proportion of individual learning is the only inherited trait of an individual; the behavioural phenotype is learned anew each iteration and the fitness score is determined by how close the phenotype is to the environmental value in a given iteration. The behavioural phenotype and the environment are measured on the same continuous scale. The behavioural phenotype is updated at the start of each iteration through learning. The proportion of individual learning,  $\alpha$ , determines the extent to which the individual depends on individual learning as opposed to social learning in conjunction with either CtM or CtB.

The reproductive rate,  $r \in \{0.1,0.5,0.9\}$ , determines what proportion of the population is replaced each iteration; generations are therefore overlapping in the simulations considered here, with the average lifetime of an individual being 1/r iterations. The cost of individual learning,  $c \in \{0.1,0.5,0.9\}$ , reflects the time taken to independently establish a behaviour and the risk of injury potentially associated with doing so, and is implemented during evaluation of the fitness function (see Reproduction, below). The rate of environmental change,  $\delta \in \{0:0.05:1\}$ , reflects the wide range of environmental conditions encountered

by many animals on often relatively short timescales. Note that here  $\{x\colon y\colon z\}$  indicates the set of numbers from x to z inclusive, in increments of y. Finally, learning error,  $s\in\{0\colon 0.05\colon 1\}$ , reflects the fact that learning targets, via either individual or social learning, are unlikely to be perfectly met. Simulations, each of 6,000 iterations, were run separately for the two social learning strategies (CtB and CtM), and for each combination of  $\delta$ , s, r, and c, yielding 7,938 simulated combinations.

- Process overview and scheduling. At birth, individuals inherit from their parent a value that determines the proportion of individual learning they will engage in. This value is slightly mutated relative to that of the parent (see 'Mutation' below). A learning error (s) applies to both individual and social learning (see 'Learning' below). After learning, the fitness of each individual, F, is evaluated according to a Gaussian function that takes into account the cost of individual learning. Reproduction then takes place via fitness-proportionate selection (see 'Reproduction' below), with new individuals inheriting only the (mutated)  $\alpha$  values of their parents. Prior to the start of the next iteration, the values of the best and most common phenotypes among the survivors are recorded so they can act as targets for social learning in the next iteration. Median values of  $\alpha$  and F are recorded at the end of each iteration. The above schedule then begins again.
- Design concepts. The outputs of the model are the difference in the proportion of individual learning,  $\alpha$ , and the difference in fitness, F, between populations employing the two social learning strageies (CtB and CtM) under various combinations of values of the four input variables  $\delta$ , s, r, and c. Changes in  $\alpha$  through time emerge from the combined effects of heredity, mutation, differential survival, and differential reproduction, given the values of the four input variables. Mutation, survival probability, probability of reproduction, and both individual and social learning are affected by stochastic variation. The environment has a constant absolute first derivative (i.e. it changes at a constant rate) during each of the 6,000 iterations of any given simulation, thus the principal results are given as the median values of  $\alpha$  and F in the population over the last 5,000 iterations of the simulation. The first 1,000 iterations of each run were discarded as a burn-in period to ensure that results were not affected in any way by the initialization values; although runs with lower r values took longer to stabilize, runs for all combinations of parameter values had stabilized after 1,000 iterations. The retained 5,000 iterations provided a suitably robust sample size over which to calculate medians of the outputs  $\alpha$  and F.
- Initialization. Simulations were initialized with an environmental value of zero. Initial phenotype values were drawn from a normal distribution with a mean of zero and a standard deviation of 0.05. Initial proportions of individual learning were drawn from a uniform distribution on the interval (0,0.1); differences in these starting values did not affect the outcomes of the simulations. All simulations ran with a fixed population size of n=500 individuals.
- Input. The model does not have any external inputs.

## Submodels

Environment. The environment is a symmetrical sawtooth wave. Although this waveform differs from what is traditionally used in the social learning literature, it was chosen because it has constant absolute first derivative (i.e. the rate of environmental change is a constant) and because, though simple, it captures the periodicities found in empirical (palaeo)climatic data. Such periodic signals are of various durations, ranging from sub-annual seasonal fluctuations, through short cycles such as the El Niño Southern Oscillation (2-7 years), to orbital insolation patterns lasting tens to hundreds of thousands of years (e.g. Grove 2012a, 2012b; Markonis and Koutsoyiannis 2013; Yun and Timmermann 2018). Results are given in relation to the absolute rate of change, but it is important to note that other aspects of environmental variation may be of similar importance. In particular, since spectral analyses of climatic data often indicate 'reddened' signals (i.e. signals with a marked autocorrelation component) it would be profitable in future to study responses to different 'colours' of noise in the pink to red spectrum. The value of the current setup is that it provides a simple, easily understandable baseline against which to compare future studies of more complex and more realistic environments. The rate of environmental change per iteration ( $\delta$ ) is varied between simulations in increments of 0.05 from 0 to 1 by increasing the amplitude of the wave in increments of 2.5 from 0 to 25. The wave has a frequency of 1/200 iterations throughout. Experiments demonstrated that altering  $\delta$  via the frequency rather than the amplitude of the wave did not affect the results.

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– Learning. At the start of each iteration, all individuals update their behavioural phenotype via a combination of social and individual learning, as determined by their inherited value of  $\alpha$ . Each individual i learns a behavioural phenotype,  $P_i$ , in iteration t as

$$P_i(t) = \alpha_i \cdot \beta_i(t) + (1 - \alpha_i) \cdot \gamma_i(t - 1)$$
 [1]

Where  $\alpha$  is the proportion of individual learning,  $\beta$  is a value obtained via individual learning and  $\gamma$  is a value obtained via social learning, with the subscript  $j \in \{b, m\}$  indicating the social learning strategy followed (either CtB or CtM). An individual aiming for a given target, through either social or individual learning, will achieve a result drawn from a normal distribution with that target as its mean and its learning error value, s, as its standard deviation. The target for individual learning is the environment in the current iteration, w(t), whereas the target for social learning is the best or majority phenotypic value from the previous iteration. Equation [1] embodies a trade-off between individual and social learning, and it should be stressed that the model is therefore not intended to comment on the evolution of the underlying cognitive abilities that support these two forms of learning. Rather, the model assumes that individuals are capable of both, and the output indicates the optimal balance of individual and social learning that obtains under a given set of parameter values.

- Reproduction. The fitness of each individual,  $F_i$ , is evaluated according to a Gaussian function with a mean equal to the current environmental value, w(t), and unit variance,

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$$(F_i|w(t), P_i) = (1 - c\alpha_i) \cdot \exp(-0.5(w(t) - P_i)^2)$$
 [2]

where c is the cost of individual learning. Simulations are run with  $c \in \{0.1,0.5,0.9\}$ . The least fit  $n \cdot r$  individuals are then removed from the population and replaced by  $n \cdot r$  new

offspring chosen by fitness-proportionate selection from among the  $n-n\cdot r$  surviving parents, where n=500 is population size and  $r\in\{0.1,0.5,0.9\}$  is the proportion of the population replaced each iteration. This reproduction scheme effectively couples both a truncation procedure and fitness-proportionate selection; the scheme is implemented in this way to accelerate the progress of the population towards asymptotic proportions of individual learning, which are the results of interest. Eliminating the truncation element of this scheme does not affect results, but does ensure that asymptotic proportions are achieved after fewer iterations, thus reducing the burn-in time in the simulations. New individuals inherit only the (mutated)  $\alpha$  values of their parents.

- *Mutation*. Offspring inherit a value determining the proportion of individual learning they engage in; however, this value undergoes mutation as it is transmitted from parent to offspring. Mutation is carried out via an additive Gaussian operator of the form  $\alpha' = \alpha + \lambda$ , where  $\alpha'$  is the value of  $\alpha$  after mutation and  $\lambda$  is a value called from a normal distribution with mean zero and a standard deviation of 0.05. As the proportion of individual learning can never be <0 or >1, mutated values that are <0 are reset to 0 and those that are >1 are reset to 1.
- Targets for social learning. At the end of each iteration the values of the fittest and most common phenotypes from the parent population are recorded; these values are used as the targets of social learning in the next iteration. The best phenotype is simply that achieving the highest fitness, whilst the most common phenotype is calculated via a binning procedure. As phenotypic values are recorded at high precision a simple calculation of the modal value is insufficient, as it is unlikely (even in large populations) that any two individuals' phenotypic values will be exactly the same. Surviving phenotypes are therefore assigned to  $[(n-n\cdot r)^{0.5}]$  bins of equal width covering the range of values in a given iteration; the most common phenotypic value is considered to occur at the mid-point of the modal interval (i.e. the mid-point of the bin containing the greatest number of phenotypes). This technique for mode estimation was shown to have desirable properties such as insensitivity to outliers and to the shape of the distribution by Chernoff (1964); a proof of strong consistency was subsequently provided by Nadaraya (1965).

### 3. Results

- Figures 1 and 2 show indicative single runs of the model in full, tracking changes in phenotype, proportion of individual learning, and fitness for both CtB and CtM. Figure 1 shows the case in which there is no environmental change ( $\delta=0$ ), with other parameters set to intermediate values (s=c=r=0.5). Figure 2 shows the case in which environmental change, learning error, cost of individual learning, and reproductive rate are all set to intermediate values ( $\delta=s=c=r=0.5$ ). Subsequent figures present the medians from iterations 1001-6000 of each model run, across all parameter values simulated.
- The basic predictions garnered from previous research are supported, with the exception that high learning error does *not* always lead to low proportions of individual learning. At low reproductive rates, high learning error can lead to higher levels of individual learning than those recorded at intermediate levels of learning error for both strategies (see Figure 3A i, iv, vii, and viii and 3B i, iv, vii

and viii). Prediction (1), that CtM will evolve a greater proportion of individual learning than CtB under all parameter combinations in which environmental change occurs, is supported; Figure 4A demonstrates that the proportion of individual learning evolved under CtB minus the proportion evolved under CtM is always negative. There are, however, areas in which the difference in the evolved proportion of individual learning between the two strategies is negligible. In some cases this follows from more basic predictions, in that it occurs under low rates of environmental change or learning error, when both strategies evolve low or high proportions of individual learning, respectively. They also occur, however, at high reproductive rates when learning error is high relative to the rate of environmental change; this latter case is discussed below.

Prediction (2) is supported in the vast majority of cases. Figure 4B demonstrates that the fitness of CtB minus the fitness of CtB is almost always positive, and therefore that the fitness of CtB is almost always higher. Of the 3,969 paired simulations represented in Figure 4B, CtM achieves higher fitness in only 102 of them (2.57%). These exceptions occur in a small region of Figure 4B ix in which r=0.9 and c=0.1, where a minimal amount of individual learning provides an advantage to CtM in a region in which CtB continues in the absence of individual learning. Although differences in fitness (Figure 4B) correspond well to differences in the proportion of social learning (Figure 4A), the greatest differences in fitness occur not when differences in the proportion of individual learning area greatest, but when both the proportion of individual learning under CtB is zero and the proportion under CtM is greater than zero. Thus the greatest relative losses in fitness under CtM occur when it begins to incorporate small amounts of individual learning under conditions in which CtB does not.

## 4. Discussion

Figure 3 (3A i, iv, vii, & viii, and 3B i, iv, vii, & viii) demonstrates that for both CtB and CtM at [r =0.5, c = 0.1] and in all cases where r = 0.1, higher learning errors can lead to *increases* in individual learning under low to moderate rates of environmental change ( $\delta$ ). This partially contradicts the basic expectation, outlined in the introduction, that higher proportions of individual learning will be more likely to evolve as learning error approaches zero. The reason for this pattern is as follows. The target for individual learning is the environment in the current iteration, w(t), which is also the optimal phenotypic value. As such, increasing learning error (s) will always be detrimental to individual learning, because it will inevitably lead to phenotypes that are further from the optimum than they would have been had learning been error-free. However, increasing s can also be detrimental to social learning, where the target is the behaviour of a conspecific. Given a univariate environment and a Gaussian learning error distribution, and assuming that in the previous iteration social learning attained the optimal phenotype, at  $s < \delta$  on average half the copies produced by social learning in the current iteration will be worse than the target. This is because these copies will have moved in the 'wrong' direction along the environmental axis. At  $s > \delta$ , however, more than half of the copies produced by social learning in the current iteration will be worse than the target, because in addition some will have ventured too far in the 'correct' direction. Formally, the probability of a given individual attaining exactly the optimal phenotype in iteration t given that she is copying an individual who had done so in iteration t-1 is

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$$\varphi = \frac{1}{\sqrt{2\pi s^2}} e^{-\frac{\delta^2}{2s^2}}$$
 [3]

Note that the numerator of the exponentiated part of this equation is  $\delta^2$  because the environment has shifted exactly  $\delta$  since the previous iteration; the environment (and therefore the optimal phenotypic value) in the previous iteration is regarded as being located at zero.

 $\varphi$  thus declines with increasing s when  $s>\delta$  and declines rapidly to zero with decreasing s when  $s<\delta$ . Figure 5 provides a rendering of equation [3] over the range of s and s employed in the simulations. This graph demonstrates that the greatest advantage to social learning occurs towards the bottom left of the graph, at values of relatively low s and s. It is in this region that very high levels of social learning evolve under both CtM and CtB, even under low costs of individual learning and low reproductive rates (see Figure 3). Note that as learning error s increases from this region, the advantage of social learning decreases. This demonstrates that at very low rates of environmental change, greater learning error can decrease the value of social learning and thus increase reliance on individual learning. The regions in which individual learning is advantageous in this way are of course decreased by higher costs of individual learning, and are also decreased by higher reproductive rates. The reason for this latter pattern is that as reproductive rate increases, it increases the strength of selection (because fewer members of each generation survive to reproduce); this increases the advantages of social learning, because the only the very fittest individuals survive long enough to be copied.

For 97.43% of parameter combinations, the results reported above support the contention (Kendal et al. 2009) that the fittest social learning strategy will be the one that can persist with the lowest frequency of asocial learning; furthermore, they suggest that this strategy will not be CtM. Although the model employed here does not involve direct competition between the two strategies, it does raise the question of how conformity could possibly evolve in situations in which an alternative strategy is demonstrably more adaptive. One interpretation is simply that these results accord very well with the sparse empirical evidence for conformity (e.g. Eriksson et al. 2007; Eriksson and Coultas 2009; Claidière et al. 2012; van Leeuwen and Haun 2013, 2014; Acerbi et al. 2016). Although the empirical studies of, for example, van de Waal and colleagues (2013) and Aplin and colleagues (2015) appear robust, questions remain as to the validity of inferring individual-level processes from population-level analyses and the extent to which apparent signatures of conformist social learning could have been produced by alternative processes (Acerbi and van Leeuwen 2017; Barrett in press). The simulations of Acerbi and colleagues (Acerbi et al. 2016; Acerbi and van Leeuwen 2017) demonstrate that preference for one cultural trait over another or social learning from small subsets of the population can lead to results indistinguishable from those expected under conformist social learning. Although these alternative generating processes may be realistic only under a limited set of conditions (Smaldino et al. 2017), they raise a substantive equifinality problem that deserves greater attention (Barrett in press).

A second interpretation relates to the form of the environment used as the basis for the current model. Although periodic oscillations of various frequencies dominate climatic signals, they are augmented by high-frequency variability which can reasonably be characterised as white (i.e. Gaussian) noise (e.g. DeLong et al. 2009; Trauth 2015). Adding such variability to the model environment employed in the current simulations would reduce the fitness advantage of CtB over CtM when the strength of the variability is low relative to the periodic component, and drive populations towards pure individual learning when the strength of the variability is high relative to

the periodic component. Further research is required to fully elucidate the differing effects of these two components, and to quantify their relative importance in empirical climatic signals.

There are a number of additional interpretations that relate these results more closely to previous theoretical research. Firstly, a number of previous theoretical studies have drawn the conclusion that conformist social learning is more likely to evolve in a spatially variable environment than it is in a temporally variable environment (e.g. Boyd and Richerson 1985; Henrich and Boyd 1998; Nakahashi et al. 2012). Such results often rely on the evolution of what might be termed local conformity. Payoff-based social learning becomes maladaptive if the payoffs being monitored are achieved under environmental conditions that are different from those currently experienced by the social learner; in such cases, conformist copying of local individuals (those experiencing the same environmental conditions) can be more adaptive than payoff-based learning from the whole population. Efferson and colleagues (2016) generalise this result to the inevitable conclusion that conformist copying is beneficial when the same behaviour is optimal for both the copier and the copied. Unfortunately, such conclusions fail to compare like with like; local conformity may be preferable to global payoff-based copying, but it will only be preferable to local payoff-based copying when temporal environmental variability is negligible. It is hard to imagine an empirical scenario in which there is no temporal variability in environmental conditions, unless the study encompasses an exceptionally short temporal interval. Further to this, the evolution of conformity under such models is also sometimes reliant on the assumptions that payoff-based copying is more costly than conformist copying, or that payoffs are more difficult to discern than the behaviours that generated them (e.g. Nakahashi et al. 2012). While one or both of these assumptions may be justified under certain conditions, additional research is will be required to reveal exactly what those conditions are, and how widespread they may be.

Secondly, the model outlined above employs the strongest possible form of conformity. A previous model (Kandler and Laland 2013) found a positive relationship between the strength of conformity and the degree of individual learning required. Individual learning serves essentially two purposes: (1) it enables individuals to sample and therefore to track a changing environment, and (2) in doing so it introduces variation in the form of 'innovations' into the population. However, variation can also be *introduced* by social learners with high rates of learning error, or *maintained* in proportion to the 'weakness' of the social learning strategy. When beneficial variation is introduced by individual learners or social learners with high learning error, it is likely to be eradicated by strong conformity but spread by payoff-based learning at a rate proportional to the payoff bias. The weaker the conformist bias, the more likely it is that (rare) beneficial variation will survive social learning and be spread by natural selection; conversely, the weaker the payoff bias, the less likely this is to occur.

It is argued therefore that the result reported above, that at high r and high s the proportions of IL under CtB and CtM are very similar, is analogous to the result of Kandler and Laland (2013) that weak conformity requires a lower proportion of individual learning; the difference being that in the model above beneficial variation is introduced by high social learning error rather than being maintained by weak conformity. The high reproductive rates ensure that this variation is capitalised upon by natural selection. This line of reasoning suggests that conformity might co-exist with relatively low rates of individual learning when either conformity is weak (as per Kandler and Laland 2013) or when learning error and reproductive rates are high. The latter scenario is effectively a cultural bet-hedging strategy, and may be optimal for species that produce multiple offspring

simultaneously (i.e. in litters) and whose generation times are short relative to the rate of environmental change. The former scenario is more likely to apply to long-lived / slowly reproducing species such as *Homo sapiens*, particularly given the emerging consensus that *cumulative* culture requires high fidelity transmission (i.e. low learning error: Tomasello 1999; Lewis and Laland 2012).

A third argument relates to the potential social costs of non-conformity, an element rarely considered in models of social learning, presumably because empirical evidence for it comes almost exclusively from humans (e.g. Fehr and Fischbacher 2004). The normative nature of human social learning can lead to third-party punishment of non-conformists, a pattern not found in other primates (Fehr and Fischbacher 2004), and almost certainly linked to in-group / out-group distinctions in the context of cultural group selection (e.g. Tennie et al. 2009). If the costs of non-conformity equate to actual declines in fitness via, for example, ostracism or reproductive suppression, this would imply an additional cost to both individual learning (innovation) and social learning strategies other than conformity. Whilst it is routine for theoretical models to assume a greater cost to individual than to social learning, there remains the additional possibility that social learning strategies themselves attract differing costs due simply to the ways in which their outcomes are viewed by other group members. Figure 4B demonstrates that there are regions, even at low reproductive rates, in which the fitness difference between CtM and CtB is low; in such regions, even minor social costs to non-conformity could promote CtM as the most adaptive strategy.

In summary, the results detailed above demonstrate that the optimal proportion of individual learning co-existing with strong conformity is greater under all parameter combinations than for an equivalent payoff-based strategy. Populations practicing the optimal combination of individual and payoff-based social learning are fitter than their conformist counterparts in 97.43% of simulations, supporting the conjecture that the most adaptive social learning strategy will be that which co-exists with the lowest proportion of individual learning, and suggesting that conformity is unlikely to evolve under a temporally varying environment unless reinforced by the social punishment of nonconformists.

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# **Figures**

**Figure 1**. Output of a single model run when the environmental does not change ( $\delta=0$ ), with other parameters set to intermediate values (s=c=r=0.5). Translucent shaded regions show interquartile ranges, with solid lines showing medians in each case. The environment is shown in green in the 'Phenotype' plot. The dashed line at 1,000 iterations shows the end of the burn-in period. IL = individual learning.

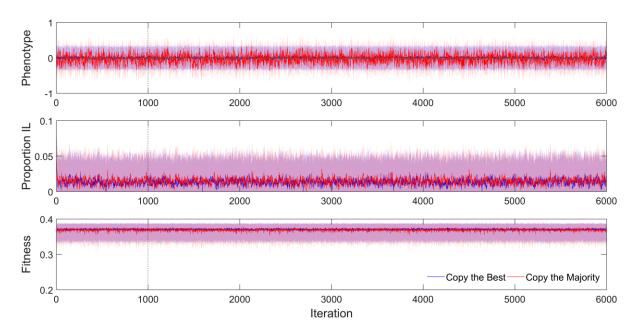
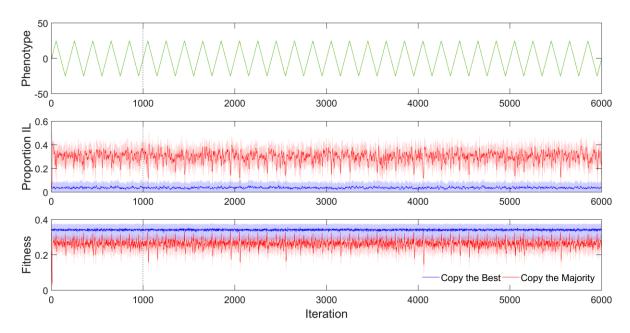


Figure 2. Output of a single model run with environmental change, learning error, cost of individual learning, and reproductive rate are all set to intermediate values ( $\delta=s=c=r=0.5$ ). Translucent shaded regions show inter-quartile ranges, with solid lines showing medians in each case. The dashed line at 1,000 iterations shows the end of the burn-in period. Note that the phenotypes of neither the 'copy the best' or the 'copy the majority' strategies are visible in the upper plot, as both perfectly follow the environment (shown in green). IL = individual learning.



**Figure 3**. Optimal proportions of individual learning when coexisting with (A) payoff-based and (B) conformist social learning. The indexes i - ix are used to identify specific combinations of reproductive rate and cost of individual learning in the text. IL = individual learning.

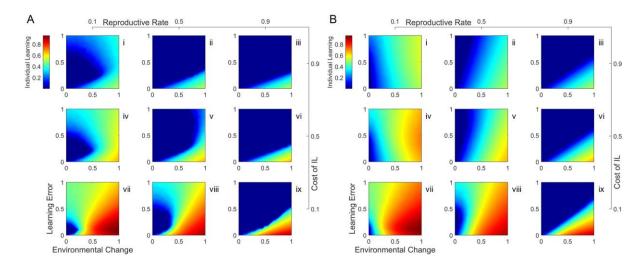
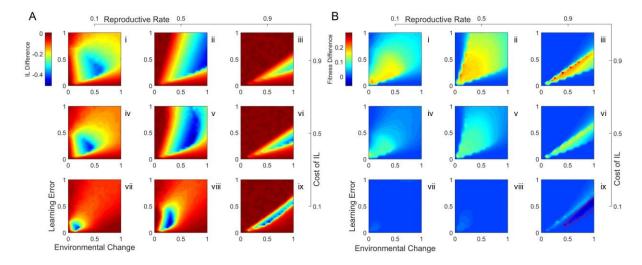


Figure 4. Differences between (A) the evolved proportion of individual learning and (B) fitness under CtM and CtB, measured as the result for CtB minus that for CtM in both cases. The indexes i - ix are used to identify specific combinations of reproductive rate and cost of individual learning in the text. The red contour line in B(ix) encloses the only area in which fitness is higher under conformist learning than it is under payoff-based learning. IL = individual learning.



**Figure 5**. Rendering of equation [3] over the range of s and  $\delta$  employed in the simulations.

