THE DIFFUSION OF ADATCNS ON TIUNGSTEN SINGLE CRTSTAL SURPACES

HEESIS SUBMITTED IN ACCORDANCE WITE RECE REQUIREMENTS OF TBE UNIVERSITY * LIVERPOOL FOR IEE DEGREE OF DOCTOR IN PHIIOSOPEY.

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And I'il tell it and think it and apeak it and iraaihe it, And reflect it from the mountains 80 all oowl can see it,

ACENOWL KDG FMENTTS ．

I would liks to oxtend gy thanks to Professor D．A．King for all the help he has given me ofer the years．I mould lise to extend the samo gratitude to all the menberis of the Livargnol surfaca Science group who at well wn being valird colleagues have also been valug friends， which ay be of greater impostancg in the end．Of all these three deserve spocial mension，K．Griffiths，C．Barnes，and $⿴ 囗 十$ Palmer，the firat two Backuse shay have bad to survive considerable langths of time in my pranicnue for the aake of scienve．Nick is included on the grounds that he masi，da，and alasy will be a very dear friend，

I would also like to thant protessor A．Lectith foo axtending to me
 the course of this stuly．

Last but most important y，mus thark ay wife Anetteyshe has bs m the mogt important inspirntlor or ms over the jears．She has never failed to cive me a level of suppoit uf which I amost undeserving．
page
CHAPTER I. INTRODUCTTON.I
I.I GENERAT INTRODUCTION. ..... I
I. 2 ULTRA-EIGB TACIMM. ..... 2
I. 3 THE GAS SOIID INTERACTY.D?. ..... 2
I. 4 SURPACE STRUCTURE RY W \{TID\}AND W \{IOO\}. ..... 4
I. 5 LOH ENERGY ELECTKON DTGFACTION. ..... 5
I. 6 AUGER ELECTRCH SPECTROSCOPY. ..... II
REFERENCES. ..... $I 3$
CHAPNER 2. EXPERIMEHMAL。 ..... 95
2.I INTRODUCM:TMN ..... 15
2.2 THE UHV C $2 A M E G H B A S Y C$ M, ..... 15
2.3 UBTAININGUV. ..... I5
2.4 THE GAS DOETNG IINE. ..... 16
2.5 THE BAYARD-AIPERT कीTSATYOK GAUGE. ..... I7
2.6 GAFPLE MANYYULATION AND BTMPARATION. ..... 18
2.7 GAS NSORPTIUN AT MIM SJMPLIT. ..... 20
2. 8 EXPERIMENTAI ASPACTS OF TEED AND ARS. ..... 23
2.9 THE POTASSIUM :OLSTE. ..... 25
2.10 THE INDIUS SOIFC. ..... 26
REFERENCES ..... 28
CHAPTER 3. DIFFUSIOI PROCESSES SN STMFACE LAYERS. ..... 29
3.I INTRODUCTION. ..... 29
3.2 ENERIMEN'AI TECHNGQUES IN SLRFACE DIFFUSION ..... 29
3.3 SURFACE DTHMSION DROCESSES. ..... 35
3.4 SURVEY OT EXPESTMENTAT RESULTS. ..... 37
3.5 CONCLUDING REMARSS. ..... 4.5
REFARENCES. ..... 47
CHAPTER 4 SURFACE DIFFUSION OF CHEMISORBED OXYGEN ON W $\{$ IIO $\}$ ..... 50
4.I INTRODUCTION. ..... 50
4.2 EXP ERIMENTAL ..... $5 I$
4.3 ABSOLJTE SURFACE CONERAGE AKD LEED INTETSITIES. ..... 52
4.4 SURFACE DIFPUSION. ..... 54
4.5 THE DIRPOMIONA: MR ROT OF SURFACE DIFFUSION OF OONW $\{$ IIO $\}$ ..... 58
4.6 CONCLUSIONS. ..... 59
REFERRNCES. ..... 60
 ..... 61
5.7 INTPADTCTICN, ..... $6 I$
5.2 EXPERTMATMT ..... 62
5.3 RESULIM AND DISCUCRION ..... 64
5.4 SUMMARY AID GENERIL CONCLITIONS . ..... 70
MERHMCES ..... 72
ATrapnar 6 MONOLAYER ANTM MITTTAMER SURFACE DIFFOSION, GROWTH ..... 75MODE AND IHTMMAL CTATHILITY OF In ONT H\{ $\{00\}$.
6.1 INTRODUCTION. ..... 75
6.2 EXPERYMENTAL ..... 76
6.3 THE GROKTH MODE OE INDTUM FILMS ON W\{IUO\}. ..... 77
6.4 SURFACE STRUCXIURE OF In ON W \{ $\{$ IOU\}, ..... 81
6.5 THERMAL DIFFUSION UF In ..... 83
6.6 PEACTJYTTY ON IA SOVERED-W \{ 100$\}$ TO CO AND 0. ..... 85
6.7 SURFACE DTffuSion of in on $W\{100\}$. ..... 86
6.8 GENERAL DISCTESSIUN. ..... 90
CHAPTER 7 INDIUM ADSURPTION. DESORPTION ANL MIGRATION AT A ..... 97
W \{rCo\} sirgle crystal plane precovered with oxygen.
7.I EXPERCMETH: ..... 97
7.2 INTRODUCTION. ..... 98
7.3 RESULTS ..... 102
7.4 DISCUSSION. ..... 104
RETERETCES. ..... 105
CONCLUDING RMMARKS. ..... 106

## Foreword

This Thesis follows the same type of siracture shat has been adopted by most Ph.D students. It differs ilishey in that the experimental chapters are written in the style ox seadumic paper . These chapters are arranged in this form odeawe thay are also intended as drafts for future publications. in this , syanathor names also appear. It should be emphasised tha these chapters were written without their asiatance.

## £. Introduction.

I.I. General Introduction.

Surface Chemistry is having an ever more obvious impact on our lives. Soaps, lubricants and adicstras ars a!l surface active reagents. The problem of corrowion it well koown to everybody in the modern world. Heterozeneous cabalyote is imporicant in the production of many of our essential chemicals. Latterly the microchip industry has revolutionised Iffe for most of ds and many belleve that its' impact will alter the wholo fabrlc of gocidety.

Over the reconc yars scientista havo besun to apply themselves in solving the fundanental problems associated with solid surfaces. The reason for the sudden development is mainly technolozical rather than $301 e n t i f i c$. The ability $\%$ produce clean, well-characterised suriases and mantain them for long enouph to study them is relatively new (less than ihirt, years). This occurred only with the advent of techniques capable of producing ultra "igh vacro whia co-incided with and spurred the advance of quantitative experimantal techniques which an now be performed with sensitivity of less than oue par cent ol a monolayer. Thus it has came to pass that scienciats have been handed the "Tools of the tradel.

As well ab a practical appsoach thero exista a anod to produce a reliable daca vase within a diseipline that is in fta infancy. To this objective a lurge number of surface scientists have worked with simple systems. e.g. low rolecular weight gases on single crybtal planes. These "simple" systems are of great importance to the physi. ist and the theor1tician. Why do wolecules adsorb? How is energy dissipated in the process of adsorption? Are the surfaces themselvaj perfectly stable? The answers to these questions are providing a great impetus to all surface scientists.
1.2. Ultramigh Vacuuti, (U.F.V.).

The purpose of this study is to invertyate the diffusion of adspecies across a single crystal anrfacy fo will jo seen that in order to do this the species of lyureac 2 z के De deposited on to part of the surface ensuring that the rest of the suafece is atomically clean. The preparation of the clean guriace, bhe judty tine and the time needed to perform the experiments nacessifas 03 hint a state of near perfect cleanliness must be maintained for periods of up to an hour. This experimental requisite could wot he aciciesed until the development of U.H.V. The kinetic theory of gases hows that the rete of rival of A molecules of a gas is given by

$$
\mathrm{N}=2.89 \times 10 \mathrm{P}(\mathrm{MT})^{-\frac{1}{2}} \text { molecules } \mathrm{cm}^{-2} \mathrm{~s}^{-1}
$$

wiora $P$ is the pressure in Popr.
Y is the molecular weicit of the impinsing gas,
I 18 the temperature $u$ ? gas.
Conventiones diffusi.n pumped systsme wasmly aehieve pressures around $10^{-6}$ Torr. Assuming that all the gas molecules *hat collide with the surfese ndsorb (i.o. the sticking probality ls aqual to one) and that a monolayer of gas corresponds to $\sim 10^{i 5}$ asoms $\mathrm{cm}^{-2}$, it cen be zeen that a monolayer of gas is mollected in gbort 3 seconds at this pressure. In orfar to maintain the surface at tine clanlizess level necessary

I.3. The Gas-Solid Interaction,

Whas a gas particle coliides with a surface and sticks, a gradual accumulation of the perticles occurs. This process is known as adsorption. The incoming particles are known as adsorbates, the reacting surface as the adsorben \%, In many cases adsorbate particles may be
transferred from the durface layer to the interiow of the solid. This is known as absorption.

How and why do molecules adenrbp it is well known that for adsorption the process occurs spos"anals 1 , e, the free energy of the gas/solid ayatom in lowered; the nhange ar free energy $\triangle G$ is given by,

$$
\Delta G=\angle, H-T \Delta S .
$$

Since the adsorbent ib zinf ariared than the gas phase when it is adsorbed on the surface, lhe iree entropy change $\Delta S$ must be negative. This means that $\Delta H$ is negative i e. the adsorotion process is exothermic. As early 2 as $1924^{2}$ the prr:ess sirla be described in town of an interaction potential. The basies of the model $19 \% 211$ used today. For a gas-metal system where the interaction is strcag enough to form a chemisorbed bond it was dhow thai ma incoming particl ;asses through two energy minima.
 of 2 chemical ond. The well i.j sown as the sbenisorbed weil, the process bringing cas particiesintc equilbrium in tinis wei? is known as chemisor -ption. The first shailuw wall 1 s the physianrea asil and its existence has beel attributed to the existence of weaks Tan ler Vaals forces* 3.4
between the gas and the solid. It, has bees shown, frat jhe depth of tha well is often greater than is predicted sole!y jy these sather weak forcas. However the concept of a iwo stage adsorption piocess is sifll balieved to be irue for many $0 \dot{i}$ the ayntems investigatsd today. The imprassiun may have been given thai; 211 molecules incldent on the surface will automatically adsorb. This is not true. Incoming particles always have kinetic energy to dump before they can be accommodated Into the wells. Hence a number of events can be performed by these
partides before they adcort. A recent, review has detailed these events. These events allow the molecule to lose, energy and are summarised here.

The particle may be elagifenty scattered losing no enercy to the surface or may loge a properizun of its enerey and be non-elastically scattered. It may wo partially accomodated, diffuse across the surface from one well to tise wext hefore efther leaving the surface again or, in fact,being fully acmmordated. It may also pass into the chemisorbed well where a number of ainilar grents may be performed. All of these events can be assigneiacertain probability. It is an overall probability equal to the ineividual probabili"d ss sultiplied together that defines the probability of adsorption. This fo the sticking probability defined us,s

$$
s=\text { Rate of adsorption/Rate of cas arrival. }
$$

Where is adyther reason why particles do int nsve to adsorb. Mg.I(a) shows this explicitly. Here it can =e seen that the crossover of the potential yile is inolow the energy zero. Ia $\mathrm{F}_{\mathrm{i}} \mathrm{g}$, $(0)$ it is above. In thif case the adsorption is said to be activareu, seriteles sist are to reach the chemforbed well have to climb ghova the enarey zoro and so are preferentiaily acattered into the gas whase. For win syatams the rate of chemisorption no no mally very low main despite the fact that the chemianption energy is of the same uriar or ariftude as in anonactivated cese.

## I.4. Surface structure of W\{IIO\} and W\{IOO\}.

In order to fully understand adsorption processes it has proved necessary to look at the simplest surfaces possibis. This was made feasible because bulk single:- crgetal surfaces of most metals became comercially available.

In this study $\left.W_{i} I I O\right\}$ and $W\{I O O\}$ were used as adsorbents. Wis a metal that adopts a body-centered cubic arrangemeni. The surface unit mesh of W[IIOHis shown in Fig.2. The surfane is two fold symmetric and the surface density is 14.2 atoms $20 \times 10$. Mhis plane is fairly smooth and is the most closely packsd plane of a B.C.C. metal. Also shown in Fig. 2 . is the $W\{100\}$ surteow unit mesh. It is four fold symmetric and the -2 14
surface atom density is 10.0 atoms $\mathrm{cm} \times 10^{14}$.
Apart from the rather obvious differences in symmetry and corresponding differences in surince density, there ame other marked differences between the two surfaces. It has been shin) that the W\{IOO\} surface undergoes a surface reconstraction at inn temperature and below. This causes enhanced stability of the surface. मowever small amounts of I5
Wit ogen have been show to lirt this surface reconstruction. It has I6
vecr poinied at that this does not alter the simple picture of the suriace as a stmple square arraj. The WEIIC sirface does not display the same tendancy, due to ita more closely raiken structure. The difference is emphasised by the adsorption properties or $\mathrm{H}_{2}^{\mathrm{T7}}, \mathrm{Z}_{2}^{\mathrm{I}}$ and $\mathrm{O}_{2}^{\mathrm{T}}$. All of these gases cause surface reconstructing hea adsorbed to high surface coinentrations. The $W\{100\}$ surface is a landmark, hof ig the first surface where such effecty were quantitatively investigated.

## I.5. Lo: Ens: :y Electron Diffraction.

The experimental arrangement necessary to observe the diffraction of electrons from surfaces is described in the following chapter, the aim here is to outline the information that can be obtained from a 2.E.E.D. system. A description of how and why electrons alffracted from the surface carry information is also included.

Since its discovery in 1927 L.E.E.D. techniques have remained almost
unchanged for about 50 years. Since X-reys aiffract atrongly from materials it is to be expected that electrors of a similar wavelength should also diffraci. The electron warelength is given by,

$$
i=(150.4)^{1 / 2} \Delta^{0}
$$

bere $\nabla$ is the voltage through which the electron is accelerated. This puts the useful voltage in the rate of 20 to 1000 wolts. Because of the strong elastic and inelastic argtiaring of these slow electrons, they can only penetrate 3-5 atomic layers and so are highly sensitive to the surface, unlike X-rays which penetrate the bulk of the crystal. Higher energes can be used but the angls of incidence is inited to less than 5 rather than normal in d.E.E.D. Thus the energy nomma to the surface is still low enough to earure a high surface sensitivity. The technique is known as Roilection सleh-Energy Electron ditfraction or R.H.E.E.D.
 ted from the uruacs, l.e. we otserfe a number of discrete ieams emerging from the surfec. The spatial distribution oi these beara is determined by the distances between rows of atoms in the atomic planes. The ceometry of the diffraction is then described in termes of a uit mesh, this can be dofined by unft vectors $a_{1}^{*}$ and $z_{2}^{\prime \prime}$ and $p_{1}$ Intererion angie $\gamma^{*}$. The diffraction geometry san be pictured uairz a figla srese nonstruction. The surface lagar as represented as a 2 D sot of atoms. Apain this can be asicribed in terms of a unit mesh whish ropeats over space to form the net. There are only five possible unit meshes. The square, the rectangle, centered rectangle, the 120 degree rhombus and the parallelogram. The unit meshes are made up cif two vectors $a_{1}$ and $a_{2}$ with an angle of $\gamma$ degrees between them. Because of the physics of diffraction a distance that is large on the surface appears to be small when viewed in the diffraction pattern. The surface net is said to be in real space, the diffraction
pattern in reciprocal space. The surface net, the reciprocal net and an observed L.E.E.D. pattern for a B.C.C.\{IIO\} crystal plane are shown in Fig.3. A Ewald sphere construction for a square lattice is shown in Fig. 4. The surface can be considered as a 2Darray of point scatterers as scattering from the second layer is negligible. Because of this, effecti-vely, the distance jetween atoms in the direction normal to the surface plane is infinite, transposed in reciprocal space to zero. Hence it is a continum. The rec procul lattice thus consists of a set of rods perpendicular to the surface as shown. These rods are numbered as shown, 9 the general notation $k$ eing $(h, k)$. The incilent electron beam makes the same angle with the surface normel as ia real space and is represented by the wave vector $K_{0}=2 \pi / \lambda$, terminati-s at the origin $(0,0)$. The Iwald Sphere is drawn with radius $K_{0}$. The points where the $\mathbb{I N}_{\text {wald }}$ Sphere inte $s c=$ ths rais determine the directions of the diffracted beams. Obserfed L.H.T. 0 . patterns are simply sections of the reciprocal lattice perpendicular tu the rods. It can be seenthat as the primary beam energy increases ( Iolucreases ) the radius of the circla increases and cuts more rods. This in a L.E.E.D. experiment meansthst the higher the beam energy, the higher the number of observed neand. The relation between the surface net and the L.E.E.D. pattern 1/3 show in Pig.5. The indexing of the beame 18 simply, then, the number taken from the IWald Sphere construction.

The vectors $\mathbb{E}$ drawn from the centre of the sphere to the intersections satisfy the conditions of energy conservation,

22

$$
\mathbb{K}=\mathbb{K}_{0} .
$$

Momentum conservation is also maintained,but due to translational symmetry(i.e. the existence of unit cells) momentum parallel to the surface is multivalued,

$$
K_{/ / /}=K_{0 / /}+\bar{z}(h, k) ;
$$

where $\bar{B}(h, k)$ is a reciprocal lattice vector to go from one point scatterer to the next. This equation is the physics of the L.T.E.D. process. It is onily a restatement of Brageis law.

When now periodis aurface structures form new diffraction beams are observed. Since electrons do penetrate more than one layer usually in many cases, the diffraction beams are no longer determined by a single layer reciprocal ne:. Fhe superposition of two nets results in a pattern of diffraction beams described by,

$$
\mu_{a} a^{*}+M_{b} b^{*}=M_{c} c^{*}
$$

$a^{*}$ and $b^{*}$ are matrices describing the sub $z_{\text {iraise and surface reciprocal }}$ nets. $M_{a}, M_{b}$ and $M_{c}$ are integer row matrices such that if $M_{b}$ is zero, $M_{c} c^{*}$ describes the original surface net. When $M_{a}$ is zero $M_{c} c^{*}$ describes the new yaface firucture. If both are non-zero, beams resulting from double diffraction aro described. This diffraction is called "incoherent". However, it -s more frequently seen that and are related and that the superposition can be described by a third net 3 , (the nets being referred to are real suace nets)

$$
\mathrm{c}=\mathrm{Pa}=\mathrm{Nb}
$$

It is useful at this point to show explicitig why matrix notation is Bo powerfol. P and ${ }^{(1)} 2 \times 2$ transformsion ratrices. We illustate here how this tipe of notation is used. $a_{1}$.... $n_{3}$ are the translation vectors of the surface net, and $c_{1}$ and $c_{2}$ the transiations of the new net.

$$
\begin{aligned}
& \text { Then, } \quad c=P a \\
& P=\left[\begin{array}{ll}
P_{11} & P_{12} \\
P_{21} & P_{22}
\end{array}\right] \quad a(2 \times 2) \text { matrix }
\end{aligned}
$$

So

$$
\begin{aligned}
& c_{1}=P_{11} a_{1}+P_{12} a_{2} \\
& c_{2}=P_{21} a_{1}+P_{22} A_{2} .
\end{aligned}
$$

In this case,

$$
c_{1}=2 a_{1} \quad \text { and } \quad c_{2}=2 a_{2}
$$

ana raus,

$$
P=\left[\begin{array}{ll}
2 & u \\
0 & 2
\end{array}\right]
$$

Hore complicated examples than thin are of cnurse possible. Adsorbate structures have bean separated into three categories. These are shown in FMg.6. "Simple" moans that the two nets are related directly- the ratio of the two unit cells is an integer. $A$ "coincidence sitel superposition has a ratio of areas that is a rational fraction. The last case is an "incoherent" superposition when the surface net shows no relad tion to the substrate.

So far we have only discussed real space structures when experimentally we observe the reciprocal space structure. At present there is no unaminusus mechod of determining the real space surface net, b. Frequently several possible structures exist that could result in the same observed reciprocal net. For example, all the structures show in $\overline{\mathrm{H}} \mathrm{g} .7$. produce the same L.I.E.D. pattern. This is due to the fant that the I.I.I.D. pattern is produced by electrons that carry only $n$ d eymetry information. The most general method of cataloguing structures do to list the transformation matrices $P$. The reciprocal net $c$, is obtained from the diffraction pattern as,

$$
c^{*}=p^{*} a_{0}^{*}
$$

where $P$ is given by,

$$
P=P^{*-1}=\frac{1}{\operatorname{det} P}\left[\begin{array}{rr}
P_{22}^{*} & -P_{21}^{*} \\
-P_{i 2}^{*} & P_{22}^{*}
\end{array}\right]
$$

It is more likely in the ifterature that structures will be 10
classified according to Koods-notation. The structure is indicated $b_{y}\left(c_{2} / a_{1} \times c_{2} / a_{2}\right) R$, where $I$ is the rotation of the net $c$ with respect
to a.
Throughout this section it has been assumed that the surface and hence the surface net show perforf order, and the order is repeated through space. In real terms the is never true. As well as molecules adsorbing on the sites to give the required I. I.N.D. pattern, it may be that other sitee aro filled in a randonmaner. The intensities of the L.D.R.D. spots $\varepsilon$ ra nighly sensitive to such effects.in general the greater the order of the surface the more intense are the spots. Disorder may also be apparent at low surface concentrations (coverages) where although ad-species may occupy the correct sites, the long range order is still smald. The surface layer may also be thermally disordered. These typa of offects are discussed in greater detail elsewhere in this thesia.

I d.E.D. is now recognised as a most powerful:tool in the hand of a surface scientist. This is even greater than is indicated here. It is noticeable that if the incident beam energy is varied, that the intengity of the spots shows distinct maxima. The reasor for inis variation is twofold. Firstily the registry of the surface pis mindiriar to the surface is felt to some extent so weak variations are 30 expeoted is the third diffraction condition is met. Secondy this is further distortad by "multiple scatter!ng" of the electrons. (Drue to an electron's strong interaction with matter) Using ever more powerful and quicker somputing techniques it is possible to find the registry of the surface net to the bulk net and the spacing between thom. It should be pointed out that often these experiments are very time consuming and that the computer work is very involved and may take an equally long time. These techniII ques have been fully described by Pendry.

## I. 6 Auger Electron Spectroscopy. (A.E.S.)

When electrons are incident onto a surface most of them undergo some energy loss to the surface and are inelastically scattered, as show in Fig.8. The diagram is divided into three distinct regions. the first is the elastically scattered electrons used in L.E.E.D., the second shows electrons which have lost discrete amounts of energyle.g. to plasmon excitation to the substrate.). The third region shows a broad peak due to the production of secondary electrons. Superimposed on this peak are subsidiary maxima due to the production of Auger electrons. The Auser process is an alternative to X-ray emission and occurs after an atomic core level has been fonised by the incident electrons (or photons). The hole in the inner shell 1 s filled by a less tightly bound electron, the Kinetic energy gained during this process may be passed to a second electron which is lost into the vacuum. The process is show diagramatically in Fig.9. It can be seen that the kinetic energy of the escaping electron is given by,

$$
\mathbb{E}_{K E} \sim \mathbb{E}_{K}-\mathbb{E}_{L_{1}}-\mathbb{E}_{L_{2,3}}
$$

the electron being a $K L_{1} I_{2,3}$ Auger electrny mine approximation sign is used because as the ionisation takes place the sceening of the nucleus I?
is reduced and so the energy levels shift . Every element wil show a number of Auger transitions and the enorgy where these occur is typical of the element. So with the development of A.E.S. it became possible to characterise the surface chemical composition.

In the normal Auger systems electron beams of between 0 and 5 Kv at beam currents of upto $50 \mu \mathrm{~A}$ are usually used. Such high energy electrons have the capability of probing more than one layer. The sensitivity of the technique is governed by the mean free path of the incident electrons through the sample and the escape depth of produced Auger electrons. For $2 K v$ the mean free path is between 5 and $20 \AA$ and thus the technique is sensitive to the surface. Escape depth effects have been discussed in
depth by Seah . Use of equations formulated by Seah will be illustrated in later chapters.

Fig.iD. shows a typical expertmental spectrumfor a clean and CO covered W\{IIO\} samplo. The mfthod for obtaining auch a spectrum and its form will be discussed in the following chapter.

As well as being used to monitor the chemical composition of a surface it can also be used to measure the kinetics of adsorption. This is due to the fact that the intensity of the Auger signal is usually directly proportional to the amount of material at the surface. It does suffer from the disadivantage that to obtain quantitative information for the surface coverage it must be used in conjunction with another technique.
A. D.S. is now an extremely common technique in very widespread use both in research institutions and in Industry. A number of reviews are I3 available explaining the theory and the practicalities of A.E.S. .

References for chapter I.
I. See for example, J. Yarwood, "झigh Vacuum Technique", Chapman and

Hall, London 1967.
2. J.F. Lennard.-Jones, Proc.foy.Soc.A, IO6(I924)463.
3. G. Inrlich in, Transactions of the Iigth American Vacuum Symposium, Pergamon Press, Oxford, 196I.
4. T. Figel and F. Gomer, J.Chem.Phys., 52(I970)5572.
5. M.A. Merris, M. Bowcer and D.A. Eing, Kinetics of Adsorption, Desorption and Diffusion at Metal Surfaces, to be published in: Comprehensive Chemical Kinetics, ed. by C.H. Bamford and C.F.F. Mpper, Ineevier, Amsterdam, Volume I9.
6. J. Pritchard, Trans.Far.Soc., 59(1963)437.
7. C.J. Davison ent I.H. Germer, Phys. Rev., 30(I927)705.
8. H. Threnbers, Phil.Mag., I8(I934)878.
9. See M. W. Hoberts and C.S. McKee, Chemistry of the Metalingas Interface, Clarendon Press, Oxford, I978.

IO. I.A. Wood, J. Appl.Phys., 35(I967)I306.
II. J.B. Pendry, Lov Finergy जectron Diffraction, Academic Press, London and New York, I974.

IR. M.F. Chung and I.H. Jenkins, Surf. Sci., 22(I970)479.
I3. See for instance ',
G. Irtl and J. Kueppers, Low Inerey Hiectrons and Surface Chemistry, Verlag Chomie, Weinhoim, I974., and references therein.

I4. M. K. Debe and D.A. King, Surf.Sci., 8I(I979)I93.
I5. X. Griffiths and D.A. King, J.Phys.C., Solid State Physics, I2 (I979)
L755.
I6. P. Alnot and D.A. King, Surf. Sci., to be published.
I7. G. Thomas and D.A. King, Surf.Sci., 92(I980)20I.
I8. K. Griffiths, C. Kendon,D.A. King and J.B. Pendry, Phys.Rev.Letts., 46(I98I) 7755.
19. 1. Bauer, Surf.Sci., 58(I978)517.
20. M.P. Seah, and W.A. Dench, Surface and Interface Analysis, I(I972)2.
Fig.I.

Potential lnergy Wells for adsorption. Two cases are illustrated. I(a) where adsorption is non-activated and $I(b)$ were the adsorption is activated.


$$
\text { Tg. } 2 .
$$

Diagram showing the symetry and the principle crystal directions of a $\{10\}$ and a $\{100\}$ B.C.C. crystal plane.

FIG. 2

[ $11 \overline{1}]$

## Tig. 3.

The relationship botween the reciprocal and the real space nets.



RECIPROCAL SPACE
(LEED pattern)

FIG. 3

Fig. 4.
Erald Sphere construction in a plane normal to the surface and parallel to $a_{2}{ }^{\text {T}}$.


## F16.5.

The L.I.E.D. geometry.


## $\mathrm{Fig}_{\mathrm{g}}$.

Three different surface structures.


## F1s.7.

Three different adsorbate geometries which result in a $c(2 \times 2)$
L.E.E.D. pattern.


Fig. 8.
The enercy distibution of electrons from a surface under bombardment by
a beam of electrons energy $\mathbb{E}_{p}$.


## Fig.9.

Schematic representation of the Auger process.


## Fig.IO.

## Auger electron sectra from a clean and Co covered $W$ sample.

 The upper snectrum is from a clean surface, the lower spectrum (displacca vertically) from a CO covered surface and here the sensitivity has been multiplied by two.

CHAPTER 2: EXPERIMENTAL.
2.1. Introduction.

This chapter describes how resulte presented in this thesis were obtained. It outlines how U.H.V. was obtained on a routine basis, how kinetic measurements were made, how L.E.E.D. spots were obtained, and how luger spectra were collected.
2.2 The U.H.V. Chamber-basic design.

The experiments were carried out in a 24 inch Vacuum Generators (V.G.) stainless steel U.H.V. system shown in Figs.I. and 2. Pumping of the main bell was carried out by a $220 \mathrm{ls}^{-1}$ sputter ion pump combined with a titanium sublimation pump. The sublimation pump fired over a liquid-nitrogencooled shroud. Total pressure measurements were made with a nude Bayard-Alpert ionfsation gauge. A vacuum quadrupole mass spectrometer ( V.G. model \&BK ) was used for residual gas analysis. Gas samples were introduced into the system via an all-metal valve or a molecular beam dosing arrangement, discussed elsewhere. In order to maintain the purity of the samples entering the system, they were handled in a glass U.E.V. Iine pumped by an IIwards ED50 rotary pump and a mercury diffusion pump. Between this line and the main chamber was a liquid-nitrogen-cooled trap to remove impurities. For accurate calibrations of gas fluxes there was another Bayard-Alpert ionisation gauge connected to the trap.

### 2.3. Obtaining J.H.V.

A schematic showing the gas dosing line and the U.H.V. chamber is seon in Fig.2. Starting at atmospheric pressure tho rotary pump was swliched on and allowed to pump until a pressure of 0.01 Torr was measured with the valve MVI open. The rotary pump was liquid nitrogen trapped to prevent pump oil contaminating the system. After this pressure had been reached the mercury diffusion pump DI was switched on. This
pump consisted of two seperate pumps, a small Jencons pump (301s $\mathrm{s}^{-1}$ ), and a Klemperer pump (9018 ${ }^{-1}$ ). The amaller pump backed the large pump. -6
Pumping continued until the pressure reached Io Torr. At this pressure the ion pump was switched on and the valve MTI was closed. Pumping then
continued unti] the pressure in the chamber reached IO Torr. The whole of this process took upto 24 hours. This was a convenient point to test the system for any air leaks. This was done using the mass spectrometer. Mass $32,1 f$ present, was diagnostic of a leak, since at these pressures only contaminants adsorbed on the walls should be detected. The leak could then be isolated by tuning in to mass 4 and probing the vessel walls with He.

In order to reach U.H.V. In both the gas line and the main chamber it was imperative to bake the system. The parts that ware enclosed in large ovens, to this effect, are shown in $\mathrm{FHg}_{\mathrm{g}}$, , between the dotted lines. Baking was continued until the pressure went throgen a large maximum which at a temperature of about $160^{\circ} \mathrm{c}$ took around six hours. The ovens were then switched off and the gas line was allowed to cool more quickly. The gas line trap was slowly cooled with liquid nitrogen so that gases were condensed near the bottom of the trap. When the temperature of the main chamber féll to around $70^{\circ} \mathrm{c}$ the ovens were removed and any instruments In the chamber that used a heated fllament were degassed. On cooling the -IO
pressure reached about IO Torr within a few hours. After a few days -II
the pressure reached 10 Torr; below this, pressures could not be read.
2.4. The Gas Dosing Lino.

The following section describes explicitly how this was used to introduce pure gas into the chamber. The gas line was constructed of "pyrex" blase. The gas bulbs $G_{8}$ to $G_{4}$ were connected to a high pressure
line shown in Fig.2. The gases were obtained from the British Oxygen Company at a purity of $99.999 \%$. During pump down the high pressure line was initially pumped via a rotary pump but then it was closed off and pumped only by the mercury pump. The required pressure of gas to be used behind the molecular beam was obtained by isolating the high pressure branch(H.P.B.) from the pumping lines and allowing the gas to flow from the gas bottle into the line. Pressure was monitored on a mercury manometer, $M$, and could be readily adjusted using a viton seal all glass leak valve to the rotary pump. Gas was then admitted to the low pressure section of the gas line through a capillary so that pressures $-5 \quad-7$
of between 10 and 10 Torr were measured at the ionisation gauge, B.A.G.I. Incorporated in the E.P.B. was a two litre ballast bulb. This ensured that there was only a very small pressure drop in opening the valve M.V.Iinto the syotem.

The above is only a brief description of the U.H.V. and gas handing techniques. It does not pretend to give a full descrition of the back-up electronics or a step-by-step guide to U.H. V. techniques. A number of reviews are easily accesible.

### 2.5. Bayard-Alpert Ionisation Gauges, (B.A.G.).

Before the advent of these gauges it was impossible to measure higk vacum and so they have been important in the development of surface science. There have been very few changes to the basic design aince their intro3
duction. The gauges essential features are described below. Enission of electrons from a hot cathode are accelerated by an applied potential towards a spiral anode. Inside this anode gas molecules are ionised by the electrons and are collected by a fine wire. The pressure is then given by the ion current ratioed to the electron current multiplied by some constant. These cauges have a purping effect due to the trapoing of ions
or free radicals formed by the dissociation of gas at the cathode. This can be prevented by lowering the workfunction of the cathode and filaments auch as rhenium/lanthanum boride or thoriated tungsten are often used.

### 2.6. Sample manipulator and preparation.

 2.6.I. Degrees of freedom. 4The sample manipulator was a Varian model $981-2527$, which had been 5 adapted by M.X. Debe so that the crystal was 2.5 inches from the axis of rotation. The sample could then be turned towards the various instrument ports. More importantly it allowed the sample to be in the centre of curvature of the L.E.S.D. grids. The sample mounting arrangement allows various degrees of freedom. These are,
a) vertical translation- $z$ motion,
b) horizontal motion in two orthagonal planes- $x$ and $y$ motion,
c) rotation about the axis of the manipulator-indicated by $\theta$,
d) offist flip motion providing $100^{\circ}$ of rotation about an and normal to the central shaft.

The movements $x, y, z$, were controlled using accurate micrometers which could be read to a tenth of a millimetre. The $\theta$ setting could be read to a tenth of a degree. Two stops were provided on the manipulator so that the sample could be accurately swang between any two positions. The flip motion had an important use in allowing the sample to be exactly at normal incidence in L.E.E.D. and A.E.S. experiments. These motions are shown in PH g. 3.
2.6.2. Cooling the sample.

The manipulator had the facilities for liquid nitrogen cooling of the sample. This has been modified from the original design. Cooling is $4(b)$ now performed by a V.G. liquid nitrogen tank. Liquid nitrogen was fed
into the tank as shown in Pig.4. The inlet and outlet pipes were on the same mini-conflat flange. Stainless steel tubes $O . I$ m in diameter coiled around the manipulator shaft and fed the tank. Before cooling dry nitrogen was passed through the tubes to remove any water so as to prevent ice formation. To pass the liquid, dry nitrogen gas at around IO p.8.1. was flowed through several tubes immersed in ifquid nitrogen. The tube diameter was 5 mm and the total immersed length IO metres. The gas is liquefied in the tubes and flows into the tank. After 20 minutes tho outlet pipe was seen to be emitting Iiquid. The tank was connected to the sample mount with an annealed copper tape ( $I 5 \times I \times 0.25 \mathrm{~cm}$ ). Within 20 minutes the sample temperature fell to 220 K . 2.6.3. The sample holder.

Sample holders hava to be carefully designed. The holder used here was designed to maximise the cooling rate and allow prolonged heating times of upto 5 minutes at 2500 K . The crystal was heated by two methods, a) electron bombardment- 700 K upwards,
b) reistive heating-700K, and below.

This necessitated complex electrical isolation of the sample, mounting blocks and the wires carrying voltages and current. The wires were Insulated with either "Teflon" or "Refrasil". In order to allow free rotation these wires made soveral coils around the manipulator. The design is illustrated in Fig. 4 . The crystal was held by two 0.25 mm W wires passing through holes drilled in the edge of the sample. These were bent in such a way to prevent the crystal moving. The two wires were clamped to two stainless steel blocks using screws. Resistive heating was carried out by passing current down two copper braids attached to each of the blocks. A small electron bombardment filament behind the crystal was fed by two gold wires attached to the mounting block supporting arms. The
temperature of the sample was measured using a W-3\%Re/ K-25\%Re thermocouple inserted into a hole drilled into the edge of the crystal. A temperature curve, calibrated using a disappearing filament optical pyrometer, is shown in Pig. 6 . For comparison the E.M.F. of a standard thermocouple is also shown. E.M.F. readiggs were made with a high insulation multimeter. It can be seen that the two curves agree quite well un tovery high temperatures. The divergence after this is explained as an emission effect. The filament is in direct line of sight with the thermocouplo producing a secondary F.M.F., thus altering the reading. At low temperatures emission is small and the effect small. This particular
thermocouple was used because of its almost linear output and compared to the of/25\% combination, does not pass through a minimum below roon temperature. Pig. 7. shows the callbration of the thermocouple below room tamperature taken from the work of Sandstrom and Withrow. This was used in this work because it is expected to be exact at these temperatures. 2.6.4. Temperature sample control.

The temperature of the sample was usually controlled using an electron bombardment unit. This could raise the temperature of the sample to a given debired value at any rate un toa maximum of $180 \mathrm{Ksec}{ }^{-1}$. The final temperature could then be held to within $2 K$ for an indefinite time. The unit displays the temperature and using a feedback circuit chanees the current through the filament to keep this constant.

### 2.7. Gas adsorption at the sample.

2.7.I. Gas adsorption from a partial pressure of active as.

As described earlier the gas line could be filled tono to IO Torr.

Fine adjustment of this pressure was possible using a fine bore velve, $-6$
V4. If a pressure of $10^{-6}$ Torr was produced in the ine and M.V.I. was

Opened a pressure of $I .5 \times 10$ Torr was produced in the chamber. This facility was seldom used. Its main use was during cleaning work when It was thought that beam dosing may leave the back of the sample dirty and Later contamination may spread to the front of the crystal. 2.7.2. Gas adsorption from a Kolecular Beam.

The molecular beam is clearly described in Fig.8. It consists of a length of stainiess steel tubing IOmm internal diameter. This is mounted on - bellows arrangemant. At the end of the tube is a stainless steel cap with a cylindrical orifice length 0.685 and radius 0.55 mm . This produces a flux of gas with enhanced velocity in the forward direction. The bellows allow about 7 cm of innear motion towards the centre of the chamber and operation of the thumbwheels allows a small amount of angular variation. Combination of these two movements allowed the sample to be set at a pro-determined position without using the manipulator micrometers.

In order to measure sticking probabilities and coverage, the flux and its spatial distribution had to be known. This, off course, varied with pressure. These parameters could be evaluated with formulae derived 8
by Dalton. These formulae have been adopted for use with this system 9 by Marsh. Given the molecular weight of a cas, its temperature and the 9
pressure, a computer program develped by Marsh, celculates the total flux leaving the orifice and the fraction, f, intercepted by the sample. - 6

With a pressure of $10^{-6}$ Torr behind the beam the flux at the sample,
is about $5 \times 10^{12}$ molecules $\mathrm{cm}^{-2}$ at a distance of 5 mm away. Dosing the crystal in this way was very useful. Although high fluxes could be produced at the sample the background pressure rise was very small. Even with a pressure of $10^{-5}$ Torr behind the beam the background pressure did not -10
ribe above $3 \times 10$ Torr.

### 2.7.3. The adaptation of the molecular beam to deposit an adsorbate boundary on the surface.

In the oxygen diffusion work it was necessary to produce a gas boundaryat the surface between clean and covered W. The experimental arrangement is shown in FIg. 8. A shield was held on a pivot so that it could be swang in and out of the beam. In the centre of the shield a bole was cut to exactly match the size of the crystal. At either side of this were cut two more holes so that half of the sample, in either the perpendicular or the horizontal direction, could be covered. These were cut so that the boundarywas deposited 90 to the crystal edge.

The molecular beam does not give a completely homogeneous flux until the sample is some distance from the beam. The further away the sample, the greater the homogeneous nature of the flux. Also as the beam to sample distance is increased, "shadow" effects at the boundary edge are decreased. There 1s, however, a drawback. The greater this distance the greater the amount of gas that is lost into the chamber, i.e. the groater the background pressure. Thus the boundaryis smeared by random gas adsorption. Experimentally some compromise has to be found. A typical boundary is shown in Fig.I8.

### 2.7.4. Scanning the Adsorbate Boundary

The shape of the boundary edge was measured using A.E.S. The height of the Auger derivative signal was calibrated against coverage. The Auger signal as a function of distance could then be used to obtain coverage profiles. This was done by positioning the sample in front of the Auger beam and using the accurate micrometers described earller, the sample could be moved across the beam, recording the Auger signal as a function of aistance. Usually after this, the sample would be heated for
a time. Diffusion was measured by re-scanning the profile. It should be pionted out that this process took some time and particular attention had to be paid to the vacuum conditions during these experiments. 2.7.5. Sticking Probability and Surface Coverage measurements.

The following method was used to measure the sticking probability, 8, and the surface coverage. T. The crystal is swang away from the beam source and the beam valve opened so that a known flux of gas enters the system. The mass spectometer is then used to measure this pressure,pl. The crystal can then be positioned in front of the beam and provided that the sample is free to adsorb, the background oressure measured at the mass spectrometer decreases to ,P. 8 is then given by the relationship

$$
s=\frac{I}{f} \frac{\left(P^{\prime}-P\right)}{P}
$$

where $f$ is the fraction of flux intercepted by the crystal and this can be calculated. If a plot of $s$ against $t$ is made then the cobverage

Is evaluated from the equation,

$$
N=\int_{0}^{t} Q d d
$$

Q is the impinging flux of molecules. In this way s versus $N$ plots can be constructed.
2.8. Experimental Aspects of L.E.E.D. and A.E.S. 2.8.I. L.E.E.D. Display.

The L.E.E.D./A.E.S. retarding field analyser (R.F.A.) is a multipurpose Varian model number 98I-OI37. The electron ontics assembly is a set of four concentrio grids in front of a fluorescent screen. The grids are made from hydrogen-fired nickel-plated tungstenmesh of $98 \%$ transpar. ency, and the screen is a spherical surface, coated with a PII phosphor layer, which is biased at around $5 k V$ producing an intense blue image when 1mpacted by electrons. Through the centre of the gfid assembly is an
off-axis electron gun, producing a finely controlled primary electron beam in the energy range of $2-1.500 \mathrm{eV}$. The beam current is regulated at $0.5 \mu \mathrm{~A}$ for voltrges $>45 \mathrm{eV}$. In front of the final grid is a moveable faraday cup, allowno the current in a diffracted electron beam to be measured.

The experimental technique is shown in Fig.IO. The crystal is held at earth potential as is the first grid, ensuring a field free region between the two. Magnetic fields are oliminated by ase of three Helmholz coils at $90^{\circ}$ to each other surrounding the chamber. The two centre grids are held at a potential fust below the primary beam energy auch that only elastically scattered electrons are passed through the optics. The fourth grid is held at earth potential. The olectronics provide an auto-focussing facility ensuring that the beams remain in focus over the energy rango.
2.8.2. Measurement of the L.E.E.D. Intensity and Spot Width.

These measurements could be made in one of two ways.
a- The intensity of the L.I.E.D. spot could be measured using the Faraday cup; by sweeping the primary beam voltage the beam is made to scan across the aperture of the cup, thus providing a measure of the intensity as a function of distance. However this method could not be Used if the $I-\nabla$ spectra are rapidly changing in this voltage range. b- A second method became available during the course of these experiments. A video L.E.E.D. system was bought from the "Data-Quire Corp. ${ }^{\text {IO }}$. Briefly this consista of a low level video camera pionting at the screen, interfaced to a small microcomputer. The image of the L.E.E.D. screen is divided into a number of small windows and the microcomputer can measure the intensity of any of these windors. Software allows the operator to measure the intensity average of a spot, the maximum intensity and the distribution of the intensity of any given spot. It allows rapid

### 2.8.3. The collection of A.I.S. spectra.

It was shown in 1967 that in principle an R.F.A. could be used to II
detect Auger electrons ; the basic L.I.T.D. display had become a spectrometer, an important event. Harris soon showed that differentiating I2 13
the signal led to onhanced sensitivity and Weber and Peria then developed the techniques of phase sensitive detection to do this electronically. The electrical circuit and the necessary equipment is shown in Fig.II. Modulating the cryatal rather than the second grid led to superior signal to noise ratios. The primary electron beam is a focussed $2 k e V$ beam of between 4 and IO $\mu$. A. The oscillator provides a 4 kHz sine wave modulation to the crystal at about 5 volts peak-to-peak and also to the reforence of the lock-in-amplifier.

The back scattered electrons leave the crystal and move in a field free region towards the first grid. Grids 2 and 3 are at a negative Voltage which can be ramped between 0 and 1000 . Electrons with energy greater than this pass through the optics and are collected at the screen ( held at 350 positive to rapidly discharge the phosphor). The signal is then fed to the lock-in. The signal reaching the screen is shown in $\mathrm{Pig} . \mathrm{I}(\mathrm{a})$ and represents the total number of electrons arriving
in the energy range, between that of the primary beam to the retarding energy. The lock-in amplifier allows this to be differentiated into the normal $\mathbb{N}(E) / E$ curve (Fig.In.(b)) and double differentiation allows the small Auger peaks to be emphasised so producing a $d N(E) / d E$ curve ( $\mathrm{Fig}_{\mathrm{g}} \cdot \mathrm{I}(\mathrm{C}(\mathrm{C})$ ). The spectra were collected in this form.

### 2.9. The Potabsium Source.

The arrangement used is shown in Fig.I3. Potassium ions are obtained
from a zeolite source, a large cage like molecule capable of storing positive ions which are released on heating the zoolite. The potassium zeolite was commercially available (B.D.H.) and was coated onto a I5 Py Rh(IOb) filament as described by Weber and Cordes. A series of plates capable of being. floated, focus the emitted ions into a beam directed at the sample. There was direct line of gight between the filament and the crystal. The final shield is arranged in such a way so as to cover part of the crystal and produce an adsorbate boundary, unfortunately the boundaries were not as sharp as those for oxygen. In these experiments the ion energy was between 3 and 8 eV , a recent study by Overbosch et al has shown that potassium ions of this energy are fully accomadated at the I6 surface .

## I7

It has been noticed that zeolite sources are prone to the production of high levels of oxygen contamination, presumably due to the breakdown of the cage structure. This was never noticed in this series of experiments as demonstrated by the A.E.S. spectrum in Fig.IA. In order to produce cleanliness of this level the source was run for about $I 00$ hours at the operation temperatures, in the range $1300-1500 \mathrm{R}$. The coverage profile of a typical deposit is shown in Fig.I5.
2.IO. The Indium Source.

Indium belongs to a group of metals which evaporate at signifioant rates at temperatures far in excess of their melting noint. The difference between indiums melting point and boiling point is the greatest for any material. The experimental arrangement for the dosing of indium is shown in fig.I6.Two stainless steel tubes, diameter Imm, were filled with indium I8
Wire of $99.999 \%$ purity (Koch Light Laboratories ) and sealed at one end. The sealed end of each tube was spot welded to two feedthroughs mounted
on a flange. The open ends of the tubes were then bound together with $W$ Wre so that resistive heating of the tubes was possible. A ahield was placed in front of the tubes to prevent evaporation onto the whole chamber. There was a small hole cut into the shield to allow crystal dosing. Temperatures between IIOO and I400K were used to deposit indium, the evaporation rate varied between these temperaturs from about a monolayer per hour to 5 monolayers per minute. After an initial degassing period of 2 hours no contamination was detectable by A.E.S., as evidenced by the spectra shown in Fig.I9. Very careful checks were made to ensure that evaporation was not taking place irom the atainless steel but no evidence for this could ever be found.

The source arrangement used here produced profiles similar to the potassfum coverage profiles, as can be seen in Fig.I7. The source proved to be extremely stable. Over the entire life of the source no deterioration was ever noticed in the amount of material given off in a given time at a preset temperatare.

## REFERENCES .

I. P.A. Redhead.J.P. Eobson and E.V. Kornelsen. The Physical Basis of Ultrahigh Vacuum, Chapman and Hall, London, 1968.
2. A.e. Barrington, High Vacuum Engineering, Prentice-Hall, Englewood Cliffa, New Jersey, 1963.
3. R.T. Bayard and D. Alpert, Rev.Scient.Instrum.,2I(I950)572.
4. Varian, Vacuum Div., Palo Alto, California, U.S.A.
5. M.K. Debe and D.A. King, Surf.Sci.,8I(I979)I93.
6. D.A. Davies, J.Sci.Instrum.,37(I960)I5.
7. D.R. Sandstron and S.P. Withrow, J.Vac.Sc1.Tech., I4(I977)748.
8. B.B Dayton, Trans.3rd.A.V.S. National Vac. Symp. (I956).
9. F.S. Marsh, Ph.d. Thesis, L'pool Univ., (I977).

IO. Data-Quire Corporation, Palo Alto, California, U.S.A.
II. L.N. Thorpe and E.J. Scheiber, Surf.Sci.,8(I968)247.

I2. L.A. Harris, J.Appl.Phys.i39(I968) I4I9.
I3. R.F.Weber and W.J. Peria, J.Ampl.Phys., 38(I967)4355.
I4. Iinde Laboratories, British Drug Houses, Poole, U.K.
I5. R.F. Weber and L.F. Cordes,Rev.Sci. Instrum.,36(I965)II2.
I6. E.G. Overbosch, A. Hurtmans, D.R. Olarrider and J. Los, Surf. Sci.,
54(1976)I54.
I7. E. Bauer,in "The physics of Solid Surfaces and Heterogeneous Catalysis" eds. D.A. King and D.P. Woodruff. Elsevier(Amsterdam), Vol. 3 , in press I8. Koch Light Laboratories, Coinbrook. U.K.

Fig.I. Schematic representation of the U.H.V. chamber.


Fig, 2. The valve layout of the gasline and the U.H.V. chamber.
fig. 2 .


Mg.3. The degrees of freedom at the eample manipulator.


Fig.4. The ample mount and electrical contacts.


FIG.5.


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Pig.6. Thermocouple output versus temperature from ( dashed line ) the
experimental arrangement and ( solid line) standard thermocouple tables.
```

Thermocouple output, mV


Fig,7. The variation of thermocouple output versus temperature at low 7
temperatures. Taken from the work of Sandstrom and Withrow.

Mg.8. The molecular beam source and its adaotion to produce adsorote coverage boundarieg at the sample.


Fig.9. Typical pressure versus time graphs during an adsorption experiment.

PRESSURE


Fig.IO. The L.E.E.D. experiment.

## fig. 10.



Fig.II. The A.E.S. experiment. (The L.I.A. is the lock-in-amplifier.)
fig 11.


## Pig.I2. The use of differentiation in R.F.A. Auger experiments.

## 1 0 0 0 0 <br> FIG 1.2 <br> (a)




Fig.13. The potossium source.


FIG.13.


Fig.I5. Typical coverage versus distance profiles for $\mathbb{K}$.
The time shown on the graphs indicates the number of minutes the initial patch has been heated for in diffusion experiments. The heating temperature was 6IOK.


P1G.I6. The indium source.
$T$ is the indium loaded tubes, $S$ the shield and $W$ the tungsten wire used to bind the two tubes together.


Fig.17. The type of coverage versus distance profiles obtained for indium adzorption. Four curves are shown. These are the result of heating the patch for the time and temperatures shown.


Fig.I8. The boundary between zero and a half monolayer obtained for oxyen. The open and closed circles represent two different experimente. The apparent spatial distrbution of the boundary is thought to be due to the wiath of the primary electron beam; estimated as $0.15-0.25 \mathrm{~mm}$.


CHAPTER 3: DIFFUSION PROCESSES IN SURPACE LAYERS.
3.I. Introduction.

Surface diffusion has been one of the most neglected fields of study in recent years. However, the subject has undergone something of a revival. It has long been known that the movement of reaction intermediates over $I$ substrates is one of the most important steps in many catalytic processes. Crystal and thin film growth is also dependent on the diffusion of species 2
across the surface. Mobllity in surface layers is also important in less applied flelds. It is now a well known fact that mobility in the physisorbed layer leads to increased efficiency of chemisorption. Migration of the chemisorbed species allow the adspecies to find sites of minimum energy and so produce ordered structures. The principle reason for the lack of experimental data is mainly associated with the diffuculty in measuring the diffusion parameters. The development of surface sensitive techniques capable of measuring surface coverages quickly and casily has alleviated these problems to some extent. However, diffusion studies still tend to be very time consuming and the work experimentally very exacting.

The alm of this chapter is to briefly present an overview of surface diffusion studies, both theoretically and experimentally. Migration of electronégative and electropositive adsorbates will be reviewed but selfdiffusion will be largely ignored.

### 3.2. Experimental Techniques in Surface Diffusion.

These can be divided into 2 types; those which measure the diffusion kinetics by noting the change in coverage of a deposited layer and those Which observe Brownian motion in an equilibrium distribution over the surface. The first of these methods is based on Ficks second law which
relates the change in surface coverage with time to the diffusion coefficient, $D$,

$$
\frac{\delta N}{\delta t}=\frac{\delta}{\delta x} D \frac{\delta N}{\delta x} \quad \ldots \ldots \ldots . . .
$$

$N$ is the coverage, $t$ the time and $x$ is the Qistance moved at, coverage N.
3.2.I. Coverage sensitive methods.
a) Primary photon beam.

This technique is restricted to species which drastically change the work function of the sample and thus is very useful when investigating alkali metal migration. In these experiments the photoemiadion of electrons from the surface is measured and this will vary with the mork function of the surface. The method was first used by Bosworth in the 1930's ${ }^{5,6}$, biut has recently been rediscovered . Bosworth's method makes use of a focussed light beam which can be accurately scanned across the sample. Provided that the photoemisbion current can be calibrated with coverage then the results can be readily treated to yield coverage/distance profiles. b) Primary Electron Beam.

Scanning Auger electron spectroscopy (SAES) may well prodive to be the most important development in the study of surface diffusion. This can be applied to any system with a convenient Auger transition. Recent studies include work on the N/W(IIO) systell. This work was notable in that the electron beam was used to produce a line deposit on the surface. This was done by adsorbing the molecular $\gamma$ state over the whole of the surface held at $90 \mathrm{~K}, ~$ a part of this strip was converted into the $\beta$ state using the electron beam. The $\gamma$ state could then be desorbed by centle heating. Scanning Auger has also beensuccessfully used by Butz 9
and Wagner to study $P d$ and $A u$ diffusion on $W\{I I O\}$.

The secondary electron emision properties of surfaces have also been IO,II
used to study diffusion . The simplest way tomonitor such effects 1s to measure the drain current at the sample,

$$
I_{t}=I+I_{8},
$$

where I is the secondary electron current and I the primary beam current
 and are opposite in an. Secondary electrons at energies of greater than 200eV originate only from the first 3 or 4 layers of the surface due to oscape depth considerations and hence are very sensitive to surface effects. The investigat ors "who have made use of these techniques found it easy to calibrate drain current changes with coverage (due to the large work function change for the $0 / W\{I I O\}$ system studied $)$ and hence IO, II using scanning techniques to produce coverage versus distance profilem.-
c) Other techniques.

I3
An extremely novel technique was developed by Butz and Wagner to study the diffusion of $O$ on $W\{I I O\}$. They deposited a sharp boundary on the surface, between covered and uncovered areas, and then measured the coverage versus distance profiles. This was done by monitoring the contact potential of the surface as a function of diatance. The vibrating capacitor method was used, and in this work the reference plate was a small -6 -6 wre (diameter $6 \times I 0 \mathrm{~m}$ ) held a distance of 10 m above the surface. This could be scanned across the surface, so measuring the contact potential as a function of distance which could be rapidly converted into coverage profiles by using a coverage calibration. The distance resolution was $-6$
quoted as $5 \times I 0$. A similar technique has been used to measure tho I4
diffusion of Cs across polycryatalline $W$ samples. Here.the work function
as a function of distance was measured using a scanning olectron
microscopy instrument.
3.2.2. Field Emission Techniques.

These techniques have been used over the last 20 years 'to provide the bulk of the avallable diffusion data. The field omission microscope, devised by Müller in the I930' i , produces a highly magnified image of a I5
sharply pointed sample on a fluorescent screen. The image is formed by electrons which are emitted under the very high field densities produced I6 by blasing the sample at large voltages. Gomer has described how sharp adsorbate boundaries can be produced on field emitter tips. This consists of an effusion source pointing at the tip and keeping the walls of the chamber at very low temperature. The field emiesion microscope provides a resolution of about 20 A enabing individual low-index crystal planes to be viewed. A typical example of the early work is a study of Ba diffusion I7
on $W$.This metal increases electron emission very greatly and thus the field emission displays become brighter and so diffusion is easily followed. However, it is very difficult to seperate and understand some of the offects in a field emission display. This is because the field emission microscope shows the results of a number of different effects, e.g. 18,19
the possibility of coverage dependent parameters or the possibility of 20
different adsorption sites. Probe hole field emission microscopy allowed individual planes to be atudied and planes of high work function to be studied and so allerlated some of the problems.

By far the most dramatic improvement of the technique came with the observation that current fluctuations in field emission were related to the 2I,22
diffusion process , the so-called "flicker noise technique". When the adsorbate is in a mobile state on the surface, localised variations in adsorbate density occur with time and these appear as rapidy appearing and disappearing points of light on the screen. If a current measuring syotem is used they appear as a spikey noise level. The level of the noise
and its frequency is strongly coverage, temperature and crystal plane dependent. The adsorbate density fluctuations build up and decay with a characteristic time given by:

$$
y=r^{2} / 40
$$

0
where $r$ is the radius of the area probed. With $r=50 \mathrm{~A}$, diffusion coefficiente between $10^{-I 3}$ and $10^{-10} \mathrm{~cm} \mathrm{~s}^{-I}$ gield $0.6 \geqslant \mathrm{~J} \geqslant 0.0006 \mathrm{~s}$. The amplitude of the flickor noise is related to the mean square displacement, $\bar{x}$, of the diffusing species. The particular use of this method is that it extends the substrate temperatures useful in diffusion stadies downards so that processes such as desorption and absorption are well soperated.

Field emisaion techniques are beset with problems. The high electric field at the sample may affect the diffusion process in some way and recent work has indicated that the flicker noise technique does not measure diffusion directly although the measured values do relate to 65 diffusion in some way.

The flicker noise technique observes Brownian motion in an equilibrium layer and the technique described below belongs in the same category. After the development of the field emission microscope, Muiler quickly discoverd'that the same apparatus could be used to obtain even greater 23 resolution and the Field Ion Microscope was born. Here high pressures of an inert gas (He at $0 . I \mathrm{~Pa}$ ) are admitted to the wacuum chamber and the potential on the tip and screen is reversed compared to field emission. Atoms on the tip,adsorbed from the background gas, make a number of of hops until they slow dow and ionised by quantum mechanical tunneling from the gas to the tip, the positive charge on the tip then repels these ions from the tip tovards the screen where they impact and cause a bright spot. 0
Resolutions of the order of about $3 A$ are obtained due to the minimisation
of the impinging ion enerey narallel to the surface comared to the transierse velocity of an electron in field emission. The very high fields in this technique tend to strip gaseous molecules or atoms from the surface so 24
only metal adsorbates can be studied. In this technique Brownian motion of individual adatoms is observed and the diffusion coefficient can be found simply from the random walk relationship,

$$
a^{2}=4 D t
$$

where a is the mean square displacement in a random walk process. 3.2.3. Other Methods. 25

One of the earliest studies of surface diffusion was made by Langmuir
when studying the Cs/W system. A polycrystalline W wre was surrounded by a concentric electrode divided into three parts. Cs layers on the
 immersing the cell in liquid air. If the outer sections of the electrode were positive anarea on the wire depleted in Cs could be produced. This central region could be filled with $C_{s}$ by diffusimfrom the outer parts of the wire. The field desorption process could be repeated and if the desorption flux was monitored, diffusion could be measured.

Other methods include monitoring the thermionic emission of $W$ as a
function of thorium coverage , by monitoring the $\mathrm{Cu}^{+}{ }^{+}$signal in a
secondary ion mass spectrometry experiment as diffusion carried Cu 27
into a clean area of sample from a high Cu coverage region. A similar 28 method was used to study physisorbed tritium on a N\{\{II\} surface but this time the $\beta$ radiation from transported particles was measured. There was a problem in this work in that thediffusion was accompanied by desorptiongut a relationship was used in an attempt to seperate the two events.

### 3.3. Surface Diffusion Processes.

Diffusion is an activated process and follows an Arrhenius relationship of the following form,

$$
D=D_{0} \exp \left(-\mathbb{E}_{m} / R T\right) \quad \ldots . . . . . .2
$$

This relationship breaks down if more than one diffusion process occurs at the same time and, effectively, only single site hopping can be treated in this way. Do is the prefactor, known as the diffusivity, and $\mathbb{E}_{m}$ the activation energy for diffusion. The diffusion process is illustrated in
 Fig. I. The adspecies lies in the bottom of a potential energy well seperating it from the next site. By gaining energy $\mathbb{E}_{m}$ it can reach the transition state from which it can reach the second site or refill the original site. The iffetimesin the transition state are very small; -an $\quad=: \%$ : instantaneous pleture of the sample would show most of the molecules In the wells. Assuming that diffusion proceeds by hopping from well 2 to vell with a mean square jump distance a over the barrier $\mathbb{I}_{m}$ with an activationentrony $\Delta s_{m}^{\#}$ then the mean jump frequency can be expressed in 29
terms of absolute rate theory as,

$$
\Gamma=(k T / h) \exp \left(\Delta S_{m}^{\#} / k\right) \exp \left(-\mathbb{E}_{m} / k T\right) \quad \ldots \ldots \ldots \cdot 3
$$

provided that the transmission coefficient at the barrier is unity. Iquation 3 is sometimes expressed as,

$$
\Gamma=\gamma \exp \left(-\mathbb{T}_{m} / k T\right) \exp \left(\Delta S_{m} / k\right) \quad \ldots \ldots \ldots .4
$$

with $\gamma=(k T / h)$ .5

The diffusion coefficient is related to the jump ffequency through the expression,

$$
D=a^{2} \Gamma / 2 \alpha \ldots \ldots . . .6
$$

where $\alpha=I$ for diffusion in one dimension and $\alpha=2$ for two dimensions.
If random walk is assumed it can be shown that,

where $\left\langle x^{2}\right\rangle^{\frac{1}{2}} 1$ s the root mean square displacement in time $t$. By combining
these expressions,it can be written that,

$$
D_{0}=\frac{r_{a}^{2}}{2 \alpha}\left(\Delta S_{m}^{\#} / k\right)
$$

For diffusion in 2 D i.e. $\alpha=2$ and assuming that $\Delta 8 \mathrm{sma}_{\mathrm{m}}$ is 0 and $a=3 \mathrm{~A}$, then at a temperature of $500 \mathrm{~K}, \mathrm{D}_{0}$ evaluates to $3 \times 10^{-4} \mathrm{~cm} \mathrm{~g}^{-1}$. D can be expressed using equations 6 and 7 as,

$$
D=\left\langle x^{2}\right\rangle / t \quad \ldots \cdots \cdot 9 \cdot 3
$$

and oxperimentally this is approximated to ,

$$
\bar{x}=(D t)^{\frac{1}{2}} \ldots \ldots . .10
$$

where $\bar{x} 18$ the average distance travelled by a boundary in time $t$. If D varies with coverage then the $D$ values found refer to some average D value over that coverage range.

It will be seen later that $D$ is often dependent on coverage due to : coverage dependent interactions on the surface. These will strongly influence the kinetics of the diffusion. The first examples of coverage depondence discussed here is due to the adsorption of multilayers. These layers are often weakly bound to the surface compared to the first layer and are highly mobile. The second example of coverage dependence occurs when lateral interactions exist between the adspecies. This is shown in Pig.2. Repulaive interactions between the adspecies will reduce the barrier height, while attractive interactions will increase it. Bowker and King developed both an analytical method and a Monte-Carlo routine to determine the consequential results of lateral interactions on the diffusion process. The results are indicated in Fig.3, where diffusion from a square boundary is represented. The point where the diffusing boundary crossed the position of the original boundary was found to be sensitive to the interaction. For attractive interactions the crossoverp point, $\theta_{c}$, is below the half coverage position, for repulsiveinteractions it is above. With no lateralinteractions
the crossover point is at the half coverage point exactly.
3.4. Survey of Experimental results.

### 3.4.I. Metallic Admorbates: Strongly Charged Atomic Species. 25

Early investigations by Taylor and Langmir showed that Cs diffusion on a $W$ polycrystalinne wire was extremely coverage dependent. They found 13 -2 that as the coverage dropped from 2.73 to $I .73$ IO Xatoms cm the diffusion coefficient dropped from 3.45 to I. 4 IO $X \mathrm{~cm}$ s. This was thought to be due to repulaive interactions on the surface. Shortly after this it was 26 showed that very similar effects existed for the diffusion of Th on W.


Work continued with the systems $\mathrm{Na} / \mathrm{W}$ and $\mathrm{K} / \mathrm{W}$, and the results all gave 25
good support for the effects seen by Langmuir. A different effect was aeen for the migration of Ha than had been noticed for the other adsorbates. 5
Bosworth noticed that a patch of Na deposited on the surface followed by temperature annealing was accompanied only by loss of Na from the surface; there was no sign of the patch spreading. However, if this process was repeated many times then the Na began to spread in a diffusion like manner but unlike the other alkall metals there was no coverage dependence in the measurements. Bosworth postulated that the initial behaviour was produced by diffusion into a microstructure of the surface. Eventually 6 this was filled and diffusion across the surface began. For $K$ this effect was less important and the profiles of deposited patches after heating resembled those expected of a diffusion process. These are illustrated in Fig. 4 . For $\mathbb{K}_{\mathrm{g}}$ a very strong variation of $\mathbb{E}_{m}$ with surface coverage was found, at the lowest coverages measured $\mathbf{Z}_{\mathrm{m}}$ was measured as -I -I
69 kJ mol but decreased to a value of 28 kJ mol at near the monolayer point.

Suddenly in the 1950's the effect of substrate structure on diffusion could be examined using the field emission microscope. Also,by this time
vacua were. approaching those obtained in modern UHV systems, thus ensuring that most of the recorded data was from at least fairly clean I7
surfaces. Drechsler used this technique to study Ba diffusion on W. The diffusion energies varied markedly from plane to plane, decreasing in the order,

## $\{\mathrm{II2}\}\rangle\{(100\}\rangle\{\{1 \mathrm{IT}\} \sim(0 \mathrm{I} 2\}\rangle\{\{22\}\rangle\{10\}$

The $\{2 I 0\}$ plane showed the most interesting results. This plane is made up of rows of lattice atoms in the $\langle O O I\rangle$ direction seperating flat terraces. Diffusion across the rows needod an activation energy of three times greater than that needed for diffusion along the rows and this type of 32 result was soon repeated for $\mathrm{Hg}_{\mathrm{g}}$ and Cs diffusion on W .

It must be romembered that the field emission technique is to be treated with some caution; diffusion is observed taking place over planes of vastly different character and it is to be expectedthat certain sites or planes act as "feeder" sites for other planes by adsorbing gas very quickly. This sort. of effect will be the norm rather than the excep33
tion and may dominate some work. Hork by Schmidt and Gomer and by 34
Meclewski seems to have suffered from this type of effect. Both
laboratories showed that the diffusion of $K$ on $W$ occured with an increasing activation energy as a function of coverage. This strongly contradicts the observed variation in the desorption energy which falls with coverage.

The only work that can be Fiewed as being in any way reliable is a recent study by Love and Wiederick for Cs diffusion on polycrystalline tungsten and a \{IIO\} sample.For the polycrystalline sample they found two 5 effects(presumably the same effects seen by Bosworth), diffusion into the bulk via grain boundaries and the normal diffusion behaviour. The former
had an activation energy of I70kJ mol , the latter an activation energy of -I
ITkJ mol . For $C s$ on the $\{I I O\}$ plane the absorption effect was very much
less important and they found that the low coverage surface diffusion regime could bo described by,

$$
D=0.23 \pm 0 . I \exp \left(-57 \mathrm{~kJ} \mathrm{~mol} \mathrm{ma}^{-I} / \mathrm{RT}\right) \mathrm{cm} \mathrm{~cm}^{2-I} .
$$

Unfortunately, even in this work the variation as a function of coverage was not measured.

### 3.4.2. Metallic Adsorbates: More Weakly Charged Atomic Species.

These studies are usualiy limited to the investigation of the transItion metals as adsorbates and self diffusion experiments. The most common technique is field ion microscopy. These experiments have been of great importance in the study of surface diffusion. The first quantitative study using FIM was made in I966 by Fhrlich and Eudda for H self diffusion. The work showed that motion was extromely directional on channelled surfaces and this has now been found many times. A review has been published that documents the $E$ mand $D_{0}$ values for many metal 36 adsorbates on $W$ and this will not be reproduced here.

On many surfaces the diffusion is seen to be I-dimensional. All these surfaces are channelled and include the $W\{2 I I\}$ and the $W\{32 I\}$, the Rh $\{I I O\},\{33 I\}$ and $\{3 I I\}^{37}$ and the diffusion takes place only along 35,37
the channels and has been seen for self diffusion and adatom diffusion such as Mo on $W\{2 I I\}$ and $W\{32 I\}$. On smooth surfaces the diffusion 1 s seen to be 2-dimensional and these include the \{IIO\} and \{III\} planes of $W^{35}$ and $R h^{37}$. The activation energies vary widely from one plane to another and this variation is predicted from pairwise 35,37
interaction potentials which show that $\Sigma_{m}$ is greater for rough surface 37 - 35 planes. This trend is followed for $R h$, however, it is not for $W$ where the $\{I I O\}$ plane, the most close packed for a BCC metal, has the highest Em value. This anomaly has now been explained in terms of surface relaxat39 Ion and changes in field strength.

Recent FIM experiments have shown that adatoms may fum across the channels on the $\{I I O\}$ plane of $\mathrm{Pt}_{4 I} \mathrm{AI}^{\prime}$, indeed on Ir, the cross channel jumps 41 dominate the diffusion mechanism. The atom probe technique, which gives chemical enviroment information, has shown that the cross-channel motion for $W$ adsorbed on $\operatorname{Ir}\{I I O\}^{23}$, occurs by the incorporation of the adatom into the lattice and the removal of the lattice atom to the adjacent site.

One of the most amazing observations in recent years was that clusters are important in the diffusion process. Using FIM, Bassett noticed the association of adatoms to form clusters and quantitative studies quickly followed. Results have been collected for the diffusion of Re dimers on $W\{2 I I\}$ showing that the dimers diffuse more quickly than the 43 adatoms . This effect is explained in terms of an attractive interaction between the adatoms which peaks near the saddle point in the energy versus distance curves. Even more suprisingly the rates of migration of Re 44 trimers on $\mathbb{W}\{2 I I\}$ has been shown to occur at rates similar to the dimer. Obviously these effects are very dependent on the interactions of the 45 adatoms and e.g. the migration of Ir dimers on $W\{2 I I\}$ was observed but the activation energy for surface diffusion is higher for the dimer 50
than the adatom . Dimer studies have been performed for $W$ on $W\{2 I I\}^{36}$
and Pt on $W\{I I O\}^{50}$.
Recent studies using scanning AFS have been made for the diffusion of 9
Pd and Au on single crystal planes of $W$. This study is one of the most elegant ever made in the field of surface diffusion. The role of lateral interactions played an important part in the diffusion of these elements. To this effect the profiles observed had distinct kinks at various coverages corresponding to the position of various ordered structures. These kinks in the coverage distance profiles occur because of the extra stability of the ordered structures and have been observed for other
systems, notably for the soreading of Th on W\{II $\}^{46}$, Ba on $W\{I I 0\}^{47}$ and $B a$ on $M o\{I I O\}^{48}$. For Pd and Au diffusion the dominating influence on the profiles proved to be the presence of second layer atoms. These atoms are free to "roll" over the first layer and extend the width of the adsorbed patch; in doing so the second layer atoms are converted into more strongly bound first layer atoms and the energy of the system is lowered. This mechanism is very similar to the diffusion of physisorbed gases which roll across the chemsorbed atoms untll they reach an empty 49
site when they transfer to the deeper well. The process is known as the "unrolling carpot". In these studies results were obtained in strong support of the FIM observations that diffusion was sensitive to the anisotropy of the surface. This was done by comaring the diffusion on a stepped $W\{I I O\}$ plane in different directions. It was found that Pd could not spread in a direction perpendicular to the steps as fast as it could in a direction parallel to the steps (IIO terraces). Thus it was seen that circular patches of adsorbate assumed oval shapes under heat treatment.

### 3.4.3. The Diffusion of Gaseous Adsorbates.

We shall divide this section into two separate sections. Firstly a brief review of the diffusion of ohysisorbed species is given. The second section will be longer and the diffusion of chemisorbed species will be reviewed. Particular reference will be made to the system $O / W$ \{IIO $\}$, since this is the only aystem which has been examined by a number of different techniques, 80 that work on field emitter tips and bulk single crystal planes can be compared. The relationship between the structure of the surface as viewed by LEED and surface diffusion will be examined.
a)Physisorbed Species.

It has been observed that when gaseous adsorbates are condensed onto

W field emitter tips at 4.2 K , then, when the tip temperature is raised to between $20 k$ and 40 R a sharp boundary is observed to move across the tip 49.5I

- The process has been discussed in the previous section; the unrolling carpet. The boundary displacement $\bar{x}$ at time $t$ is given by,

$$
\bar{x} \sim\left(D t \times N / N_{t}\right)^{\frac{1}{2}} \ldots \ldots \ldots . . I I
$$

where $N$ is the surface coverage and $N_{z}$ the density of trap sites.
In many studies it has been impossible to control such low temperatures or to measure them so that data collection at only very few temperatures is possible. Usually $D$ is found from use of equation II and using a calculated estimate of $D_{0}, E_{m}$ can be found from equation 2. This type of analysis is less accurate than Arrhenius methods but results on $W^{53}$ show that $E_{m}$ varies from $0.4 \mathrm{~kJ} \mathrm{~mol}^{-\mathrm{I}}$ to 3.7 kJ mol ${ }^{-I}$ (for the adsorbates H and CO respectively). This work was also notable in that it showed that the diffusion of $H$ took place in certain preferred directions.

In this type of study it is usually found that the lifetime of the $u$ physisorbed species is of the same order of magnitude as the time of the experiment and so desorption as well as diffusion is observed. Such 30,5I
processes are described by the equation .

$$
\bar{x}=\left\{a^{2} \exp \left(-\mathbb{E}_{m} / k T\right) \exp \left(E_{d} / k T\right)\right\}
$$

$\frac{1}{2}$

where $E_{d}$ is the desorption energy. If, $E_{m}$ is measured 54
lifetime is long, then, $E_{d}$ can be found. For 0 on $W$ the measured value of $E_{d}$ was 9.3 kJ mol . For the $\gamma$ state of N on $W$ at 77 K no migration was 55
observed, implying that the desorption and the diffusion energies had about the same value or the diffusion process took place with an activation energy that was about equal to an energy that converted it into a more strongly bound state.
b) Chemisorbed Species. 8
Using the method described earlier, Polack and Ehrlich investigated the diffusion of the $B$ state of $N$ over a $W\{I I \theta\}$ surface.

The equation :- $\quad D=4.7 \times 10^{-2} \exp \left(-87.9 \mathrm{~kJ} \mathrm{~mol} / \mathrm{RT}^{-\mathrm{I}} \mathrm{cm}^{2} \mathrm{a}^{-\mathrm{I}}\right.$
was found to fit his results (illustrated in Fig. 5 ) over an experimental temperature range of 100 K . This value was found to be insensitive to the initial coverage of $\beta$ N, not too surprising a result since lateral interactions on this surface are very weak between the $N$ adatoms.

Evidence for this 1 is the observation that $N$ forms only a very weak $c(2 \times 2)$ pattern on $W\{I I 0\}^{56}$ and desorbs from the surface over a very 57
narrow temperature range.
58
Chen and Gomer have used the flicker noise technique to atudy the diffusion of $C O$ on the same surface; this system is much more complicated than $N$ discussed above. Firstly, below $300 \mathbb{K}$ the $C O$ is adsorbed as a molecular, virgin state and no diffusion of this species could be seen, presumably because the mobility of this state leads to the formation of a more strongly bound $\beta$ state. Further adsorption onto the $\beta$ state produces a molecular $\alpha$ state and this again was not observed to diffuse because of, similar desorption and diffusion energies. Measurements at 650 K did show that the $\beta_{\text {state }}$ did diffuse and could be described by,

$$
\mathrm{D}=2 \times 10^{-5} \exp (-94 \mathrm{~kJ} \mathrm{~mol} / \mathrm{RT}) \mathrm{cm}^{2} \mathrm{~B}^{-\mathrm{I}}
$$

and like $N$ no significant change in this relationship could be found as a function of coverage. This is something of a surnrise since the diffusing species is thought to be 0 adatoms which form a $p(2 \times I)$ structure on the aurface and 0 atoms, when on the surface from oxygen adsorption, show coverage dependent diffusion parameters. This contradiction has been explained in terms of a very strong $C-0$ interaction compared to a weaker O-O interaction. There is some evidence for this in photoemission exper59 iments.

Chen and Gomer have extended their studies with this technique to study the system $O / W\{I I O\}^{60}$. Here there was a very noticeable effect of coverage on the diffusion parameters. The results are shown in Fig. 6.
-I
At $\theta<0.2, E_{m}$ was found to be 60 kJ mol . As the coverage rises to a value -I
of $\theta=0.6$, Emalso increases to a value of 96 kJ mol. During this
$-7 \quad-4 \quad 2$-I increase the $D_{0}$ value was found to increase from $10^{-7}$ to $10^{-4} \mathrm{~cm} \mathrm{~s}^{-1}$. If $D$ is plotted as a function of coverage (at constant temperature) a distinct maximum is seen to occur. However, this work has a mumber of puzzling features. The magnitude and the increase of $D_{0}$ can not be explained and may be due to the technique rather than any surface proper65
ty. Also 1t has been shown that as the temperature increases, the current fluctuations should also increase if repulsive interactions exist between the molecules, and this was observed. This is in apparent contradiction with the increasing value of $\mathbb{E}_{m}$ they found.

The $0 / W\{I I O\}$ system had been investigated three years earlier by I3
Butz and Wagner but in this work the sample was a bulk single crystal rather than a field emitter tip. The authors could deposit a very sharp initial coverage profile and then diffuse $1 t$. Their results could be 61
treated using the Matano analysis. This is based on the equation,

$$
D(N)=-\frac{I}{2 t} \frac{d x}{d N} \int_{N_{1}}^{N} x d N
$$

where


This assumes a perfectly square boundary between two coverages $N_{0}$ and $N_{1}$ at an initial position of $x=0$. This is a very useful analysis method and allows the evaluation of coverage dependent diffusion parameters to be performed very easily. Typical results from Butz and Wagner are shown in Fig. 7 and it is quickly seen that material gained on the left hand side of the boundary does not equal the amount lost from the right hand side. Thus the results violate the boundary conditions above. Despite this, the authors continued with the analysis and found that the activation energy
did not vary with coverage $i: a$ constant value of $I I 3 \mathrm{~kJ}$ mol was reported. However, D did vary with coverage and is shown in Fig.. 8 , displaying a
large peak just below $\theta=\frac{1}{2}$. Do also showed a large variation, changing from 0.02 to 0.38 in the coverage range $\theta=0.4$ to 0.9 . 1051
Experiments at Ifverponl coupled with theory are in strong support of those findings and have helped to form a coherent theory for the $0 / W\{I I O\}$ system by providing an explanation of the diffusion results 62-64 using a number of LEED observations . It is clear that the increasing Imvalue with coverage noticed by Chen and Gomer is due to the presence 62-64 of adatom lateral interactions on the surface. The work of Lagally shows that at the coverage and temperature where the Emvalue was found to be at its lowest, the adatoms are randomly distributed across the surface and the diffusion energy is the value for an isolated adatom. At the high coverage regiongthe temperature was low enough to allow the surface adatoms to form an ordered $p(2 \times I)$ surface phase because of next-nearestneighbour attractive lateral interactions between the adatoms and thus 13 the Emvalue should be expected to increase. Butz and Wagner may not have seen this because their experimental curves clearly showed some non-diffusion linked effect. The peak observed at near $\theta=0.5$ in $D$ versus coverage plots can also be shown to be due to these interac5 I
tions. A Monte-Carlo simulation shows that a distinct maximum in $D$ should occur at $\theta=0.5$ provided that nearest-neighbour and next-nearestneighbour interactions are taken into account. This system emphasises that there 18 a strong relationship between the surface structure, as observed by LIED, and the surface diffusion of adspecies.

### 3.5. Concluding Remarks.

It is hoped that this review illustrates the importance of surface diffusion in the field of gas/solid interactions. It is clear that there 1s a dreadful scarcity of reliable data in this area of surface science, and most of the data has been collected on $W$, presumably because of the

```
ease of producing W field emitter tips. However, techniques are available
that can produce bulk single crystal planes of almost any metal and
surface science is certainly capable of measuring diffusion of adspecies
across these planes. Two measuring techniques may assume primary importance,
    ion
scanning APS and scanning secondary mass spectroscony, because of the
ease of scanning and producing very small diameter electron and ion beama.
It is to be hoped that future investigators are more adventurous in their
choice of systems and possibly look at systems important industrially.
as well as theoretically.
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REFERENCES.
I. J.C. Carberry, in Catalybis Reviews, published by Marcel Dekker Inc., New York, 1970.
2. G.C. Kuczynoki, ed, Sintering and Catalysis, Plenum Press, New York,(I975)
3. M.A. Morris, M. Bowker and D.A. King, Kinetics of Adsorption,Desorption and Migration at Single Crystal Metal Surfaces, in Comprehensive Chemical Kinetics, eds C.H.F. Tipper and C. Bamford, Nlsevier, North Holland.
4. W. Jost, Diffusion in Solids,Liquids and Gases, Academic Press, New York, 1980.
5. R.C. Bosworth, Proc.Roy.Soc., London, Ser.A.,I50(I935)58.
6. R.C. Boaworth, Proc.Roy.Soc., London, Ser.A.,I54(I936)II2.
7. H.M. Love and H.D. Wiederick, Can.J.Phys.,47(I969)657.
8. A. Polak and G. Ehrlich, J.Vac.Sci.Tech.,I4(I977)407
9. R. Butz and H.Wagner, Surf.Sci., 87(I979)69,85.

IO. M. Bowker and D.A. King, Surf.Sc1.,94(I980) 564.
II. M.G. Wells and D.A. King, J.Phyb.C., 7(I974)4053.

I2. R.G. Muskett, J.Les Common Metals,22(I970)I75.
I3. R. Butz and H. Wagner, Surf.Sci.,63(I977)448.
I4. P. Akhter and J.A. Venables,Surf.Sci.,IO3(I98I)30I.
I5. I.W. Muller, Ergeb.Exakten Naturwisa.,27(I953)290.
16. R. Gomer, Field Emisbion and Field Ionisation, Earvard Univ.Press, Cambridge, (I96I)

I7. M. Drechsler, Z.Elekrochem,58(I954)340.
I8. L. Schmidt and R. Gomer, J.Chem.Phys., $42(1965) 3573$.
I9. G. Madimirov,B. Medvedev and J. Sokolskaya, Sov.Phys.Sol.St., I2(I970)III8.
20. T. Engel and R.Gomer, J.Chem.Phys., 50(1969)2428, 52(I970)I832.

2I. Ch. F1e1nt, Surf.Sc1.,25(I971)373.
22. R. Gomer, Surf.Sc1.,38(I973)373.
23. E.W. Muller and T.T. Trong, Field Ion Microscopy, American Elsevier, New York, (I969).
24. A. Van Oostrom, C.R.C.Crit.Revs.Sol.St.Sci.,4(I974) 353.
25. I. Langmuir and J.A Becker, Phys.Rev., 40(I932)463.
26. W. Brittain and J.A. Becker, Phys.Rev.,43(I933)428.
27. A. Abremenkov, V. Slezov, L.Tantrarov and Y. Fogel, Sov.Phys.Sol.St., I2(I97I) AII.
28. M. Renard and D. Deloche, Surf.Sc1.,35(I973)487.
29. T.L. Hill, An Introduction to Statastical Thermodynamics,

Addison-Wesley, Reading, Mass., (I970).
30. R. Gomer, R. Wortman and R. Lundy, J.Chem.Phys., 26(I957)II47.

3I. M. Bowker and D.A. King, Surf.Sci.,7I(I978)583.
32. L.W. Swangon, R.W. Strayer and L.E. Davib,Surf. Sci.,9(1968)I65.
33. L.D. Schmidt and R.Gomer, J.Chem.Phys., 42(I965) 3573.
34. B. Meclewski, Acta Phys.Polon., A37(I970)4I.
35. G. Ehrlich and F.G. Hudda,J. Chem.Phys.,44(I966)I039.
36. G.L. Kellogg, T.T. Tsong and P. Cowan, Surf.Sci.,70(I978)485.
37. G. Ayrault and G. Ehrlich, J. Chem. Phys., 60(I974)28I'
38. T. Sakata and S. Nakamura, Surf.Sc1.,5I(1975)3I3.
39. P.W. Wynblatt, Surf.Sci.,22(1970)I25.
40. D.W. Bassett and P.R. Webber,Surf.Sc1.,70(I978)520.

4I. J.D. Wingley, R.S. Chambers and G. Ehrlich, Atom Probe Studies on Adsorbates, 26 th Int. Field Emission Symp., West Berlin, (I975).
42. D.W. Bassett, Surf.Sc1.,23(I970)240.
43. K. Stadt, W.R. Grahm and G. Ehrlich, J.Chem.Phys.,65(I976)3206.
44. K. Stadt and G. Ehrlich. Fall Meeting, TH S-AIME,M1lwaukee, (I979).
45. D.A. Reed and G. Ehrlich, Philos.Mag.,32(1975)I095.
46. Yu.S. Vedula and A.G. Naumovets, in Poverkhnostraya Diffuziya 1

Rastekanie, (izd. Nauka, Moscow,(I969)).
47. A.G. Fedoma, A.G. Naumovets and Yu.S. Vedula,Phys.Stat.Sol.,AI3(I972) 445.
48. Yu.S. Vedula, A.T. Loburets and A.G. Naumovets, Pisma Zh. Exper. Tear. Fiz.,28(I978)258.
49. R.Gomer, R. Wortman and R.Lundy, J.Chem.Phys.,26(I957)II47.
50. D.W. Bassett,J.Phys.C.,9(I976)249I.

5I. R. Gomer, Field Emisgion and Field Ionisation, Harvard Univ.Press,
Cambridge, Mass., (I96I)
52. H. Fuj1ta, J.Chem.Phys., 2I(I953)700.
53. H. Folman and R. Klein,Surf.Sci.,II(I968)430.
54. R. Galmer and J.K. Hulm, J.ChemPhys.,27(I957)I47.
55. G. Mhrlich and F.G. Hudda, J.Chem.Phys.,35(196I)I42I.
56. C. Somerton and D.A. King, Surf.Sci.,89(1979)39I.
57. T.E. Madey and J.T. Yates Jr.,Nouvo Cimento Suppl.,5(I967)486.
58. J.R. Chen and R. Gomer, Surf.Sci., 8I(I979)589.
59. E.W. Plummer, Photoemission and Field Emission Spectroscopy, in

Interactions on Metal Surfaces, ed. R. Gomer, Springer-Verlag,New York, (I975).
60. J.R. Chen and R. Gomer, Surf.Sci.,79(I979)4I3.

6I. C.Matáno, Jap.J.Appl.Phys.,8(I933)I09.
62. T.M. Lu, G.C. Wang and M.G. Lagally, Phys.Rev.Lett.,39(I977)4II.
63. G.C. Wang, T.M Lu and M.G. Lagally, J.Chem.Phys., 69(I978)479:
64. J.C. Bucholz, \&M.G. Lagally, Phys.Rev.Lett., 35(I975)422.
65. Ch.Kleint, J. Beben and R. Meclewski, Surf.Sc1.,93(I980)33.

Fig. I. Potential energy plots as a function of distance for a molecule travelling across the surface.


FIG. 1.

Fig. 2. The effect of lateral interactions on the notential energy wells for the migration of an adsorbed adatom.

## FIG. 2.

Repulsive Interactions- $E_{m}$ is decreased


Attractive Interactions- $E_{m}$ is increased


Fig.3. The effect of lateral interactions on coverage profiles. The initial $5 I$
profile was a square boundary. Taken from Bowker and King .


No Interactions - $\theta_{C}=0.5$
Riel. cove.

Dist.


Repulsive Interactions - $\theta_{c}>0.5$


Attractive Interactions- $\theta_{c}<05$

Fig. 4. The spreading of a $K$ patch across a polycrystalline $W$ aurface, 6

Na concentration.


PHg.5. Diffusion profiles from the work of Polak and Ehrlich showing theoretical curves(top) and the experimental results.


Auger Intensily (arbitrory unils)


Fig.6.The variation of $E_{m}$ and $D_{0}$ versus coverage for 0 on $W\{I I O\}$.
Taken from the work of Chen and Gomer .


Pg.7. Coverage versus distance plots for 0 on $W\{I I O\}$ after heating an initial square boundary ( at $x=0$ ) for different times at $880^{\circ} \mathrm{c}$. 13
Taken from Butz and Wagner.

Coverage $\theta$


Fig. 8. Variation of $D$ versus coverage for two different temperatures, I3
as measured by Butz and Wagner.
Diff. Coeff. D


CEAPTER 4: SURFACE DIFFUSION OF CHEMISORBED OXYGEN ON $W\{I I O\}$.

Suface Diffusion of Chemisorbed Oxygen on W\{IIO\}.
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I. Introduction.
Quantitative diffusion studies of adsorbed snecies on single crystal
surfaces are relatively rare, although several promising techniques are
I-3
now available. On macroscopic single crystals(as distinct from field
emitter tips) a recurring difficulty arises from competition between
diffusion and other processes, particularly desorption, absorption and
surface reconstruction, at the temperatures required to shift a diffusion
boundarydetectable distances. This is a major reason why oxygen on W\{IIO\}
has become a favoured system: diffusion over distances of a mm in short
times (~100 secs) occurs at NIOOOK. Desorption occurs at temperatures
In excess of 1800 K , provided that the coverage does not exceed half a
q
monolayer. No oxygen incorporation has been observed under these conditions.
Moreover, detailed structural studies of the $0 / W\{I I O\}$ system have been
456
reported, the phase diagram determined, and lateral interaction energies 4
have been estimated. The relationship between the coverage dependence of diffusion coefficients and lateral interactions between diffusing species 8 has been theoretically investigated. The $0 / W\{I I O\}$ system provides an opportunity to test the conclusions from these studies. The object of the present work vas to obtain more detailed results concerning the coverage dependencé of the diffusion parameters for this system than previously obtained, and to re-examine the validity of results obtained uaing the fieldmemission flicker-noise techniques(or density fluctuation) for the samo system.

Durl'g oxygen adsorption at $300 K$ on $W\{I I O\}$, islands of a $p(2 \times I)$ structure are formed at low coverage, covering the surface at a fractional coverage of $\theta=0.5$ (relative to the density of $W$ atoms in the 9日urface). The domain structure which bas been obtained is shown in Fig.I. No reconstruction of the surface occurs up to I700K. The overlayer disordering temperature, $\mathrm{T}_{\mathrm{c}} ;$ is strongly dependent on coverage: at
$\theta<0.35, T=450 K$ corresponds to 1 sland dissolution; and at $\theta>0.35$, 6 $T=700 K$ is an order-disorder transition. Various estimates of lateral interactions have been made on the basis of these results. Pairwise interactions fail to explain the formation of $a p(2 \times 2)$ structure observed at $\theta=0.75$, but not at $\theta=0.25$, and for this reason 3 -body (trio) interactions have been included. Pairwise interactions are indicated in Fig.I., to which are added trio interactions between adatoms forming the smallest triangle. Good agreement has been obtained with: $\omega_{1}=7 \mathrm{~kJ} \mathrm{~mol}{ }^{-I} ; \omega_{2}=-5.4 \mathrm{~kJ} \mathrm{~mol}^{-I} ; \omega_{3}=0 ; \omega_{4}=4.7 \mathrm{~kJ} \mathrm{~mol}^{-I}$; $\omega_{5}=2.3 \mathrm{~kJ} \mathrm{~mol}$ Theoretical calculations provide support for the importance of trio interactions.
2. Ixperimental.

The unv chamber, pumped by a combination of ion and liquid-nitrogen: cooled titanium-sublimation pumps and routinely producing pressures -II 12 In the low IO torr range, has been previously described. It is equipped with Varian four-grid IEsi/AES optics, with a Faraday cup, and a quadrupole mass spectrometer, and a calibrated directional source of gat. The retarding field analyser was used to monitor oxygen coverages by AES, and diffusion profiles were measured by scanning the crystal across the electron beam, using accurate micrometer auges on the manipulator. In this way diffusion distances were•absolutely calibrated and the incidences beam and analyser conditions were maintained constant. The mounting of the $W\{I I O\}$ crystal, Via Wwires passed through sparkdrilled holes in the sample, is as described previously for a $W\{100\}^{12}$ crystal. Crystal heating and control was achieved by resistive heating of the support wires for temperatures up to 700 K , for temperatures above this electron bombardment was used. Temperatures were measured with a

W-Re $3 \% / W-R e 25 \%$ thermocouple housed in a spark-drilled pit in the crystal edge. The crystal was cut and polished to within $\frac{0}{2}$ of $W\{I I O\}$ and has the dimensions $5 \times 5 \times I .5 \mathrm{~mm}$. The cryatal was cleaned in situ by repeated heat: treatment in high fluxes of oxygen to about I800K, with the occasional flash up to 2500 K . All traces of carbon were removed. A localised patch of adsorbed oxygen was formed on the $W\{1 I O\}$ sample using the directional oxygen beam and shielding shown in Fig.2. A small diameter hole, of measured length ( 0.685 mm ) and diameter ( 0.55 mm ) acts as a source for a directional flux of cas at the crystal which can be calculated for a given pressure behind the source. The shield, S, can be interposed between the source and the sample, either to cut of the gas supply to the crystal completely (useful in absolute sticking probability measurements) or, by aligning one of the slots in the shield with the crystal, to deposit an appropriate adsorbate patch on the crystal. The slots were cut in two orthogonal directions so that directionaleffects In diffusion could be studied. The boundary produced by oxygen adsorption on $W\{I I O\}$ at 300 K , with a sourceto crystal distance of 5 cm , determined by scanning the crystal across the $\langle\bar{I} O\rangle$ direction in front of the electron beam, is shown in Fig.3. A cood step function is produced, an essential prerequisite for detailed studies of diffusive coverage profiles. 3. Absolute Sticking Probability, Surface Coverage and LEHD Intensities.

The directional flux oxygen source provides a convenient and accurate means of measuring the absolute sticking probability and surface coverage. During dosing the randomised flux of oxygen in the uhv chamber is measured with a mass spectrometer, siving a pressure $P$, with the crystal out of the gas beam, and a smaller pressure $\rho^{\prime}$ with the crystal in the beam. The sticking probability, ofis then simply:

$$
I=\frac{I}{P} \frac{\left(P-P^{1}\right)}{P}
$$

where $f$ is the fraction of the flux leaving the source which is intercepted by the crystal. From the absolute intensity of the flux at the sample, the coverage, $N$, is obtained from,

$$
N=\int_{0}^{t} Q \cdot \operatorname{sid} t .
$$

The variation of with $\mathbb{N}$ for oxygen adsorption on the $W\{I I O\}$ sample used for the remainder of this work is shown in Fig. 4. With the crystal at 300 K the zero coverage sticking probability is $0.4 I( \pm 0.015)$ : is almost indenendent of coverage up to $6.5 \times 10^{14}$ atoms $\mathrm{cm}^{-2}$, and then decreases quite precipitously towarde zero at $7.5 \times 10$ atoms cm , corresponding very closely to half a monolayer defined in terms of the density of surface $W$ atoms ( $14.7 \times 10^{I 4}$ atoms $\mathrm{cm}^{-2}$ ); superimposed on this figure is the observed variation in intensity of the ( $\frac{1}{2}, 0$ ) LEED beam from the $p(2 x I)$ structure at a primary beam energy of 65 eV , the ( $\frac{1}{2}, \frac{1}{2}$ ) from the $p(2 \times 2)$ at $960 \nabla$, and the $(I, 0)$ integral order heam at $72 e V$, corresponding to the (IXI) structure. Above the half monolayer position, coverages were estimated from ATS peak-to-peak height, calibrated at $\theta=0.5$. The maximum intensity of the $p(2 \times I)$ structure occurs at $\theta=0.5$, of the $p(2 \times 2)$ structure at $\theta=0.75$; and the $(I \times I)$ at $\theta=I$. The indtial sticking probability, functional dependence of $s$ on $N$, and maximum intensity in $p(2 \times I)$ beams are all in agreement with the ilterature.

We note here that we obtained very different results from another $W\{I I O\}$ face, also cut to within $\frac{\frac{1}{2}_{2}^{\circ}}{}$, and cleaned and polished to give cood Auser spectra and LKED pattern. The initial sticking probability was 0.62 ( $\pm 0.015$ ); and the coverage at the maximum intensity from the $p(2 \times I)$ LRED beams, where $s$ falls rapidly, was found to be $I 3 \times I O$ atomscm. We have no explanation for the behaviour of this particular crystal face, which was regarded as anomalous by comparison with the literature, and hence discarded. The most likely explanation is the presence of a high density of defect sites, although we could find no evidence of these.

The sensitivity of oxygen to such effects may explain discrepancies previously observed in the ifterature for this system particulary in electron stimulated desorption studies. No anomaly was found for CO adsorption on the same face: the initial sticking probability ( 0.88 ) I4 -2 and saturation coverage (II. $5 \times$ IO molecules cm ) at 300 K agree well 15 with the literature.
4. Surface Diffusion.

A typical set of results showing the spread of boundary profiles as a function of time, at IO63K, is shown in Fig.5.The initial boundary is a $\theta=0.5 / \theta=0$ step, which is readily obtained because of the sharp fall in at $\theta=0.5$. To obtain data at higher coverages, much higher beam fluxes were employed; under this condition the background pressure in the uhv chamber was sufficiently high to produce a coverage of $\theta=0.5$ on the shielded part of the crystal. $\theta=0.75 / \theta=0.5$ steps could be produced in this way, and a eet of data at temperatures between 990K and I3I3K are show in Tig.6. Higher coverages could not be achioved Whout losing the sharp edge at the adsorption temperature. Care was taken that during the diffusion step effecte were unimportant.

Diffusion profiles of this sort can be readily analysed to yield the diffúsion parameters. Diffusion is governed by the equation,

$$
\frac{\partial N}{\partial t}=\frac{\partial}{\partial x} \quad D(N) \frac{\partial N}{\partial x}
$$

where $N$ is the coverage, $t$ the heating time and $x$ the distance moved at the coverage $N . D_{(N)}$ is the coverage dependent diffusion coefficient. If the diffusion process is of the random walk type, it can be shown,

$$
I=(D t)^{\frac{1}{2}}
$$

Thus curves taken as a function of heating time can be treated to yield a single curve at one constant temperature. An example of this is shown in Fig.7. for $T=1063 K$ and illustrates the quality of the data. The
diffusion process is an activated process described by the equation,

$$
D(\omega)=I_{\text {otp }} \exp \left(-I_{m} / R T\right)
$$

where $D_{0}$ is the preexponential of the process and $E_{m}$ is a coverage dependent activation energy. For boundaries that are initially perfectly square before diffusion takes place, D can be calculated at any coverage I6
from the equation,

$$
D=\frac{-I}{2 t} \frac{\frac{d x}{d N}}{N_{1}} \int^{N} x d N
$$

The initial boundary is at position $x=0$ between two coverages $N_{1}$ and $N_{0}$; N is the coverage at any point between these two values. Note that No is the coverage at $t=0$ and $x>0$ and that $N_{1}$ is the coverage at $t=0$ and $x$. This analysis has the important boundarycondition,

$$
\int_{\mathbb{N}_{1}}^{\mathbb{N}_{0}} x d N=0 .
$$

This equation is very important, it states that any material lost from the high coverage side of the boundary must equal the material gainod at the low coverage side. A similar analysis for this system has been reported in the literature but this boundary condition is clearly not I7 met ; in the present work this was always found to be true.

Using this analysis plots of $D$ versus covsrage can be drawn up and examples of these are shown in $\operatorname{Fig}$. 8 . The logarithmic values of $D$ at a particular coverage for various temperatures, is used to find the activation energy and the preexponential for diffusion, utilising an Arrhenius type plot. Fig. 9 shows these plots, and the $\mathbb{I}_{m}$ and $D_{0}$ values extracted from these are show in table I. 5. Discussion of the Surface Diffusion results.

It can be seen that the activation energy increases strongly with I8 coverage, in agreement with the results obtained by Chen and Gomer.

The value of the activation energy for difiusion agrees well with the high coverage
results presented by previous authors; I23 $\pm$ IO kJ mol here, II kJ mol
measured by Butz and Wagner, and IOI kJ mol as determined by Bowker I9
and King. The value of the preexponential is also of the same order of magnitude as reported by these authors.

The variation of $\mathbb{E}_{m}$ and $D_{0}$ are shown in Fig.IO., also shown are the I8
values obtained by Chen and Gomer for comparison. The variation in $E_{m}$ noticed by these authors has been confirmed here; other authors have been unable to confirm the results because of experimental difficulties, and these have been overcome in the present work. The variation of $\mathrm{Im}_{\mathrm{m}}$ has been attributed to the presence of lateral interactions between the 1
adatoms. The $\mathrm{I}_{\mathrm{m}}$ eraph shown can be extrapolated to zero coverage -I
Yielding a value of 63 kJ mol , in very $\quad$ I8 agreement with the value of 56 kJ mol as found by Chen and Gomer. This value of the activation -nerty is associated with the diffusion of a single isolated adatom, one that does not foel any lateral interactions with another adatom. The 1 increase in $\mathrm{I}_{\mathrm{m}}$ for Chen and Gomers results has been explained using the phase diagram for the system. For $\theta<0.35$ the island dissolution temperature is 450 K and at the temperatures were the experiments were carried out (above this) the adatoms should be randomly distriouted and have the isolated adatom diffusion energ. For $0>0.35$ the transition becomes an order-disorder transition at. $T=f 00 K$ above the diffusion temperatures used by Chen and Gomer; hence the increase in $\mathbb{H} m$ is due to the attractive interactions between moleculesin a $p(2 \times I)$ island. The results presented here, since all experiments were carrisd out above 700 K , would seem to indicate that there is enough short range order between the adatoms to make a contribution to the diffusion energy. This contribution
may be expected to increase as the coverage increases and so produce the variation of $\mathbb{I}_{m}$ observed here. If we write the difference in energy between the two regimes, we can equate this to the interaction enerey between the adatoms, 1.e.,

$$
I_{m}^{2 \times 1}-\sum^{i}=2\left(\omega_{1}+\omega_{i}\right) .
$$

Using the values of $E_{m}^{2 m^{3}}$ and $E^{i}$ found here, $\left(\omega_{1}+\omega_{p}\right)=I I .7, \mathrm{~kJ}^{\mathrm{mol}}{ }^{-I}$, in good agreement with the interaction energles reported by W.Y.Ching ot al. 17
Butz and Kagner report that they see no evidence in their activation enerey plots for an increasing value for $\boldsymbol{I}_{m}$. Howeverg if their high coverage boundaries are examined a step profile between $\theta=I$ and $\theta=0.5$ ) it can be seen that at the $x=0$ position the crossover of the diffused 20
boundary is below $\theta=0.75$. It has been shown that this is indicative of attractive interactions betweon the adatoms. The crossover of the low coverage boundaries does not show a similar offectapresumably then, we wolld expect the sort of variation in $\sum_{m}$ noted here; this is explicitly show when the coverage profiles are examined, Figs. $5 \& 6$, which show cxactly the same offects.

The variation of $D_{0}$ shown in Fig.IO. is not as easily explained. A strong variation of $D_{0}$ was also found by Chen and Gomer it seems likely that these results are almost certainly incorrect. The absolute values reported by these authors are afactor of $10^{.4}$ too low. This difference is ascribed to the fact that the field emission fluctuation technique used by these authors leads to $D_{0}$ values which are likely to 21. I9
be misleading . Bowker and Xing and Butz and Wagner report similar effects of the same order of magnitude but at different coverages. It can be shown that,

$$
D_{0}=\frac{\gamma_{a}^{2}}{4} \exp \left(\Delta S_{m} / k\right)
$$

where $V$ is the $\begin{aligned} & \text { brational frequancy of an adatom, and a the mean square }\end{aligned}$

Jump distance. $\Delta S_{m}$ is the entropy change associated with surmounting the energy barrier. We can only surmise that the diffusion process occurs through a number of different routes, possibly as clusters and individual adatome.

I7 I8
Butz and Wagner and Chen and Gomer both report a larce peak in the diffusion coefficient as a function of coverage. Fig. $\theta$ shows that the same offect has been noticea in the present work. Using a Monte-Carlo 8 analysis Bowker and King have show that this is due to the presence of attractive next-nearest-neighbour as well as ropulsive nearestneighbour lateral interactions on the surface. and should produce a peak in $D$ at $\theta=0.5$. The previous work shows that the peak is below this cover22 age. However this may not be so; Froitzheim et al have proposed that the saturation coverage for this system is greater than one, this would ensure that the results of Butz and Wagner were hifted to higher coverage. In the present work (unlike Butz and Wagner) we are able to measure absolute surface coverages and so have confidence in our values. It can be seen that the peak reported here is slightly above the half coverage position; 23 a recent theoretical study supports this. The theory again, models the surface with the lateral interactions discussed earlier.
5. The Directional Iffoct in Surface Diffuaion of 0 on $W\{I I O\}$.

The results above refor to a boundary moving in the $\langle\overline{\mathrm{I} O}\rangle \mathrm{direction}$. Results were also obtained by depositing the boundary godegrees to the one used above and scanning in the $\langle O O I\rangle$ direction. No differences were observed, as illustrated in Fig. II where an activation energy plot at
a coverage of $4 \times 10^{14}$ atoms $\mathrm{cm}^{-2}$ for both directions is shown; the agreement is very good indicating that diffusion is isotropic for this system. Presumably the agreement of $\mathscr{E}_{m}$ values recorded by other authors 1s because of this property.
6. Concluaions.
a) The diffusion of 0 on $W\{I I O\}$ is dominated by the interactions between the adsorbed adatoms. These lateral interactions are the same ones that result in the complex phase diagram for the system. The dominant interaction is the next-nearest-neighbour attractive interaction which cause the activation energy for surface diffusion to increase as the coverage increases.
b) All the effects predicted for a system where attractive next-nearest -neighbour interactions are important, are observed in the same study. These are I) An increasing activation energy for diffusion as the coverage increases. II)A strong increase of the diffusion coefficient near the half coverage position. III) The point where a diffusing boundary passes through the initial boundary position occurs below the half coverage position.
c) The magnitude of $\mathbb{F}_{m}$ and $D_{0}$ measured here agree well with previous work. It seems likely that $D_{0}$ measurements using the flicker noise fieldemssion technique are misleading. The agreement between the measurements would seem to indicate that the large number of defect sites ( although a small percentage of the total number of sites) present on any bulk single crystal, have no, or a very small, effect on the meanured values.
d- There is evidence that the attractive lateral interactions between the adatoms are atill felt by the adatoms when the $p(2 \times I)$ 1slands are disordered by LEED.
-) Diffusion is isotropic on the $W\{I I O\}$ face.

REFTRRENCES.
I. D.A. King, J.Vac. So1.Tech., I7(I980)24I.
2. G. Bhrlich, C.R.C.Crit.Reviews in Solid State and Material Sciences, IO(I982)39I.
3. M.A. Morris, M.Bowker and D.A.Eing, The Rinetics of Adsorption, Desorption and Migration at Single Crystal Metal Surfaces, in Comprehensive Chemical Kinetics, ede. C.H.F.Tipper and C.Bamford, Ilsevier.
4. M.G. Lagally, J.C.Bucholz and G.C. Wang, J. Vac.Sci.Tech., I2(I975)2I3.
5. M.A. Van Hove and S.Y. Tons, Phys.Rev.Letts., 35(1975)I092.
6. T.M. Lu, G.C. Wang and M.G. Lagally, Surf. Sci.,92(I980)I33.
7. W.Y. Ching, D.I. Huber, M.G.Lagally, and G.C. Mang, Surf.Sci.,

77(I975)550.
8. M. Bowker and D.A. King, Surf.Sci., 72 (I978)208, 7I(I978)583.
9. T. Ninel, H.Niahus and T.Bauer, Surf.Sci.,52(1975)237.

IO. H.L. सinstein,Surf. Sci.,84(I978)工497.
II. E. Bauer and T. Eingel, Surf.Sci., 7I(I978)695.

I2. M.K.Debe and D.A.King, Surf.Sci., 8I(I979)I93.
I3. T.IH. Madey, Surf.Sc1.,94(I980)483.
I4. S-1. Weng, Phys. Rev.B.,28(I98I)I699.
I5. C.Kohr't and R.Gomer, Surf.Sc1,40(I973)7I.
I6. C. Matano, Jap.J.App.Phys., 8(I933)I09.
I7. R. Butz and H.Wagner, Surf.Sci.,63(I977)448.
I8. J.R. Chen and R. Gomer, Surf.Sci.,79(I979)4I3.
I9. M. Bowker and D.A. King, Surf.Sci.,94(I980)564.
20. M.Bowker and D.A. King, Surf.Se1.,53(I978)583.
21. J. Beben, Ch. Kleint and R.Meclewski, Surf.Sci., 93(I980)33.
22. H. Froitheim, H. Ibach and S. Lehwald, Phye.Rev.B., I4(I976)I362.
23. M. Asada and M. Masuda, Surf.Sci.,99 (I980łI429.

## TABLE I.

| $\text { atome } \begin{gathered} \text { COVERAGE } \\ \mathrm{cm}^{-2} \times 10^{14} \end{gathered} .$ | $\underset{\mathrm{kJJ}}{\mathbf{I}_{m o l}^{-1} .}$ | $\mathrm{cm}^{\mathrm{Do}_{\mathrm{o}}-1} .$ |
| :---: | :---: | :---: |
| 2 | $76.6 \pm 5$ | $0.019 \pm 308$ |
| 4 | 89.5 | 0.10 |
| 6 | 100.5 | 0.05 |
| 7.5 | III. 4 | 0.019 |
| 8.5 | II7.8 | 0.40 |
| 9.5 | 123.1 | 0.63. |

Fig.I. Domain Structure for $p(2 \times I)-0$ islands on $W\{I I O\}$.
Also shown are the two-body lateral interactions that exist between the adatoms.

| 会 | $\hat{\hat{b}}$ |
| :--- | :--- |
|  |  |



Fig.2. Schematic illustrating how adsorbate boundaries were deposited on the crystal.


Mg.3. An example of the adsorbate patch deposited on the crystal at 300K. Two different examples are show (open and filled circles) to illustrate the reproducibility of the method.


Fig.4. Sticking Probability and Leed intensity as a function of coverage for $O / W\{I I O\}$. Half filled circles and the LHED data refer to adsorption onto the crystal used in these experiments. The half filled circlos are data from a second crystal. Open squares are intensity measurements of a $(1,0)$ LED beam ( 72 eV ); f1lled squares from a $\left(\frac{1}{2}, 0\right)$ beam ( 65 eV ); and half filled from the ( $\frac{1}{2}, \frac{1}{2}$ ) beam ( 960 V ).


F1. .5. The spreading of an adsorbate boundary, a $\theta=0.5 / \theta=0$ step, as a function of time at 1063x.


Fig.6. The spreading profile of a $\theta=0.75 / \theta=0.5$ step as a function of time and temperature.


Fig.7. A time reduced plot of the data in Fig.5. (Obtainei by making the $x$ axis dimensionless.)

Plg.8. Plots of $D$ against coverage based on an analysis of the spreading profiles.


Fig.9. Arrhenius plots of Log $D$ versus reciprocal temperature for different coverages.


Fig IO. The variation of $E_{m}$ and $D_{0}$ with coverage. For comparison the resu' results of Chen and Gomer are also shown, but note that their $D_{0}$ values have been multiplied by $10^{4}$. Chen and Gomers results are drawn as ( - ----), present work as $(\longrightarrow)$


```
                            I4 -2
Fig.II. Activation energy plots at N = 4x IO atoms cm for diffusion
in the <OOI\rangle direction (open circlest and in the < I\overline{IO}\rangle direction (filled circles).
```



CHAPTER 5: THE ADSORPTION OF POTASSIUM ON W\{IIO\}.
I. Introduction.

The adsorption of alkali metals on to single crystal planes of metals is one of the most studed fields since the advent of surface science. The interest, here, has been generated because of two important factors. Firstly, they are readily treated thooretically and so have often been used as "ideal adsorbates". The second reason is that they are of great importance industrially; they are often used to increase the emission of certain filaments (they lower the work function of the refractory metals), and the ultra-low work functions they sometimes produce may lead to the I development of a near perfect Thermionic Energy Converter.

The most studied of the alkali metals is $\mathrm{C}_{\mathrm{s}}$, due, in part, to the very low work functions observed when it isco-adsorbed with oxygen on to 2 tungsten. It has been well proven that for $C_{s}$ and the other alkalies that the binding energy of the alkali decreases with the weight of the alkali. Work functions show the opposite trend going to ever more positive values as the group is ascended. Both effects are due ostensibly to the enhanced 4-6 7 8-I0 polarisability as the radius of the atom increases. Li , Na and Cs , all form ordered structures on the $W\{I I O\}$ surface, many of these. II displaying order/disorder transitions below room temperature and as a consequence many of the structures can not be observed at room temperature II
It would secm that the phase transition temperature increases with the molecular weight of the alkali. From the LERE results we can build up a behaviaur pattern for the adsorption of these metals. Firstly, provided the temperature is low enourh, ordered commensurate phases are formed at Low coverages ( $\theta<I$ ) and there may be several of these dependent on the coverage. As the coverage nears a monolayer the system exhibits the pattern due to hexagonal, close-packed layer of adsorbate, with no registry with
the surface. These are normally visible at room temnerature.
Basing explanations of surface properties of alkali metals on depolarisation effects is being challenged. Many of the alkalimetals erhibit workfunction minima as function of coverage; explained using this type of approach. However results for W deposition on to W\{IIO\} show similar I2 variations, but the explanation is based on terms of surface mobilities. The decreasing binding energy of alkali with increasing coverage may also have a different explanation; similar results have been observed for non-metal adsorbates and the variation is due to lateral interactions 29 between the adspecies . Highly charged alkalies should show similar effects.

Layers of alkali metals are strained due to their large ionic: radil and this, coupled to low sublimation energies, ensure that multilayer growth is rare. To this effect reports of layer growth of $C_{s}$ on W $\{I O O\}^{I 3}$ have been met with some scepticism.

Vast amounts of experimental and theoretical information have been obtained for alkali metal adsorption, but much of it is conflicting. This is due, to a large extent, to the problems of maintaining good surface cleanliness during adsorption; alkalies are extremelyr sensitive to small 35
impurity concentrations. It has been pointed out that the high order IARD patterns observed for $Z r$ adsorption on $W\{I O O\}$ are the result of oxygen I4
contamination . Tables of desorption parameters drawn up by Hurkmans et 3 al have allowed much of the previous work to be classified in this category.
2. Experimental.

The system has been described elsewhers. It consists of a stainless
steel chamber equipped with a 250 la 10 pump and a titaniummsublimation pump "firing" on to a liquid nitrogen cooled shroud. Base pressures -II
are in the $2 \times I O$ torr range. There is a mass spectrometer for residual Gas analysis and an R.F.A. for LEED and AES. Gas inlet is from a molecular beam source or from the background. The sample was a W\{IIO\} single crystal cut and polished to within $\frac{1}{2}^{\circ}$ of the\{IIO\}surface plane, measuring, $75 \times 75 \times 5 \mathrm{~mm}$. Temperatures were measured with a W-Re $5 \% /$ W-Re $25 \%$ thermocouple located in a small pit drilled into the edge of the crystal. Temperatures $1000 k$ were obtained using electron bombardment heating, below this resistive heating was used. The thermocouple was part of a feedback circuit 80 , that the sample temperature could be controlled to within 2 K . The sample was cooled by liquid nitrogen flowing through a stainless steel reservoir attached to the sample mounting block With a copper braid. Heat losses limited the sample temperature to 220 K . I5 The sample was cleaned in the manner associated with $W$ until ASS showed the surface to be free of contamination.

Potassium evaporation was from a zeolite source coated on a filament I6
as described by Weber and Cordes. The filament was part of an electron sin like assembly at the end of which was a shield with a small slit cut Into it ailowing $X$ to be dosed on to the crystal. Large shield to crystal distances resulted in a homogeneous $K$ covering. It has been pointed out that zeolite sources are prone to oxygen impurities, presumably through breakdown of the zeolite itself. Mass spectra taken during the dosing showed only a mass peak at 39 amu, no $K O$ or $K O$ were ever observed. After degassing the source for 100 hours, it, could be used without the AES revealing any oxygen on the surface.
3. Results and Discussion.
3.I. Adsorption Results.

AES studies have been performed relatively few times for alkali metals I8-2I
adsorbing onto refractory metals , in particular, K has only been studied once for adsorption on toMO $\{I I O\}$ and Mo $\{100\}^{19}$. The AES peaks of K were observed in the usualunsitions of 38 and $25 \mathrm{IeF} . \mathrm{Mg}_{\mathrm{g}}$ I shows a typical AES derivative spectrum for a $\mathbb{E}$ covered $W\{I I O\}$ syatem, recorded with the primary beam energy of 2 keV , modulation of 5 volts peak-to-peak and primary beam current of $4 \mu \mathrm{~A}$. Pig. 2 shows the peak-to-peak AWS derivative height as a function of dose time for the K $25 I$ poak and the $W 347 \mathrm{eV}$ peak. It can be imediately soen that the graph is made up of a namber of linear sections with distinct knees where thereis a change of slope. This 25 graph is indicative of layer-by-layer growth. We assume that in the initial portion of the graph the first layer is growing and the incoming $\mathbb{X}$ ions have a sticking probability of one (recent results have shown this to 35 be true provided that the ion energy is low and in our case the incoming ions had a energy of 2 eV ). The first observed change in slope occurs at the completion of this monolayer and second layer growth occurs. This layer is completed at the second knee. It is important to note that the time to complete the second layer is greater than the first. This is not due to any source instability, as evidenced by the agreement of two separate runs shown in Fig.2. We explain this fact by assuming a lower sticking probability of second layer ions, and this evaluates to 0.65 . After completion of the second layer, third layer growth begins but at this point the $A E S$ signal becomes less consistent despite no noticeable decrease in the signal to noise ratio. We belleve that this is due to the fact that third layer $K i s$ only very weakly bound and that the lifetime is small. Thus the databecomes sensitive to the dose time, the time to measure the signal and the time to move the sample to the AES position.

After this some approximate saturation coverage is reached.
These assertions were checked by repeating the experiments at temperatures other than room temperature. The results for substrate temperatures of 250 amd 350 K are shown in Fig. 3. At the lower temperature the second layer is completed faster; the sticking probability evaluates to 0.82 . At the higher temperature it is incomplete and the aignal is again inconsistent. First layer growth is unaffected as would be expected for strong adatom-surface interactions. These results are in support of our model.

The gensitivity of the multilayers to temperature should come as no surprise; using the Frenkel equation,

$$
y=y_{0} \exp \left(E_{d} / R T\right)
$$

where $y$ is the residence time, $\mathcal{J}_{0}$ the preexponential and $T$ the surface 13 -I temperature. For $y_{0}=1.6 \times 10$ s,$T=300 K$ and $\mathbb{I} d$ is the sublimation energy of $K$, then $\mathcal{J}$.is 150 s. If the sublimation energy is raised by IO ( or T lowered by $10 \%$ ), $\mathcal{Y}$ evaluates to around I5 minutes. This also showa that multilayer growth is not unreasonable. It has not been 22,23 24 observed for the $K / F e$ system or $K / N 1\{I I \theta\}$ but has been observed for $\mathbb{I}$ on $W\{100\}$. In using this model we assume that the sublimation energy has been raised slightly, possibly due to some interaction of the second layer $K$ fóns with the surface. This seems to be negligable for the third layer. The results here are very similar to results for the Cs/W\{IIO\} 20 system where second layer $C$ e was formed at 250R. Third layer growth was never observed presumably due to the lower sublimation energy of $\mathrm{C}_{\mathrm{s}}$ -I $\left(C_{b}=78.7\right.$ and $\left.\mathrm{K}=90 \mathrm{kJmol}\right)$. The layer-by-layer growth mode observed here is different to the growth of $\mathbb{K}$ layers on Mo \{IIO $\}^{\text {I9 }}$ but this may be due to temperature differences which strongly affect the growth 26
mode.
Further evidence was sought that the monolayer point was correctly
assigned. This was done by measuring the drain current of the sample under an impinging electron beam. Fig. 4 shows the drain curront an a function of lose time. The drain current saturates at a time equal to the time taken to complete the firgt monolayer. This is good evidence that our assignment is correct, since it is to be expected that such graphs level off after the first monolayer has been completed. The initial decrease of the drain current is very rapid and then slows dramatically. The drain current, $I_{d}$, is a measure of the total secondary electron Hiold current density, Is. They are related by,

$$
I_{p}=I_{S}+I_{d}
$$

where Ip is the primary beam current. Clearly the secondary electron yield increases at the exspense of the drain current for an electropositive adsorbate as here. The draincurrent is a sensitive fanction of primary beam onergy, incidence angle, substrate outer shell electrons, atomic radius and the work function. Since the work function of the system 27 does not show a similar decrease and the other parameters are unaltered, we assume that the drain current is a very sensitive measure of electronic structure. From these results we thus see a very small amount of $\mathbb{K}$ alters the electronic properties of the surface drastically. There is some evidence for this in that the presence of small amounts of $K$ cause the sticking probability to increase drastically on certain surfaces.

### 3.2. LEED Observations.

A thoroughinvestigation was made to look for ordered phases developing during the adsorption of $K$. At temperatures between 225 and $1000 K$ and coverages in the zero to two monolayer range, no new LEFD patterns were ever observed. At no point was a Leed pattern observed due to a closem packed $\mathbb{I}$ surface. All that was ever observed was a decrease in the intenaity of the ( $I \times I$ ) clean surface beams and an increase in the background. This is shown in Fig.5, where the intensity of a $(I, O)$ beam and
tne intensity of the bacherounj (both measured at 75 eV ) ara plottea against exposire time. At the monolayer noint the substrate beam has mereed into the back! 'round. The distance between IED spots was also monitoredil during the adsorption refime in order to look for lattice contraction, but there was no eviaence for these effects.

It seems likely that the temerature in these experiments was too high to observe any ordered phases at coverages less than a monolayer, however, the lack of the close"packed pattern is disturiong. The usual explanation, for this structure is that mobility has decreased by enough to allow the $K$ adatoms to "lock into" an energetically favoured arrangement. We assume that slightly higher adsorntion energies may make this less favoured.

### 3.3. The Desorption of Potassium

An attempt was made to evaluate the desorntion energy of K from the $W$ \{IIO\} surface. This was done by producing a homogeneous coverage of one monolayer across the surfacel the source could produce this tyoe of deposit at large sample to source distancest and heating the surface to successively higher temperatures for a periods of 30 s . During this, the coverage was monitored using AES. The results are show in Fig. 6 and indicate that the desorption occurs in tro separate stages. It has been show tha't the presence of two peaks in a desorption spectra can be 29 explained in terms of lateral interactions between the adatoms , one would expect that these are important for the large, bighly charged, $K$ Lons. The desorption energies of alkalimetals have been measured and do show 22,23 the sort of variation with coverage these theories would predict . Using the equation,

$$
\frac{d \theta}{d t}=-\gamma \theta \exp (-E d / B T\rangle
$$

(where $\theta$ is the relative coverage, $\gamma$ the preexponential and $E \mathcal{D}$ the desorption energy) the desorption parameters can be estimated
if epreurionential of $10^{I 3} E$ is assumed. For the two stages in the figure this treatment yílie: 2.8 (low coverage) and 2.3 h high coverage). This 30,31
is well above the value measured in previnus work. This is because here we measure desorntion of ions and neutrals, which takes place at higher energies than neutral desorption. The values here are closer to the values measured in field desorotion experiments, which is a process akin to the one here.

### 3.4. The Surface Coverage of Potassium.

We have so far failed to mention the surface coverage of K with respect to the $W$ atomic density on this plane. Unfortunately this could not be measured with any accuracy in the present work, thus we assign 27
a value usine the work of Blaszcyszyn et al. It was shown that the work function of the system $K / W\{I I O\}$ reached a plateau at the monolayer point and this monolayer coverage was found to be $5 \times 10$ atoms cm . We adopt this value. Tinis value is very close to the density of the bulk I4 -2 \{IIO\} K plane; $4.99 \times 10^{14}$ atoms cm . Some verification was found for $-7$ this; at an impinging ion current of $0.8 \times 10$ A, the sarface reached monolayer coverage in 16.6 minutes, and provided a unity sticking probab1lity this corresponds to a $K$ surface density of $5.2 \times 10^{\text {atoms }} \mathrm{cm}$, in fairly good agreement with the quoted value.
3.5. Surface Diffusion of Potassium.

Diffusion of K on polycrystaline $\mathrm{k}^{\mathrm{h}}$ has been studied a number of times, 36-38 but the results are conflicting . Two of the authors report that the activation energy $E_{m}$, for surface diffusion increases with coverage, 37, 38 while the third reports the opposite trend ${ }^{36}$. The results of Bosworth 38 and Schmidt and Gomer are summarised in table I. Bosworths results are more in line with what would be expected from a surface covered with adatoms which have a very atrong repulsive interaction between them, this despite the fact that Bosworth probably worked with a contaminated
burface. The diffusion process can be described by the equation,

$$
D=\frac{1}{2} r l^{2} \exp \left(\Delta S_{m} / k\right) \exp \left(-S_{m} / k T\right)=D_{0}\left(-E_{m} / k T\right)
$$

where $\mathcal{V}$ is the effective vibrational frequency of the adatom, $l$ the mean square jump length and $D$ the diffusion coefficient. The overall preexponential $D_{0} i_{s}$ known as the diffusivity and the activation energy for diffusion is $E_{m}$.

In this worl: diffusion was followed in the manner described below. Usine a small crystal to source distance a small diameter patch could be deposited onto the sample. This patch could then be measured by turning the sample towards the AES beam and measuring the $A E S$ derivative height;using accurate micrometers on the sample manipulator this could be performed at various points along the sample. In this way coverage versus distance profiles could be obtained. By heating the sample diffusion could bemonitored by rescanning the profile and looking for park shape changes. The peak shape analysis used by Bosworth could not be used here to analyse the results because the initial $Y$ patch was so large that the large peak shape changes needed for good experimental accuracy would have introduced edge effects. Instead the method used by 39 Bowker and King was followed. This consisted of measuring the change in the widh as a function of time and emnerature. Typical results at two different coverages are shown in Figs. 7 and 8. At $\theta=0.2$ for a temperature of 610 K and at $\theta=1.0$ at a temperature of 500 K . For a random walk process it is necessary that the increase in width of the patch is proportional to the squafe root of the heating time. Experimentally this was found to be true, as shown in Fig. 9 for both high and low coverage. Arrhenius plots of $D$ (equal to $(\Delta x)^{2} / t$, where $\Delta x$ is the increase in width of a peak) as the temperature varied could be constructed at the two coverages used here and are show in Figs.IO and II. The results are
displayed in table I. It can be seen that Emdecreases with coverage but it must be pointed out that these are average values over the coverage range used and that the variation may be larger than these results indicate. The $E_{m}$ values here annear to be large when compared to the previous reaulta, this may be due to a single crystal plane being used here rather than a polycrystaline sample, due to a higher degree of surface cleanlix ness used here compared to the older results, or due to an experimental artifact. This may arise from the laree orror quoted with the low coverage data.This uncertainty is because of the competition of desorption with diffusion at these coverages limiting the temperature range to about 50 k when the two processes are readily separated. The high coverage data does not suffer this problem to the same degree and thus is more accurate. The value of Emat $\theta=I$ is in close proximity to the value measured for Cs difiusion on $W\{I I O\}^{34} ; \mathrm{I}_{\mathrm{m}}=57 \mathrm{~kJ}$ mol ${ }^{-\mathrm{I}}$.

Despite the exporimental difficulties it has clearly been shown that $E_{m}$ decreases as $\theta$ increases. Following Bosworth we explain this as being due to the large repulsive interactions between these adatoms that exist. The low coverage results adorosimate to the diffusion energy of a isolated $K$ adatom.and as $\theta$ increases the repulsive interactions attain greater significance allowing the adatoms to diffuse more easily. These repulaive interactions are also responsible for the decreasing Ef as the coverage increases.
4. Summary and General Conclusions.

In the present study we have demonstrated that $K$ is able to form multi-layers on $W\{I I O\}$ at room temperature? however, the stability of these layers is very low. Desorption from the first layer takes place In two stages, each stage presumably due to the presence of strong
repulsive lateral interactions between the adatoms. These lateral Interactions strongly affect the diffusion kinetics, causing the activation energy for surface diffusion to decrease as the coverage increases. The decrease found here is opposite to the variation reported by some authors 37.38
using the field emission microscope. The results here clearly shov the importance of lateral interactions between adsorbed molecules and thus fits the idea that these interactions dominate the desorption, the adsorption and the diffusion in many gas/ single crystal metal surfaces.

## REFERENCES.

I. G.N. Hatropoulus and E.P. Gyftopoulus, Thermionic Energy Conversion,

Vol I.Vol. 2, M.I.T., Cambridge, I974, 1979.
2. C.A. Panergeogopoulus, Surf.Sci.,IO4(IgRI)643.
3. A. Hurkmans, E.G. Overbosch. and J. Los, Surf.Sci.,59(1976)488.
4. D.A. Gorodetbly, Yu P. Melnik and A.A. Yusko, Ukr.Fiz.Zh., I2(I967)649.
5. V.K. Medvedev and T.P. Smereka,Sov. Phys, Sol.St., I6(I974)IO46.
6. A.G. Naumovets and A.G. Fedorus, Sov.Phys.JETP.,4I(I975)587.
7. V.K. Medvedev, A.G. Naumovets and A.G. Fedorus,Sov.Phys.Sol.St.

I6(I970)301.
8. A.U. Macrae, K. Muller, J.J. Lander and J. Morrison,Surf. Sci.;

I5(I969)483.
9. A.G. Naumovets and A.G. Fedorus, Surf.Sci.,2I(I970)427.

IO. A.G. Fedorus and A.G. Naumovetb,Sov.Phys.Sol.St., I2(I970)232.
II. A.G. Naumovets and A.G. Fedorugsov. Phys.JETP . . 46(I977)575.

I2. P. Hahn, J. Clobes and M. Henzler, J.Appl.Phys. in prínt.
I3. C.A. Papergeogeogopoulus, Surf.Sci., IO4(I98I) 643.
I4. P.R. Davis, Surf.Sci. 9 (I980) 385.
I5. M.K. Debe and D.A. King, Surf.Sci.,8I(1979)I93.
I6. R.F. Weber and L.F. Cordes,Rev.Sci.Instrum.,36(I965)II2.
I7. E. Bauer, in "The Physics of Solld Surfaces and Heterogeneous Catalysis" eds. D.A. King and D.P. Woodruff. Voi 3 , Elsevier, Amsterdam, in press. I8. Yu S. Vedula, V.G. Goichar, A.G. Naumovets and A.G. Fedorus, Sov.Phys.Sol.St., I9(1977)I505.

I9. S. Thomas and T.W. Haas, J.Vac.Sci.Tech., 9(I972)840,IO(I973)218.
20. J.L. Desplat and C.A. Papergeogeogopulus,Surf.Sc1.,92(I980)97,II9.

2I. G.Broden and H.P. Bonzel, Surf.Sci.,84(1980)IO6.
22. S.B. Lee, M. Weiss and G.Erti,Surf.Sci.,IO8(I98I)357.
23. R.L. Gerlach and T.N. Rhodin, Surf.Sci.,I9(I970)403.
24. P. W. Steinhage and M. Mayer, Thin Solid Films 2S(1975)I3I.
25. J.A. Venables and G.D.Y. Spiller, "Nucleation and Growth of Thin Films" Surface Diffusion on Solid Materials, ed. V.Thien Binh, Nato-ASI Series, Plenum(1982).
26. E. Gillet and B. Gruzza,Surf.Sci., 97(I980)553.
27. R. Blaszcyzybzyn, M. Blaszcyzyszyn and R. Meclewski,Surf.Sci., 5I(I975)396.
28. M. Kitron and R.M. Lambert, Surf.Sci.,IO9(I98I)60.
29. M.A. Morris, M. Bowker and D.A. King, "Kinetics of adsorption, desorption Diffusion at Metal Surfaces in Comprehensive Chemical Kinetics eds C.H.F. Tipper and C. Bamford, Elsevier, North Holland,(I983). 30. W. Korner, Proc.2nd Intern.Conf on Solid Surfaces,(I974), Jap.J.Appl. Phys.Suppl.2,Pt.2,(I974)75.

3I. K. Sendenka and R. Meclewbki,Surf.Sci., 70(I978)255.
32. C.J. Todd and T.N. Rhodin, Surf.Sci.42(I974)IO9.
33. L.D. Schmidt and R. Gomer, J.Chem.Soc. . 45(I966)I605.
34. P. Akhter and J.A. Venables,Surf,Sci., IO3(I98I)30I.
35. A. Hurkmans, EiGg. Overbosch and J.Loe, Surf.Sc1., 62(I977)62I.
36. R.C.I. Bosworth, Proc.Roy.Soc.,I54A(I936)II2.
37. R. Meclewski,Acta Physica Poland,A37(I97I)4I.
38. L.D. Schmidt and R. Gomer, J. Chem.Phys., 42(I965)3573.
39. M. Eowker and D.A.King, Surf.Sc1.,94(1980)564.

## TABLE I

Diffusion parameters of $k$ on $W$.


COVERAGE
atoms $\mathrm{cm}^{-2} \times 10^{I \cdot 4}$

| K/W <br> polycrystalline | 63 | 40 | 0.12 |
| :--- | :--- | :--- | :--- |
|  | 50 |  | 1.2 |
|  | 20 | 4.8 |  |

$\begin{array}{ll}\mathrm{K} / \mathrm{W} & 38 \\ \text { polycrystaline }\end{array}$
40
75
E/W\{IIO\} THIS WORK
$128 \pm 40$

$$
\begin{array}{lll}
48.5 \pm 10 & 0.16 & 5.0
\end{array}
$$

| $1.6 \times 10^{-6}$ | 0.5 |
| :---: | :---: |
| $1.3 \times 10^{-4}$ | 1.5 |
| 32 | 2.7 |

NOT MEASURED, I.O ACCURACY TOO LOW

Fig.I. Derivative AES apectra for a F -covered $\mathrm{W}\{$ IIO $\}$ surface.


[^0]

```
Fig.3. As Fig.2 except that the adsorption temperature is varied.
Substrate temperature equal to: I, 250K, II, Room temperature, III, 350K.
```



Fig.4. The change in drain current at the samole ratioed to the clean surface result againat time of exposure.


Pig.5. The intensity in a ( 1,0 ) LEED spot and the background as a function of exposure time.


EXPOSURE TIME, min.

Fig.6. Coverage versus sample temnerature. Details in text.


Pigs. 7 \& 8. Typical coverage versus distance profiles before and after hoating, at low and high coverage.



Fig.9. Typical $(\Delta x)^{2}$ versus heating time for the data in Figs. 7 \& 8.
$(\Delta x)^{L}$, ARB. UNITS


Pigs.IO \& II. Arrhenius plots for diffusion of $K$ at high and low coverage.



CHAPTER 6: MONOLAYER AND MUITILAYER SURFACE DIFFUSION, GROWTH MODE AND THERMAL STABILITY OF INDIUM ON W\{OOI\}.

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Studies of the surface properties of indium, as substrate or adsorbate, are rare, and are largely limited to its compounds which form III-V semiconductors, particularly InSb and InP. However, indium is often used to coat metals in mechanical engines, as it protects the metal from corrosion and acts as a lubricant. ${ }^{1,2}$ No quantitative information is available concerning its diffusion properties, and indeed there is a general paucity of quantitative diffusion studies of adsorbates on single crystal surfaces. ${ }^{3}$ In the present work we have attempted to remedy both these deficiencies by using LEED and scanning $A E S$ to conduct a detailed investigation of the growth mode
the thermal stability and surface diffusion of indium on W\{100\}. The diffusion studies are of central importance, and form part of a research programme aimed at determining the role of lateral adsorbate-adsorbate interactions in surface diffusion, ${ }^{4,5}$ and the role of mobile "precursor" states in adsorption and desorption kinetics. ${ }^{6}$

Indium is a metal, forming a body centred tetragonal structure with some distortion. In the bulk, each atom has four nearest neighbours at $3.24 \AA$ and four next nearest neighbours at 3.36 A. It has the largest temperature range of all the elements between its melting point (429 K) and its boiling point (2340 K).

The \{100\} plane of tungsten has been very extensively studied, and particular interest has been shown in the discovery that the clean surface undergoes a reversible surface phase transition at $\sim 370 \mathrm{~K} .7$

## 2. Experimental

The uhv system, previously described in detail ${ }^{8}$, is equipped with Varian 4-grid LEED optics and a VG Q8 mass spectrometer. LEED intensity measurements were conducted with a Video camera interfaced to a microcomputer, supplied by Data-Quire Corporation. AES measurements were made With the LEED optics, typically operated at a modulating voltage on the crystal of 6 V peak-to-peak. The system was routinely capable of achieving $\sim 2 \times 10^{-11}$ torr.

The tungsten crystal was cut and polished to within $\frac{1}{2}^{0}$ of the $\{100\}$ plane, and cleaned in situ by the usual method until no contaminant peak could be observed using AES and aIso until the clean surface reconstruction (a very sensitil test of the presence of impurities ${ }^{9}$ ) could be observed on cooling below 370 K . The sample was heated either by electron bombardment of by resistive heating of the support wires, and temperatures were measured by means of a W-5\%Re/W-25\%Re thermocouple located in a small hole sparkdrilled into the edge of the crystal. The thermocouple output was used as a feedback to accurately control the sample temperature for given time periods. The sample was mounted on manipulator with Vernier scales, allowing accurate positioning and movement both horizontally and vertically, and thus providing a means of recording AES signals as a function of distance across the sample.

Indium was dosea onto the sample from an evaporation source schematically illustrated in figure l. It consists of two narrow (. 1 mm internal diameter) stainless steel tubes,
sealed and spotwelded at one end to feedthroughs. The open ends are attached to each other via a tungsten ribbon, and the tubes are loaded with pieces of indium wire $(0.50 \mathrm{~mm}$ diameter, $99.999 \%$ purity, supplied by Koch-Light Laboratories Ltd.). The source is resistively heated to $\sim 700 \mathrm{~K}$, and steady indium deposition rates, at a source-to-crystal distance of 20 mm . of between 0.02 monolayers per minute and 4 monolayers per minute, were readily achieved by controlling the temperature. After an initial degassing period, the source could be used at these deposition rates without an increase in background pressure above $2 \times 10^{-10}$ torr. It is believed that this evaporation source design is particularly well-suited to elements, such as Ag and Fe, where evaporation takes place close to the melting point. The source is mounted with a collimating shield, and provides a spot of indium on the sample which could be varied between 2 mm and 15 mm in diameter by varying the crystal-to-source distance.
3. The growth mode of indium films on W\{100\}.

A typical Auger spectrum of the surface after a large exposure ( 215 monolayers) of indium is shown in figure 2; the peaks at $345,403,417$ and 460 eV are in close agreement with previous studies of In. A careful examination in the range 20 to 100 eV revealed no peaks in this range. The film thickness for this spectrum is sufficient to completely attenuate the tungsten Auger peaks.

Both In and $W$ peak-to-peak heights, $A$, at 403 and 174 eV
respectively, were measured as a function of exposure of the initially clean surface at 300 K to In , as shown in figure 3. Excellent agreement is illustrated between two independent runs with different dosing intervals (30 and 60 sec , which demonstrates the reproducibility of the source.

For dosing times up to 3.8 minutes, the plot of $A(\ln )$ vs time is perfectly linear, as shown in the inset to figure 3, with a relatively sharp break from linearity at this deposition time. Thereafter, the curve is continuous, showing no further breaks which would be characteristic of a layer-by-layer growth mode ${ }^{10}$; numerous runs of"this type . were recorded, and no evidence was found for changes in slope at periodic intervals after the first break from linearity. Deposition onto the $W\{100\}$ surface at 200 K produced an identical result. A thorough investigation was made of the possibility of alloy formation, by annealing the surface at a range of temperatures. No change in the In or $W$ peak width or shape was ever observed; and no change in peak intensity was noted until evaporation of In from the surface. We conclude that alloying does not occur.

The break from linearity in figure 3 is tentatively assigned to the point at which a complete monolayer is formed. Additional support is obtiained from escape depth calculations, assuming layer-by-layer growth. Following Seah and Dench ${ }^{11}$, the intensity of the $I n$ and $W$ Auger peaks may be expressed

$$
A(\operatorname{In})=A(\operatorname{In})^{\infty} \exp (-\operatorname{msec} \theta \lambda(403))
$$

and

$$
A(W)=A(W)^{0}\{1-\exp [-\operatorname{msec} \theta / \lambda(180)]\}
$$

where $A(I n)^{\infty}$ and $A(W)^{0}$ are the Auger peak intensities from an infinitely think $I n$ layer and the clean $W$ surface, respectively; $m$ is the number of monolayers; and $\lambda(403)$ and $\lambda(180)$ are the escape depths in monolayers of 403 and 180 eV electrons, respectively, through indium. The best fits to the experimental data are shown in figure 4, and were obtained with

$$
\lambda(403)=2.5 ; \lambda(180)=2.25 .
$$

The In and $W$ monolayer points show very good agreement with these values for $\lambda$.

Linearity up to the monolayer point for $A(I n)$
clearly points to completion of the first layer prior to growth of the second layer. However, we note that the attenuation of $\quad A(W)$ as In is deposited onto the clean surface is not linear, as is usually predicted for monolayer growths; the initial decay is less than anticipated from simple considerations. We believe that this non-linearity can be attributed to the geometric effect indicated in figure 5. At low coverages, trajectories of $W$ Auger electrons such as that indicated by path $A$ are attenuated by scattering through an indium atom; while trajectories such as that indicated by path B are unaffected. On the other hand, as the coverage is increased to a monolayer both the trajectories
$A^{\prime}$ and $B^{\prime}$ are attenuated by their passage through adatoms. Thus, if a retarding field analyser, with a wide acceptance angle, is used (as in the present work), and if adsorption occurs randomly into surface sites, the attenuation of the substrate signal should be non-linear in surface coverage. On the other hand, if adsorption were to proceed by two dimensional island growth of the first layer, the attenuation should be linear. We therefore conclude that the first layerbegins. to form by random filling of surface sites.

Finally, the monolayer point was checked by a simple method. The total secondary electron yield, $\delta$, should be a sensitive function of the surface electron barrier, ${ }^{5}$ and should therefore change continuously up to the monolayer point;:-..... and then remain roughly constant as further layers are formed. The secondary electron yield is readily measured by recording the drain current to the crystal as a primary beam of electrons is impinged on it. In the present work $\delta$ was measured at several primary beam energues as a function of indium dosing time. A typical result is shown in figure 6. The secondary electron yield increases with indium coverage (to be expected if In causes a decrease in the work function), and the curve shows a pronounced knee at the monolayer point defined by the AES measurements described above. No change in $\delta$ was observed as the film thickness was increased beyond a monolayer.

From the behaviour of the Auger peak intensities with indium deposition time, we conclude that the formation of an indium film proceeds initially by random adsorption into surface sites, Completion of a monolyer is followed by


#### Abstract

haphazard development of subsequent layers, possibly in the form of three dimensional islands. This is known as the Stranski-Krastanov growth mechanism, and is commonly observed for metal film formation on metals. Layer-by-layer, or Frank-Van der Merwe growth of films is only expected if the lattice mismatch between the two metals is less than $9 \%$. 12


4. Surface Structure of Indium on W\{100\}.

The clean W\{100\} crystal exhibited a sharp (lx1) LEED pattern with faint half-order beams, attributable to the onset of the low temperature $(\sqrt{ } 2 \times \sqrt{ } 2) R 45^{\circ}$ surface phase ${ }^{8}$, just visible at room temperature. The half-order beams are more intense and sharp at 200 K . Adsorption of indium on the surface, at 300 or 200 K , resulted in a loss of the halforder beams at very low In fractional coverages, accompanied by an increase in integral order beam intensity (at a primary beam energy of 75 eV ) to a maximum at the monolayer point; the integral order beams then fade with an increase in background intensity until they eventually disappear at $\sim 4$ monolayers. No new diffraction beams were observed throughout the deposition sequence. The variation in intensity of the (10) beam and the diffuse background are shown as a function of exposure to indium in figure 7, for a substrate temperature of 300 K . The width of the beams was also monitored, but showed no change with coverage. The maximum intensity occurs at the monolayer point defined by the AES and secondary electron yield measurements, giving further confidence in its assignment.

The intensity of the (0l) beam (figure 7) shows a small but very reproducible increase with very small doses of $1 n$, amounting to $<5 \%$ of a monolayer. It has been established ${ }^{8,9}$ that very small amounts of impurity adatoms, such as 0 , $C$ or $N$, prevent the formation of the low temperature phase. For example, $\sim 2 \%$ of a monolayer of $N$ adatoms was sufficient to completely inhibit its formation. ${ }^{9}$ We therefore ascribe this initial integral order beam intensity increase to removal of the incipient reconstruction, with the intensity scattered into the half-order beams on the clean surface being returned to the integral order beams. (It has been found that 0.4 monolayers of In adsorbed on Ge\{111\} completely lifted the ( $2 \times 8$ ) reconstruction on that surface. ${ }^{13}$ ) A further increase in In coverage to $20 \%$ of a monolayer results in no change in the (01) beam intensity; random occupation of surface lattice sites, established from AES measurements in the previous section, produces no coherent scattering contribution to the LEED intensity. The sudden subsequent increase in intensity as the In coverage is further increased may be due to two-dimensional island formation at this coverage. At one monolayer of indium, the intensity and sharpness of the LEED beams is strongly suggestive of a well-ordered pseudomorphic layer. This is in agreement with a field ion microscope study of In on tungsten, from which Nishikawa concluded that In overlayers have the same lattice dimensions as the $W$ substrate. 14 At monolayer coverage, we therefore conclude that the In atomic density is the same
as that of the surface atoms in W\{100\}, i.e. $10 \times 10^{14} \mathrm{~cm}^{-2}$.
Above one monolayer, the substrate integral order beam intensity is extinguished, and no other beams are observed. The diffuse background intensity is increased. There is no evidence for epitaxial growth, in contrast with the In/Ge system. ${ }^{13}$ This result confirms the conclusion from the AES results in the previous section, that the growth mode is Stranski-Krastonov.

A thorough search was made for LEED patterns which may be formed by annealing at elevated temperatures. The crystal was dosed with in to various coverages and annealed to increasing temperatures. No new LEED beams were observed on cooling the crystal. The LEED pattern was also examined with various coverages at elevated temperatures, and again no patterns otehr than a (lxl) or disordered'(lxl) were observed. No evidence was found for an order-disorder surface phase transition.
5. Thermal desorption of Indium

After dosing the crystal with In at 300 K , stepwise desorption was performed by rapidly ( $<2 \mathrm{sec}$ ) heating the crystal to a preset temperature, holding it at that temperature for 30 sec , cooling the crystal and running an Auger spectrum; the procedure is then repeated, increasing the temperature at each stage, until the surface is clean. The In AES intensity was converted to surface coverage in
monolayers utilizing the calibration described in Section 3. The results of two independent runs are shown in figure 8. In the first (filled circles) the front face of the crystal was covered with In by dosing at a relatively large distance from the In source. In the second (open circles) the crystal was repeatedly dosed at 300 K and annealed at 550-600 K, in an attempt to ensure that both front and back faces of the crystal were covered with In, since, as described in Section 6 below, diffusion of the second layer of In is rapid over macroscopic distances at this temperature.

The surprisingly good agreement between the two experiments indicates that there is a negligible influence:of diffusion. to the back face of the crystal on the overall loss of the adsorbate from the front face as monitored by AES. We conclude that the results in figure 8 refer exclusively to desorption. Also shown in figure 8 is a differential of the coverage vs. temperature plot.

Evaporation from a thick film occurs down to two monolayers over a narrow temperature range, 700 to 800 K ; the differential curve, corresponding to a desorption spectrum at $\sim 2 \mathrm{Ks}^{-1}$, produces a peak temperature $T_{p}=770 \mathrm{~K}$. Desorption of the second and first monolayers occurs over a wide temperature range, from 2800 to 1200 k , giving a broad peak in the differential curve, with $T_{p}=1050$ K. Multilayer evaporation is readily analysed, since, as shown experimentally, by King, Madey and Yates, it is a zero order desorption process and can be written as:

$$
-d_{\theta} / d t=v e^{-E / R T}
$$

with both the frequency factor $v$ and the activity energy $E$ independent of coverage. The data in figure 8 readily yield, from an Arrhenius plot of $\ln (\Delta \theta / \Delta t)$ vs. $1 / T$,

$$
\mathrm{E}=240 \mathrm{~kJ} \mathrm{~mol}^{-1} ; v=10^{15} \mathrm{sec}^{-1} .
$$

The desorption energy is in good agreement with the reported sublimation energy of $\operatorname{In}\left(2,15, \mathrm{~kJ}_{\mathrm{mol}}{ }^{-1}\right)$. Analysis of desorption from the second and first monolayers is more complex, since the results are clearly indicative of a. strong dependennce of the desorption parameters on surface coverage. However, assuming the same pre-exponential factor as found for the multilayer $\left(10^{15} \mathrm{sec}^{-1}\right)$, first order desorption, an equivalent heating rate of $2 \mathrm{Ksec}^{-1}$, and $\mathrm{T}_{\mathrm{p}}=1050 \mathrm{~K}$ yields $\mathrm{E} \sim 340 \mathrm{~kJ} \mathrm{~mol}^{-1}$. The broad temperature range over which desorption occurs suggests that the desorption energy varies continuously over the range 250 to $350 \mathrm{~kJ} \mathrm{~mol}^{-1}$ as the coverage decreases from $\theta=2$ to.zero.
6. Reactivity of In-covered W\{100\} to $C 0$ and $0_{2}$

It was found that a multilayer-dosed surface at 300 K left under uhv conditions over a period of 12 hours showed no impurity peaks in AES. In an effort to investigate the surface reactivity, $C O$ was admitted to a pressure of
$5 \times 10^{-8}$ torr, and Auger spectra recorded after exposures of up to $10^{-4}$ torr sec. No $C$ or 0 Auger peaks were ever observed, from which it is concluded that the sticking probability of co on the indium film is $<10^{-4}$. The same result was found for $0_{2}$. The reactivity experiments were repeated for films with just one monolayer thickness, and the same result was obtained. Clearly all surface $W\{100\}$ sites are blocked by In at this coverage (since $W$ itself is very reactive in $C O$ and $\mathrm{O}_{2}$ adsorption.). We conclude that indium very effectively passivates the $W\{100\}$ surface for $C 0$ and $0_{2}$ adsorption under these conditions.
7. Surface Diffusion of Indium on W\{100\}.
7.1 First Layer Diffusion

Surface diffusion of indium was observed and characterised by the following procedure. A small patch ( 2 2 mm diameter) of indium was deposited onto the centre of the cleaned crystal at $\sim 300 \mathrm{~K}$, and the coverage vs. distance profile of the patch was then measured along a fixed azimuth using AES. The crystal was then heated to preset temperatures for increasing periods, quenching to $\sim 300 \mathrm{~K}$ after each heating period to again measure the patch profile. A large number of such experiments were performed, varying the diffusion temperature for a given patch coverage, and also varying the patch coverage, over the range $0.5<\theta<2.0$. In all cases, the In AES peak intensity vs. distance profiles were converted to coverage profiles using the calibration
curve, figure 3. The data are analysed to obtain the activation energy for diffusion $E_{m}$ and the diffusivity $D_{o}$, defined by $D=D_{0} \exp \left(-E_{m} / R T\right)$, where $D$ is the diffusion coefficient.

Data obtained after dosing to coverages at the patch centre of $\theta_{c}=0.5$ and 1.0 monolayers, at temperatures of 693 to 750 K , are shown in figures 9 and 10 . At these temperatures and coverages no desorption of In occurs, as borne out by the fact that the total area under the coverage vs. distance profiles is independent of annealing time. The shape of the patch after diffusion can be compared with the theoretical predictions of Bowker and King ${ }^{4}$; thisugives ant: immediate qualitative indication that the activation energy for diffusion increases with decreasing coverage. As shown in figures 11 and 12 , the change in the full-width-at-halfmaximum, $\Delta x$, of the patch varies linearly with the square root of time. The gradients of these plots ( $\left.\Delta x^{2} v s t\right)$ may be used in Arrhenius plots to determine the activation energy for diffusion ${ }^{16}$, as shown in figure 13 . The energy obtained in this way refers to coverage which is a non-simple average of the coverage across the diffusion boundary. The plot in figure 13 yields $E_{m}=73 \mathrm{~kJ} \mathrm{~mol}^{-1}$, and $D_{0}=0.67$; the coverage across the profile varies between 0 and 0.5 monolayers, but the value for $E$ is heavily weighted towards $\sim 0.4$ monolayers. For the dose with $\theta_{c}=1.0$ monolayers, this method yields $E_{m}=52 \mathrm{~kJ} \mathrm{~mol}{ }^{-1}$, and $D_{0}=0.02 \mathrm{~cm}^{2} \mathrm{~s}^{-1}$.

The data can be analysed to yield $E_{m}$ and $D_{0}$ as a function of surface coverage, using the expression: ${ }^{17}$

$$
\int_{a}^{b}\left(\theta-\theta_{0}\right) d x=D t\left[\left(\frac{d \theta}{d x}\right)_{a}-\left(\frac{d \theta}{d x}\right)^{b}\right]
$$

where $a$ and $b$ are chosen values of the distance $x$ across the diffusion profile, $\theta$ is the coverage at $x$, and $t$ the diffusion time. $\theta_{0}$ is the value of $\theta$ at $t=0$. Using this expression to obtain $D$ for a given coverage interval, a plot of $\operatorname{lnD}$ vs. $1 / T$ is constructed to produce $E_{m}$ and $D_{0}$ corresponding to that coverage (figure 14). This analysis confirms that there is a large decrease in $E_{m}$ with increasing $\theta$, from $\sim 105 \mathrm{~kJ} \mathrm{~mol}^{-1}$ at $\theta=0.25$ to $\sim 65 \mathrm{~kJ} \mathrm{~mol}^{-1}$ at $\theta=0.75$, and, in addition, shows that there is a corresponding decrease in $D_{0}$ with increasing $\theta$. The data are given in ...... : Table 1.

### 7.2 Diffusion in second and subsequent layers

Preliminary experiments revealed that the second and subsequent layers of In diffused more rapidly that the first layer. For example, figure 15 shows the result of an experiment in which a 2 mm diameter multilayer patch of in was dosed onto the crystal, followed by heating to 700 K for $\sim 80 \mathrm{sec}$, cooling, redosing, and reheating repeatedly. The patch spreads across the crystal surface, forming a homogeneous monolayer except in the vicinity of the patch itself.

The diffusion of a 2-monolayer patch ( $\theta_{c}=2$ ) at 615 K
is shown in figure 16. At this temperature, the width of the patch only increases until the coverage across the patch reaches one monolayer, at which point diffusion is effectively terminated. Similar results have been obtained
for $P d$ and $A u$ diffusion on several tungsten substrates; the results are also strongly reminiscent of the "unrolling carpet" diffusion observed from multilayers of CO and $\mathrm{N}_{2}{ }^{22}$ on tungsten field emission tips. Quantitative analysis of the data, such as that in figure 16 , is more complex 23 than suggested by previous workers, since a distinction must be made between atoms in the second layer, diffusing over first layer atoms with an activation energy $E_{m}{ }^{\prime}$, which may be dependent on the second layer coverage, and atoms diffusing in the first layer with the larger activation energy barrier $E_{m}$. The diffusion of the two species cannot be readily uncoupled, since there are two coverage gradients and second layer atoms reaching bare sites are instantly.... converted into first layer atoms. An approximate procedure was used to analyse the data, in which it was assumed that diffusion in the first layer over the times and temperatures employed (510 to 730 K ) could be ignored; the coverage in the diffusing second layer species is then obtained as ( $\theta-1$ ). Arrhenius plots constructed from the profiles derived in this way are shown in figure 17, and the values of $D_{0}$ and $E_{m}$ are given in Table l. A more satisfactory experiment was performed to obviate the difficulties in this analysis. A homogeneous monolayer of indium was produced across the whole surface of the crystal by repeated high temperature diffusion. A patch of In was then deposited onto this surface, corresponding to $\theta_{c}=7$ monolayers, and the patch profile was measured as a function of time at temperatures between 510 and 715 K (figure 18). From
linear plots of $(\Delta x)^{2}$ vs time obtained from this set of data, an Arrhenius plot was again constructed (also shown in figure 17). The agreement between the results obtained by the two procedures, shown in Table l, is considered to be very satisfactory. It is concluded that $D_{0}$ and $E_{m}$ for In layers beyond a monolayer are insensitive to coverage.
8. General Discussion

The properties concerning the growth, thermal stability and surface diffusion of In films on W\{100\} which have been determined in this study may be summarised as follows. 1) The growth of an indium film on $W\{100\}$ by vapour deposition proceeds with a sticking probability which is independent of coverage or layer thickness.
2) At very low fractional coverages of In ( $<0.02$ ), the $W\{100\}(\sqrt{ } 2 \times \sqrt{ }) R 45^{\circ}$ surface phase is converted to the (lx1) surface phase.
3) Up to a fractional coverage of $\sim 0.2$, In atoms randomly occupy surface sites, forming a two-dimensional lattice gas. As the coverage is increased further, two dimensional islands are formed.
4) The first monolayer is completed before the growth of the second and subsequent layers, and forms a well-ordered ( $1 \times 1$ ) structure. This complete monolayer renders the surface inert to $\mathrm{O}_{2}$ and CO adsorption at 300 K .
5) Desorption (or evaporation) of the monolayer occurs over the broad temperature range 900 to 1200 K , indicating a strong dependence of the activation energy for desorption, $E_{d}$,
on surface coverage, in the range $350<\mathrm{E}_{\mathrm{d}}<250 \mathrm{~kJ} \mathrm{~mol}^{-1}$.
6) No incorporation of In into the tungsten crystal, or alloy formation, was observed at any temperature.
7) Surface diffusion up to monolayer coverage occurs with an activation energy $\mathrm{E}_{\mathrm{m}}$ and diffusivity $\mathrm{D}_{0}$ which are both strongly dependent on fractional coverage. At $\theta=0.25$, $E_{\mathrm{m}}=106 \mathrm{~kJ} \mathrm{~mol}^{-1}$, dropping to $64 \mathrm{~kJ} \mathrm{~mol}^{-1}$ at $\theta=0.75$. The activation energy barrier to diffusion is thus roughly a constant fraction of that to desorption, i.e. $\sim 30 \%$.
8) As the film thickness is increased beyond a monolayer, no sharp AES break points are observed which could be associated with layer-by-layer growth, indicating an uneven development of film thickness. Even after anneaing to -............... relatively high temperatures, no ordered structures could be observed. Beyond the first monolayer, the film is disordered. 9) Evaporation from a thick film down to the monolayer region occurs over a narrow temperature range, 700 to 800 K . The desorption energy ( $240 \mathrm{~kJ} \mathrm{~mol}^{-1}$ ) is close to the reported sublimation energy for In.
10) Surface diffusion in the second and subsequent layers occurs with $E_{\mathrm{m}}=23 \mathrm{~kJ} \mathrm{~mol}^{-1}$ and $D_{\mathrm{o}}=3 \times 10^{-3} \mathrm{~cm}^{2} \mathrm{~s}^{-1}$. i.e. $E_{m}$ is $\sim 10 \%$ of the desorption energy.

Combining the diffusion study with the results pertaining to the growth mode of the indium film produces a coherently detailed model. Indium atoms colliding with an indium-covered region of the surface apparently bave the same trapping probability as those arriging at free tungsten sites; but
they are highly mobile (with a hopping frequency of $10^{8} \mathrm{~s}^{-1}$ even at 200 K ) and are therefore rapidly equilibrated with the surface layer. If the total coverage is less than a monolayer, equilibration strongly disfavours the retention of multilayer atoms, since the adsorption energy for monolayer atoms $\left(\sim 300 \mathrm{~kJ} \mathrm{~mol}^{-1}\right)$ is significantly greater than that for multilayer atoms ( $240 \mathrm{~kJ} \mathrm{~mol}^{-1}$ ). (This energy difference gives a Boltzmann factor advantage, e $\Delta E / R T$, at 300 K of $10^{10}$ ). Formation of the monolayer thus proceeds via the mobile precursor mechanism originally proposed by Taylor and Langmuir from studies of Cs adsorption on $W$, and presently favoured for many adsorption systems. The unrolling carpet effect noted in the diffusion studies from initial multilayer patches is a clear manifestation of this effect, coupled with the relative immobility of the first layer. The radom development of layers subsequent to the first is a reflection of the insensitivity of adsorption energy to layer thickness, at least beyond the second layer. There is no energy advantage from layer-by-layer growth.

The absolute values of the diffusion parameters obtained in the present work bear some comment. The strong coverage dependence in the activation energy for diffusion is paralleled by a strong variation in the desorption activation energy (and hence the adsorption energy) with coverage. Both results are consistent with a repulsive nearest neighbour lateral interaction energy of $20 \mathrm{~kJ} \mathrm{~mol}^{-1}{ }^{4}$. The values of $E_{m}$ in the monolayer region are consistently $\sim 30 \%$ of the $I n$ bond energy; in contrast studies of the diffusion of individual
metal adatoms in the field ion microscope on $W$ and $R h$ single crystal surfaces have yielded diffusion energyes Which are consistently in the region of 5 to $10 \%$ of the bond energy. Clearly, the energy profile for In atoms across W\{l00\} shows an unusually high degree of roughness, with presumably a strong preference for the four-fold hollow site. The repulsive interaction between adatoms is a consequence of the lattice misfit in the eptiaxial layer: the n.n. distance in bulk In is $3.24 \AA$, which is compressed to $3.16 \&$ in the first (ordered) layer on $W\{100\}$.

There is an apparent discrepancy between our conclusion that there are strong repulsive interactions between n.n. In. adatoms in the first layer, and our prior conclusion that growth of the first layer proceeds by island formation above a fractional coverage of 20.2 . However, film growth was observed at temperatures of 200 and 300 K , where the first layer is immobile and hence non-equilibrated. The distribution of occupied first layer sites is entirely determined by the adsorption kinetics, and island growth is a direct consequence of trapping into a mobile second layer at filled sites, and spillover into the immobile first layer at the island boundary.

In the multilayer region, the energy barrier to surface diffusion is considerably smaller than in the first layer, and is also a smaller percentage of the bond energy ( $\sim 10 \%$ ). In this sense the value is more in line with metal atom surface diffusion energies reported in the literature, although it is the lowest absolute value reported to date.

The diffusivities $D_{0}$ also vary strongly with coverage. Absolute values can be discussed in relation to the expressions

$$
D_{0}=v a^{2} / 2 \alpha
$$

and $v=(k T / h) \exp (\Delta S / R)$
where $\alpha=1$ for diffusion in one dimension, and $\alpha=2$ in two dimensions; $a^{2}$ is the mean square jump distance, over a barrier with an activation entropy $\Delta S$. The observed variation in $D_{0}$ between $0.64 \mathrm{~cm}^{2} \mathrm{~s}^{-1}$ at $\theta=0.25$ and $1.3 \times 10^{-3} \mathrm{~cm}^{2} \mathrm{~s}^{-1}$ in the multilayer region thus corresponds to a variation in the frequency factor $v$ from $2 \times 10^{16} \mathrm{~s}^{-1}$ to $7 \times 10^{13} \mathrm{~s}^{-1}$, which can in turn be attributed to a coveragedependent $\Delta S$, between $80 \mathrm{~J} \mathrm{~mol}^{-1} \mathrm{~K}^{-1}$ and $20 \mathrm{~J} \mathrm{~mol}^{-1} \mathrm{~K}^{-1}$. There would appear to be a strong correlation between $\mathrm{E}_{\mathrm{m}}$ and $\Delta S$, which can be empirically represented as:

$$
\Delta S=E_{m} / T_{b} \text {, }
$$

where $T_{b}$ is a constant with the units of $K$. This relation has often been previously reported from kinetic ${ }_{2}$ studies on surfaces, and is known as a compensation effect; this is, however, the first time it has been noted in relation to diffusion.

REFERENCES.
I. C.F. Smart, Tranz.AIME,Tech.Publ. 900(I938).
2. J.M. Freund, H,B, Linford and P.W. Schutz, Trans.Electrochem.Soc. 84(1943)650.
3. D.A. Xing, J.Vac.Sci.Tech.,I7(I980t24I.
4. M. Bowker and D.A. King, Surf.Sci. 7I(I978)583, 72 (I978)208.
5. M. Bowker and D.A. King, Surf.Sci.,94(1980)564.
6. A. Cassuto and D.A. King, Surf.Sci.,IO2(I98I) 288.
7. D.A. King, Physica Scripta, in press.
8. M.K. Debe and D.A. King, Surf.Sci.,8I(I979)I93.
9. K. Griffiths and D.A. King, J.Phys.C.Solid State Phys.,I2(I979) 344.

IO. E. Bauer and H. Poppa,Thin Solid Films, I2(I974)I67.
II. M.P. Seah and W.A. Dench, Surface and Interface Analysis, I(I979)2.

I2. J.M. Van der Merwe, Proc.Roy.Soc ., (Iondon)I98A(I949)205,2I6.
I3. T. Ichikawa, Surf.Sci.,III(I98I)227.
I4. O. Nishikawa, M. Wada and M. Konishi, Surf.Sci.,97(I980)I6.
O. N1shikawa, Jap.J.Appl. Phys.Suppl 2,Pt. 2,(I974)37.

I5. D.A. King, T.E. Madey and J.T. Tater, J. Chem.Phys. . 55(I97I) 3247.
I6. J. Crank, The Mathematics of Diffusion, Clarendon Press, London, I956.
I7. R.C. Bosworth, Proc.Roy.Soc.,AI54(I936)II2.
I8. J.B. Taylor and I. Langmuir, Phys.Rev., 44(I933)423.
I9. G. Ehrlich and F.G. Eudda, J.Chem.Phys.,44(I966) 1039.
G. Ayrault and G. Ehrlich,J.Chem.Phys., 60(I974)28I.
20. M.A. Morris, M. Bowker and D.A. King, The Kinetics of Adsorption, Desorption and Diffusion, in Comprehensive Chemical Kinetica, eds, C.H.F. T1pper and C.H. Bamford, Blevier, North Holland.

2I. R. Butz and H. Wagner,Surf.Sc1.,87(1979)69,85.
22. R. Gomer, R Wortman and R. Lundy, J.Chem.Phys., 26(I957)II47.
23. P. Akhter and J. Venables,Surf.Sci.,IO3(I98I)30I.

Table 1

The activation energy for diffusion, $E_{m}$, and diffusivity Do for In on W\{100\}

| Coverage $\theta$ <br> (monolayers) | $(\mathrm{kJ} \mathrm{mol}$ |  |
| :---: | :---: | :--- |
|  | $\left.E_{m}\right)$ | $\mathrm{cm}^{2}{ }_{\mathrm{o}}^{\mathrm{o}} \mathrm{s}^{-1}$ |
| 0.25 | 106 | 0.64 |
| 0.50 | 79 | 0.179 |
| 0.75 | 64 | 0.030 |
| $1-2$ | 22.2 | 0.003 |
| $1-7$ | 24.9 | 0.0013 |

Fig.I. The indium source. $W$ is a $W$ ribbon and $T$ the In loaded tubes.


Mg.2. Augerspectrum from an In dosed $W\{I O O\}$ crystal (derivative mode). Primary beam energy of $2 k e V$ at a current of $5 \mu \wedge$ and recorded with a modulation voltage of 5 V peak-to-peak.


Fig.3. The increase in the AES peak-to-peak height as a function of dose time. The inset is an exspansion of the data at low dose times ( $0-5 \mathrm{~min}$ ).


Fig. A. AES sifnal heights plotted against coverage $(\longrightarrow$ and a best fit lineshape ( - . . . - ) using the formulism of Seah and Dench.


Fig.5. The geometric effect in AES.


Fig.6. The change in secondary electron emission current $(\Delta I)$, ratioed to the total drain current (I), versus coverage.


Fig.7. The change in the LEED intensity of a ( $I, 0$ ) beam and the background level as a function of coverage.

Fig. 8. The change in surface coverage as a function of coverage. Open
circles are data taken from a surface homogeneously covered with In
from dosing and annealing the surface. The filled circles are data taken
from a surface where a large patch was deposited. Also shown is the differential
form of these graphs at two different coverages.


Fig.9. The change in a coverage versus distance profile as a function of heating. Here the maximum surface coverage of the unheated patch was a monolayer.


Fig. IO. Coverage versus distance profiles for an initial patch of maximam coverage $\frac{1}{2}$ monolayer, as a function of heating time at two temperatures.


Fig.II. A plot of the increase of the peak width squared versus heating time for the patch of maximum coverage equal to $\frac{1}{2}$ monolayer.


Fig.I2. The increase in peak width squared as a function of heating time for a patch deposited with maximum coverage of one monolayer.


Fig.I3. Arrhenius plots for the profiles deposited with a maximum coverage of $\frac{1}{2}$ monolayer (based on a peak width analysis).


Fig. IA. Arrhenius plots at different coverages, based on a peak shape analysis


Pig. I5. The result of depositing multi-layer patches and annealing to 700 K .


Fig. I6. The effect of heating on a patch deposited with a maximum coverage of two monolayers.


Fig.I7. Arrhenius plots for multilayer diffusion. Squares are the data from a patch deposited onto a homogeneous covering of In equal to one. Circles are data based on a peak width analysis of data of the type shown in Fig.IG.

$$
{ }^{H} \varepsilon 0 L / \downarrow . \quad . L_{l}
$$



Fig.I8. The change of a In patch deposited onto a surface; covered with
a one monolayer layer of $I n$, as a function of temperature.


CHAPTER 7: In ADSORPTION, DESORPTION AND MIGRATION AT A $W\{100\}$ SINGLE CRYSTAL PLANE PRECOVERED WITH OXYGEN.

# Indium adsorption, desorption and migration at a $W\{I \infty\}$ single crystal plane precovered with oxygen. 

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I. Experimental.

The stainless steel UHV system, the retardingofieldanalyser for IAERD and AES, and the gas dosing arrangement has been described elsewhere. The sample in both investigations was the same, a $I .5 \times 0.5 \mathrm{~cm}$ W single crystal cut and polished to within $\frac{1}{2}^{\circ}$ of the $\{100\}$ plane. The crystal was 2 cleaned by the usual methods. Oxygen adsorption was achieved via random dosing through a large diemeter gate valve. 0 is admitted to the system through a mercury pumped, UHV, gasmanding line from research grado gas bottles, the purity being checked using a mass spectrometer. Sample temperature control and measurement was as described earlier.
2. Introduction.

In a recent study the adsorption of In on toa $W\{$ IOO $\}$ single crystal I
plane was investigated and the results are summarised here.
a) Initially In adsorbs into a pseudomorphic (IXI) layer with the number of In sites equal to the number of $\{100\}$ sites.
b) The first layer grows via $2 D$ island growth. Subsequent layers condense Via the formation of $3 D$ islands and these layers are disordered.
c) In films show no signs of alloying with the $W$ surface.
d) In passivates the layer to $C O$ and $O$ adsorption.
e) Desorption takes place in two stages, one corresponding to the loss of In multilayers, the other to the loss of In from the first layer. The -I
desorption energies are 200 and 275 KJ mol respectively and the former value is close to the sublimation energy of In.
f) As the surface coverage of In increases the migration of In, in the first layer, takes place with a continually decreasing activation energy.
g) Diffusion in the second and higher layers is very mach faster than in the first layer.
h) Within the first layer repulsive lateral interactions exist between the adatoms.

The present study has been prompted by two major reasons. Firstly, the coadsorntion system Metal/Oxygen-Metal has shown many interesting effects for some alkali metals e.g. the formation of a double layer 6
for $C s / O / W$, and the formation of high order LEED patterns for mixed 3
adsorption layers. Secondly, the diffusion of an electropositive species
in the presence of an electronegative species should be interesting both, theoretically and with an aim to explain material transport in catalytic systems.
3. Results.

Formation of the precovered oxygen surface took place as follows. -7
The crystal was saturated at a pressure of 10 torr and then annealed at this pressure, at I400K. On cooling a sharp $p(2 \times 2)$ LEDD pattern-was:-2. Hin observed. It is well known that the $O / W\{I O O\}$ system shows a number of 5-I2
structures at various temperatures, and these are associated with surface reconstruction, overlayer and oxide formation. In the current investigation the highest temperature phase was used so that the surface was stable when heated in diffusion experiment. The $p(2 \times 2)$ has been shown to be made up of contributions from a $p(2 \times I)$ and a 8
$c(2 \times 2)$ and the coverage in this phase can be taken as I. 25 monolayers. The surface structure of this phase is uncertain but almost certainly the substrate \{IOO\} structure has undergone severe reconstruction $5-12$

AES was used to investigate In adsorption on tothe $p(2 \times 2)-0$ surface. The peak-to-peak derivative heights of Auger spectra were used as a I measure of coverage using the calibration curves reported earlier. With the same bombardment rate as used in the earlier investigation, the rate of growth of the In signal was the same up to the monolayer point. After this the In signal increased slowly compared to the results for In deposition on the clean $W\{I 00\}$ surface. The results are shown in Fig.I.

The horizontal scale is in $\mathcal{Y}$, the time taken to complete a monolayer on the clean surface. The surface reaches a maximum coverage of I. 6 monolayers (ML). Such a result may be explained in terms of a decreasing I 3
sticking probability , but this is not so here. Fig.2. shows the apparent coverage of the surface as a function of heating time at 700 K . Clearly the surface coverage of In increases as the surface is heated, and the coverage reached is close to the value that would have been achieved for clean surface adsorption. After this the coverage drops again, presumably due to desorption. Similar curves were taken at various temperatures and an Arrhenius plot of the $\log$ reciprocal time to reach a monolayer versus the reciprocal time can be used to estimate the activation energy of this process. This is shown in Fig. 3 and yields a value of -I $62 \pm 8 \mathrm{KJ}$ mol . Information on this process can be found by close 14 examination of the oxygen peaks. Formulism developed by Seah allows the escape depth of electrons $\lambda_{e}$ to be calculated from the distance and the type of material through which the electrons have to pass. It can be written,

$$
\lambda_{e}=\left(538 \mathrm{~d} / \mathrm{E}^{2}\right)+0.4 \operatorname{Id}(\mathrm{dE})^{\frac{1}{2}}
$$

where is the escaping electron energy and $d$ the monolayer distance, normally taken as the cube root of the volume per atom. So $\lambda_{e}$ for 510 eV electrons.escaping through In is 3.3 monolayers. The attenuation of an AES signal is given by,

$$
k=\exp \left(-H / \lambda_{e} \cos \theta\right) \text { where } H \text { is the number of monolayers }
$$

and $\theta$ is an angle to account for the collection of electrons and the analyser geometry $(\theta=42$ for an RFA); $k$ can be evaluated as 0.66 if $H=I$ This compares with an experimentally measured value of $0.68 \pm 0.05$, thus It seems that the first layer of In sits above the oxygen-tungsten surface.

Auger peak lineshapes and their positions have long been known to be
sensitive to chemical enviroment . In the present work, no shifts in the $0, W$ or In peaks were ever observed, although the high modulating voltages used here ( 5 V peak-to-peak) may have obscured such effects, and for the same reason lineshape comparisons were not made. Instead the width of the recorded Anger peaks was used. These results are shown in Fig.4. The In peak is not shown since ite width remained unchanged by the presence of 0 or annealing and the 0 peaks were not recorded because of a lack of sensitivity. The figure shows that the W peak broadens considerably when the $p(2 \times 2)-0$ phase is formed, presumably because of the reconstruction of the $W\{I O O\}$ surface. In adsorption on to this surface causes the peak to narrow and if the surface is annealed to restore the In to the surface, the width decreases to a value close to that recorded on the clean $\{100\}$ surface.

LEED observations vere also made. The $p(2 \times 2)-0$ pattern $\frac{1}{2}$ order spots fade as the In coverage increases until at a coverage of $\theta=I$ only the ( $I \times I$ ) spots can be seen. During this process the background continually increases. Further adsorption seems to produce a negligible change in the pattern. Heating the surface to ever increasing temperatures maintains ( $I \times I$ ) symmetry until faint $c(2 \times 2)$ spots associated with the clean surface appear.

Desorption experiments were performed using the AES derivative height to monitor the coverage. The $p(2 \times 2)-0$ layes was prepared and then dosed with In for excessively long times. The surface was then annealed to increasing temperatures for 30 intervals monitoring the amount remaining after each heating interval. These results are shown in Fig. 5. The first process occuring is the restoration of the In to the surface layers and it is important to note that that the 0 signal does not attenuate very strongly during this process, indicating that the $O$ remains close to the
outermost layers or spread throughout the In multilayers. The In signal then drops very suddenly from the maximum value until the coverage reaches $\theta=I$ when the rate of decrease slows considerably. During the rapid decrease of the in signal the 0 AES signal is also strongly attenuated. Using the sudden decrease of the In signal an approximate value of the desorption energy cas be found using the equation,

$$
\frac{d \theta}{d t}=-v \theta \exp \left(E_{\delta} / R T\right)
$$

where $\theta$ is the relative coverage, t the heating time, $R$ the gas constant IJ-I and $T$ the temperature. If $v$, the preexponential is assumed to be IO $s$, -I $E d e v a l u a t e s ~ t o ~ a b o u t ~ 260 \mathrm{~kJ} \mathrm{~mol}$. For the slower In loss the corresponding value is 308 kJ mol. Treatment of the 0 data yields a value of -I 230 kJ mol .

Because of the effects noticed here it was only posible to calculate diffusion parameters below $\theta=$ I. This was done by depositing an In patch on to the surface and scanning the patch across the AES beam using accurate micrometers on the manipulator. The crystal could then be heated and the patch rescanned to look for diffusion effects. The maximum coverage In the patch was sot at $\theta=I$ M. Typical results for a spreading patch at a temperature of 680 k for differing times is shown in Fig .6 . The general diffusion equation can be written,

$$
D=D_{0} \exp \left(-I_{m} / R T\right)
$$

where $D$ is the diffusion coefficient, $D_{0}$ the diffusivity and the activation energy for ditfusion is $\mathbb{E}_{m}$. The diffusion mechanism can be found by plotting the increase $1 山$ peak width squared versus heating time; if the process is a random walk type then these plots should be straight ines. Experimentally this was found to be true as Fig. 7 shows. The slopes of these graphs can be used as the Y-axis in Arrhenius plots and such a plot is shown in Fig. 8. From this graph $E_{m}=27.9 \mathrm{~kJ} \mathrm{~mol}$ and $D_{0}=I .45 \times I 0^{-3} \mathrm{~cm} \mathrm{~s}^{-I}$, but note that
these are average values over the whole coverage range. I6
Bosworth has derived a method to obtain activation energies as a function of coverage from profiles such as obtained here. Using the equation,

$$
\int_{a}^{b}(c-c) d x=D t\left[\left(d c_{0} / d x\right)_{a}-\left(d c_{0} / d x\right)_{0}\right]
$$

$d c / d x$ is the change in coverage with distance and a and $b$ are two ordinates of $c$ in a coverage versus distance graphs; co is the initial value of the coverage at $t=0$. Thusg the integral on the left hand side is the change in the total amount of adsorbate from a to $b$. Em can be found at any coverage by plotting the $\log$ of $D$ versus $I / T$ at this coverage. Results were evaluated at $\theta=0.75,0.5$ and 0.25 . The Arrhenius plots are shown in $F i g .8$ and the resultant activation energies and diffusivities are shown in table $I$.
4. Discussion.

Reaults are presented here for the adsorption of In on the $W\{100\}$ $p(2 \times 2)-0$ surface and these indicate that the system is far from simple. Adsorption up to $\theta=I$ appears to be fairly simple: In layer sitting above the 0 is formed. The Leed pattern is a simple ( $I \times I$ ) at all energies and this persists as the In is desorbed, indicating that the In layer In some way rearranges the oxygen layer so that a In layer, pseudomorphic with the substrate (IXI) surface, can grow. The rearrangement of the oxygen-iungaten layer is reflected in the decrease in width of the W AES peak.

Above $\theta=I$ the rearrangement becomes even more complicated. Very Iittle of the adsorbing In is equilibrated near the surface. Sinco the oxygen signal is only weakly attenuated during this incorporation stage
we can conclude that the oxygen remains close to the surface but the In is incorporated into the $W$ lattice. The transport of In may be via grain boundaries but it is more likely that the first layer of In causes the pathway to be opened by substrate rearramgements since there was no sign of any similar effects for the In/h \{100\} system.

Whatever the structure of this arrangement it is clear that by inputing
an energy of about 62 kJ mol it can be dramatically altered and most of the incorporated In can be equilibrated at. the surface again. These multilayers formed are not of the same type as the condensed multilayers I
examined earlier. This is apparent since, the desorption energies are higher; the oxygen AES signal is not strongly attenuated by the multilayer formation (indicating that the oxygen is distributed through the overlayerg) and the persistence of the (IXI) leed pattern is mach greater than for adsorption on the clean surface. These results lead us to postulate that this structure is some In-O alloy bound to the $W$ substrate. The desorption energies of these layers for both 0 and In are fairly close and it is likely that the "alloy" rather than seonrate species is desorbed. The activation energy needed to form this structure may be associated with the energy necessary to break the strong $\mathrm{W}-\mathrm{O}$ bonds.

The diffusion results are much more easily explained. The diffusion energy is considerably reduced compared to diffusion at the same coverages observed on the clean surface, although the diffusion energy still decreases $\rho$, function of coverage. The decresse in diffusion energy can $t a \operatorname{expla}$ ined in terms of electron transfer to the 0 layer, increasing the charge on the In adatoms and thus increasing the repulsive lateral interactions between the In atoms and lowering the diffugion eneray. interactions between the In atoms and lowering the diffusion energy This effect may be combined witha surface roughening effect which has I8,59,20 been shown to reduce the activation energy for surface diffusion

The values of $D_{0}$ noticed here are close to those predicted if the
entropy of the activation is negligible and that the length of the surface $2 I$
hop is close to the lattice spacing. As the coverage increases there is an increase in the value of $D_{0}$ but it is very small, in contrast with the clean surface results which showed a large increase. This may be because of the difference in the chomistry of the surfaces;if the peak in $D_{0}$ for the clean surface $1 s$ associated with the increased disorder of the $2 n d$ and subsequent layers this peak will be very much reduced because of the stronger order noticed in the In multilayers earlier. This is, of course, only a very tentative explanation.

REFERENCES.
I. M.A. Morris, C.J. Barnes and D.A. King, to be published.
2. M.E. Debe and D.A. King, Surf.Sci..8I(I979)I93.
3. P.R Davis Surf.Sc1., 9 I(1980) 385.
4. W Jost, Diffusion in Solids, Liquids and Gases, Academic Press, New York, I980.
5. P.J. Estrup and J. Anderson, Surf.Sc1., 8(I967)IOI.
6. C.A. Papergeorgopoulus and J.M. Chen, Surf.Sc1.. 39(I973)3I3
7. A.M. Bradshaw, D. Menzel and M. Steinkilberg, Jap.J.Appl.Phys.Suppl.

$$
\text { 2.Pt } 2(I 974) 84 I .
$$

8. E. Bauer, H. Poppa and Y. Viswanath, Surf.Sci.,58(1976) 517.
9. T.E. Madey, Surf.Sci., 33(I972)355.
10. S. Prigge, H. Niehus and E. Bauer, Surf.Sci.,75(I978)635.
II. H. Kramer and E Bauer, Surf.Sci., 92(I980)53, 93(I980)407.

I2. J. Holz and J. Schafer, Surf.Sci., IO8(I98I)I387.
I3. M.A. Morris, M. Bowker and D.A. King, The Adsorption, Desorption and Diffusion at Metal Surfaces, in Comprehensive Chemical Kinetics, eds.
C.H.F. Tipper and C.H. Bamford, Elaevier, North Holland.

I4. H.P. Seah, Surf.Sc1.,32(I972)703.
H.P. Seah and W.A. Dench, Surface Interface Analysis,I(I979)2.

I5. J.P. Coad and J.C. Riviere, Proc.Roy.Soc.London A 33I(I972)403.
G.F. Amelio, Surf.Sci.,22(I970)30I.
16. R. ․ Bosworth, Proc.Roy.Soc.,I54A(I936)II2.
17. M. Buwker and D.A: King,Surf.Sci.,7I(I978)583.

I8. Fr. Trachaler, L. Elektrochem, 58(I954)340.
I9. L.W Swanson, I.W Strayer and L.E. Davis, Surf.Sci.,9(I968)I65.
20. C.F. Kirk and G. Khrlich, J. Chem.Phys., 48(I968) 1465 .

2I. H.Uttsugi and R. Gomer, J.Chem.Phys, 37(I962)I706.

## TABLE I.

| $\theta$ | 0.75 | 0.5 | 0.25 |  |
| :--- | :--- | :--- | :--- | :--- |
| $\mathbf{E}_{m}$ | $25.0 \pm 5$ | 25.0 | 47.0 | KJ mol |
| $D_{O}$ | $4.23 \times I 0^{-4}$ | $4.23 \times I 0^{-4}$ | $8.25 \times 10^{-3}$ | $\mathrm{~cm}_{\mathrm{s}}$ |

```
Fig.I. The apparent surface coverage of In (estimated from a calibration
    I
reported earlier ) versus the monolayer time.
```



Fig.2. The surface coverage of in versus heating time at three different temperatures; 700 k (squares), 585 (triangles) and 560 (circles).



$$
\begin{aligned}
& \text { Fig. } 4 \text {. The variation of the } W \text { AES derivitive peak width versus the } \\
& \text { heating time. Also shown is the increase in width associated with the } \\
& \text { formation of the } p(2 \times 2)-0 \text { structure and the } p(2 \times 2)-0 \text { plus In structure. }
\end{aligned}
$$



Fig.5. The variation in $0(-\ldots)$ and $\operatorname{In}(\longrightarrow)$ coverage, as measured using AES, as a function of temperature for successive anneals of 308 .


Fig.6. The change in peak shape for an In patch as a function of time for a 680 K anneal.


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Fig.7. A plot of the increase in peak width squared vergus the heating
time at three different temperatures.
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Fig.8. Arrhenius plots for the diffusion process. represents an analysis based on the increase of the peak width, other symbols are from a peak shape analysis. These are; $\Delta, \theta=0.75 ; \quad \theta=0.5 ; \geqslant, \theta=0.25$.
$\mathrm{LOG}_{e} D\left(\mathrm{~cm}^{-2} \mathrm{~s}^{-7}\right)$


CONCLUDING REMAHKS.

The diffusion and adsorption kinetics of four systems have been measured; these are $O / W\{I I O\}, K / W\{I I O\}, \operatorname{In} / W\{I O O\}$, and $\operatorname{In} / W\{100\}+p(2 \times 2)-0$. The three adsorbates are very different in their physical and chomical properties and these differences are reflected in their adsorption properties. Oxygen is typical of many gaseous adsorbates; It saturates the surface at a density equal to the substrate atom density and displays a number of ordered structures through the coverage regime. Multilarars of 0 do not form at roon temperature.K is like many of the alka? ies in thet it forms very f"n orderad structures at room temperature and none were obss"ved in the present study. Multilayer growth is unstable. In is an excellani examnle of the metad/metal adsorption system. It cundenses with a $\mathrm{s}^{+i c k i n g}$ protabihity equal to one and multilayer growth is highly tavourad. The firet layg. $\pm s$ pseudomorphic and layers after this grow via the rurmation of threemimerisional isuands.

This work has shown that these adsorption properties irs miriored in the diffusion kinatics, of the adatomg, zreoss the su: sace. This is to be expected since $1 t$ is the properties of the sdatom which dominate the adsorption and desorption properties. Hopefully, this work emphasised that to picture the surface realistically it is essential that the three events are not considered as separate. More specifically the work presented here has shown that there is a very strong relat lonsbip between the measured diffusion kinotics and the surface structure. The zeason for this is clear, both diffusion and こrdering are critically dependent on the lateral interactions between the adsorbed species.

The diffusion/desorption/adsorption kinetics show that the $K / W\{I I O\}$ system is dominated by the vary gtrong repulsive lateral interactions between the adatoms, and the lack of ordered structures observed is because of the same reason. The $O / W\{I I O\}$ syatem is dominated by the attractive
next-nearest-neighbour. interactions that exist. In this system the oscillatory nature of the interactions, i.e. repulsive nearest-neighbour, attractive nextmearest and so on, resulta in several ordered phases as a function of coverage; the $p(2 \times I), p(2 \times 2)$ and (IXI). In shows a sudden decranse in diffusion energy after the first monolayer is complete. This 1 s associated with the enhanced mobility of second layer elatoms as they attempt to reach equilinitum with more strongly bound Ist layer sites iand so cause a lowering of the totai energy of the system). No change in diffusior kinetics war noti:en as anction of coverage above $Q=I$ and this is etrongly associated fith the baphazard 3-dimensional island growth seen in the mililajer region. Below $\theta=I$ the diffusion is dominated ly repuisive interactiows botween the adatoms, the diffusion. eriory continually decreasingwith covernf3.

The $I n / w\{100\}-p(2 \times 2)-0$ system :a very much more complicated;
 lattice, this is nc: true for the $p(2 \times 2)$ system where dramatic changes in the nature of ane adlayer are noticed as a function of temperature. Further investigations for this system ere strongly indicated; XPS, ISS axd SIMS depth profiling would give detaileui aformation on the surface ramrangements noticad here. This bystem nay here a commercial importejce In that it could be related to the $\mathrm{Al}_{2} \mathrm{O}_{3}$ surface, which is important as a catalyst and support. Propuala have been made by the author to examine this system by the techniques listed abnva. Only at coverages $<\theta=I$ can the In be maintained,over the temperature range necessary, $a$ the surface -vacuum interface and so only at these coverages can the diffusion be studied. The activation energy for surface diffusion decreased with coverage as for the clean surface but the magnitude of the energy was reduced and this lowering of the diffusion barrier may be crucial in the
absorption processes seen after $\theta=I$. The lowering of the surface diffusion activation energy barrier is associated with a surface roughening effect and/or electron donation to the 0 adatoms increasing the repulsive interactions between the adsorbed In.

For many years, surface diffusion has been very much neglected, apart from the work of a few isolated laboratories. This is probably duo to the work being very demanding and tame consuming. However, the rewards can ta great, no surface will be fwll untuerstood until high qualísy difficion meapurements have been made ploz iew techniques that are being continually dincoverind and the improvemert of older ones should make the experimentolists tr sk eapien and the ses its of these experiments wil be important academically and cummercially.


[^0]:    Pig.2. Derivative AES peak-to-peak heights niotted against dose time for $Y$ adsorption. Squares are the signals from the $\forall 347 \mathrm{eV}$ peak and circles the sifnals from the $\mathbb{R} 25 \mathrm{IeV}$ peak. Open and filled symbols are the results of two different experiments.

